

Model implications for international reallocation elasticities

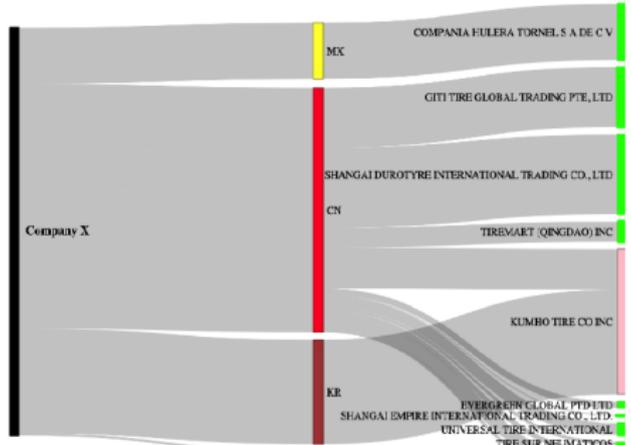
$$y_{ijo} = a_{ijo} p_{ijo}^{-\kappa} p_{ij}^{\kappa-\rho} P_i^{\rho-\sigma} P^{\sigma-1} UP$$

- the elasticity of variety ω from korea w.r.t a price change by ω' from china is:

$$\begin{aligned} \mathcal{N}_{\omega\omega'} &= (\sigma - 1) \mathbb{S}_{\omega'} S_{\omega'} s_{\omega'} \\ &+ (\rho - \sigma) S_{\omega'} s_{\omega'} \mathbb{I}(i = i') \\ &+ (\kappa - \rho) s_{\omega'} \mathbb{I}(i = i', j = j') \end{aligned}$$

Substitution from standard trade models
 importer initially in korea and china
 supplier initially in korea and china

where \mathbb{S} , S and s are shares within each nest and $\mathbb{I}(\cdot)$ is an indicator



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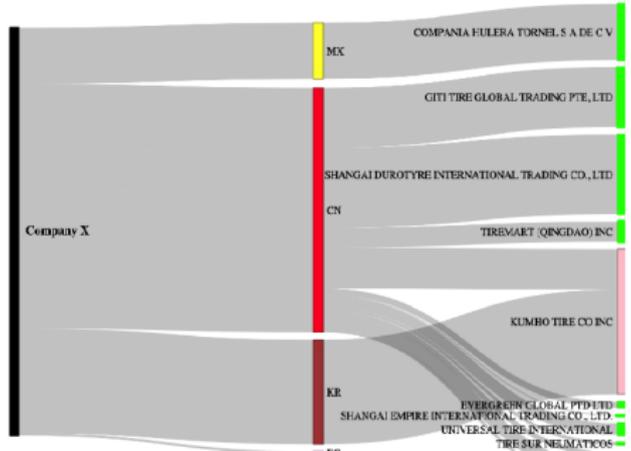
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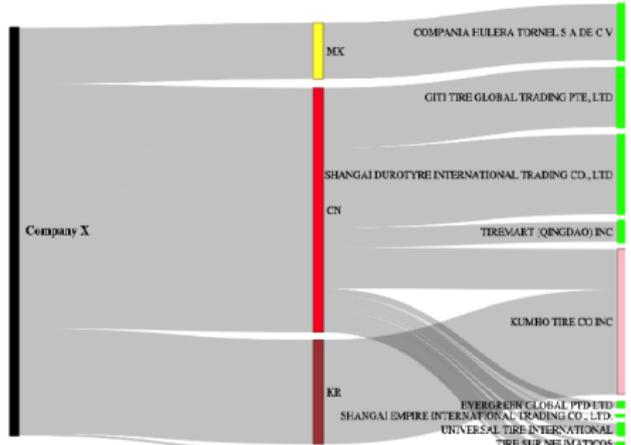
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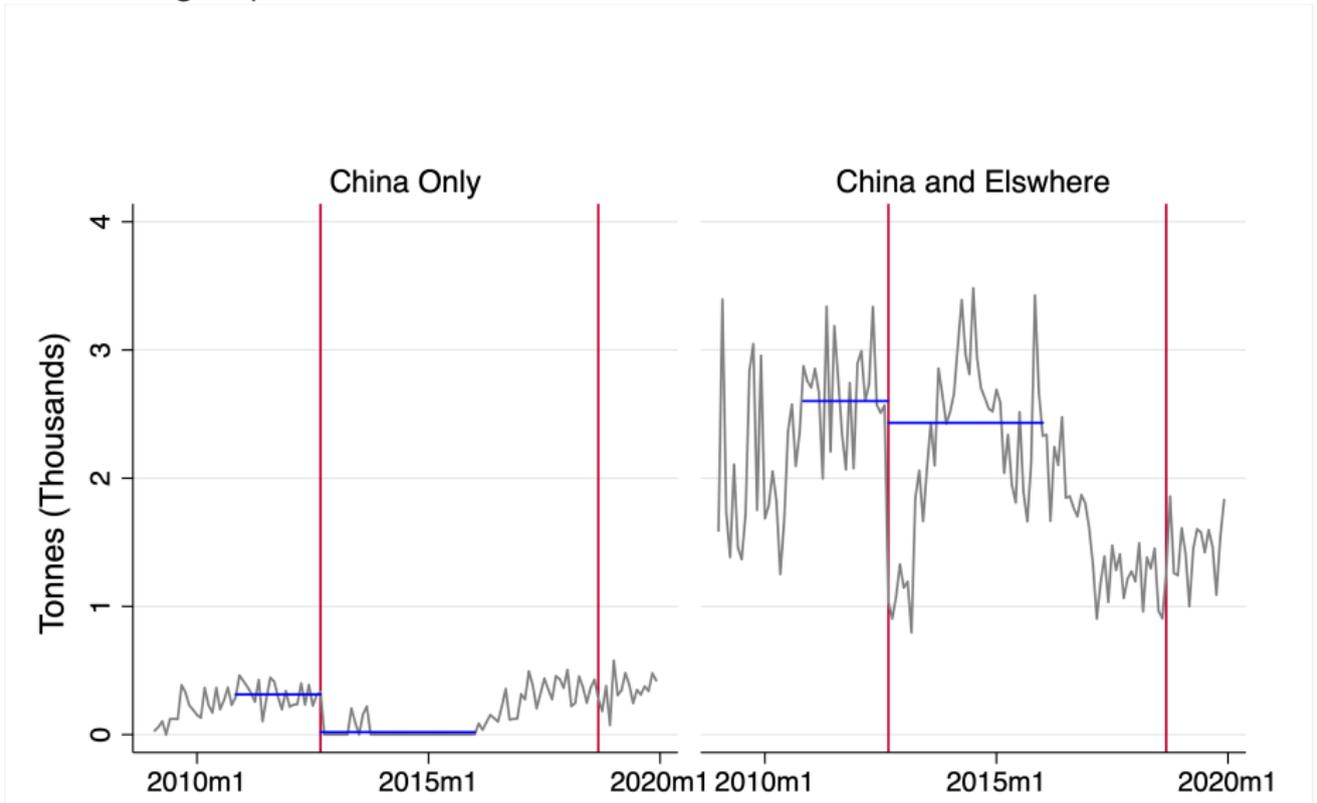
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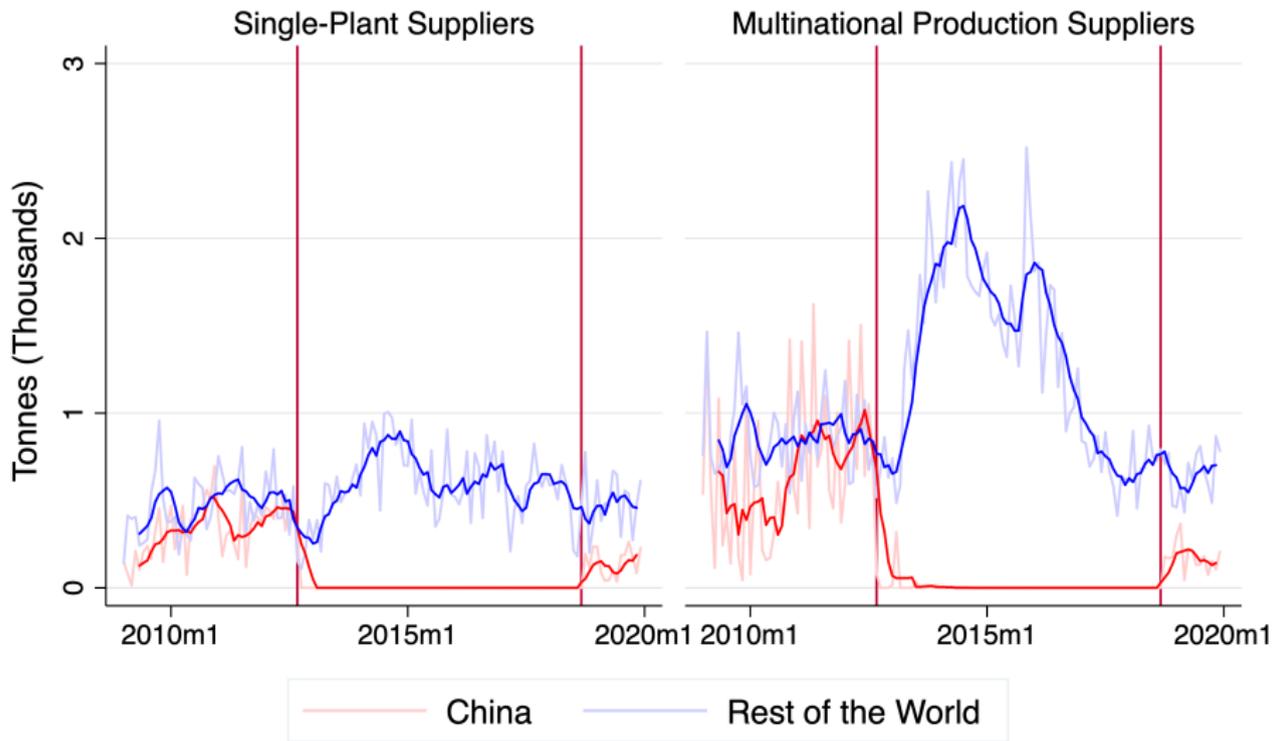
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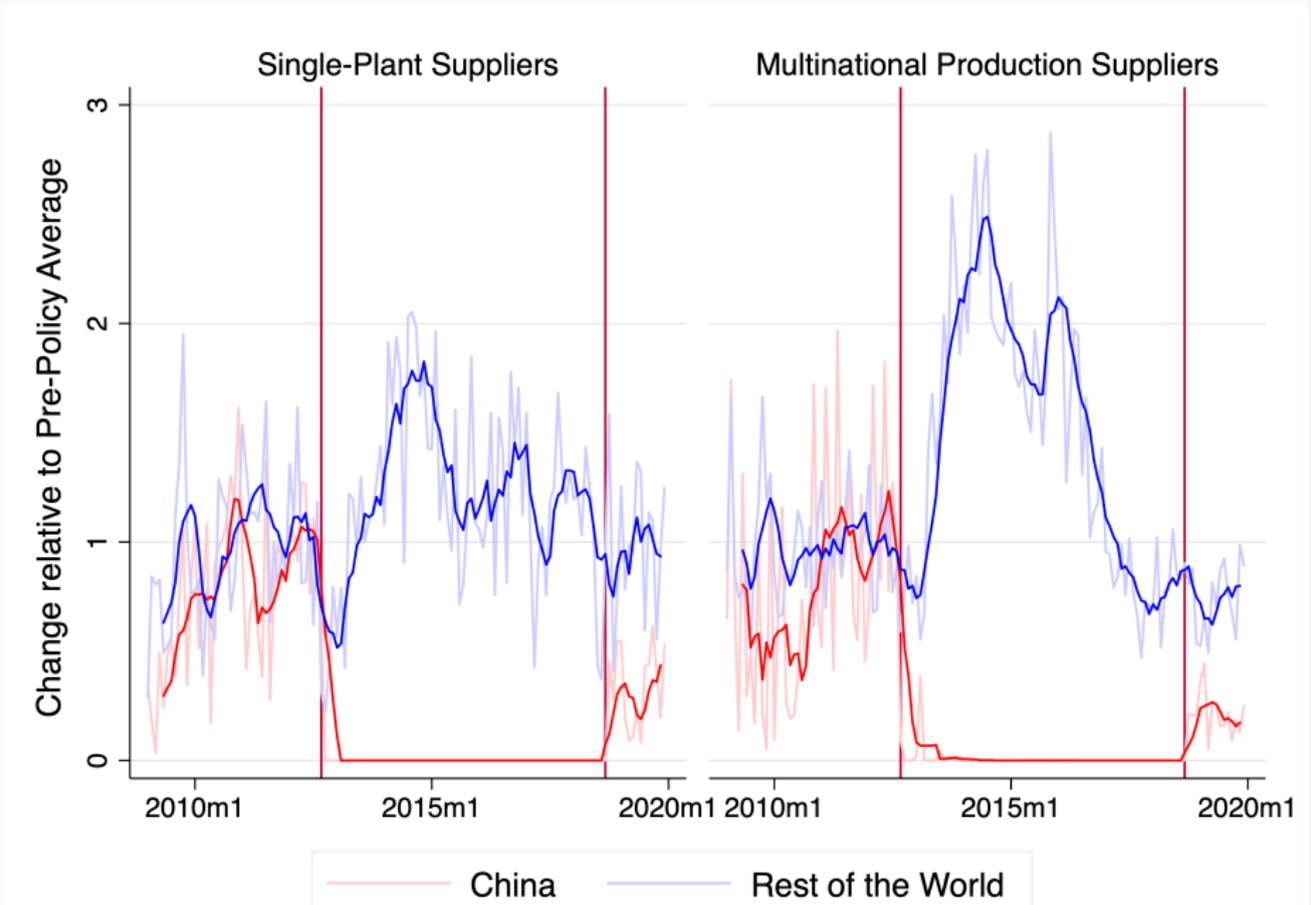
FACT 3: Large importers totals



FACT 4: Large importers



FACT 4: Large importers relative



Model: Firms

$$\max_{\{y_{ijo}\}} \sum_{j \in J_i} \sum_{o \in O_{ij}} (p_{ijo} - z_{ijo}) y_{ijo}$$

subject to

$$p_{ijo} = PY^{\frac{1}{\sigma}} y_i^{(1-\frac{1}{\sigma})} y_{ij}^{(\frac{1}{\kappa}-\frac{1}{\rho})} y_{ijo}^{-\frac{1}{\kappa}} a_{ijo}^{\frac{1}{\kappa}}$$

- Within an importer's product mix, the marginal quantities affect profit through its effect on each product:

FOC:

$$\begin{aligned}
 z_{ijo} = & \underbrace{p_{ijo} \left[\left(1 - \frac{1}{k}\right) + \left(\frac{1}{\kappa} - \frac{1}{\rho}\right) s_{ijo} + \left(\frac{1}{\rho} - \frac{1}{\sigma}\right) s_{ijo} s_{ij} \right]}_{\text{Through own product}} \\
 & + \underbrace{\sum_{o' \neq o} p_{ijo} \left[\left(\frac{1}{\kappa} - \frac{1}{\rho}\right) s_{ijo'} + \left(\frac{1}{\rho} - \frac{1}{\sigma}\right) s_{ijo'} s_{ij} \right]}_{\text{Through products from same supplier}} \\
 & + \sum_{j' \neq j} \sum_{l \in O_{ij}} \underbrace{p_{ijo} \left[\left(\frac{1}{\rho} - \frac{1}{\sigma}\right) s_{ij'l} s_{ij'} \right]}_{\text{Through products from different supplier}}
 \end{aligned}$$

$$\Leftrightarrow p_{ijo} = \frac{\sigma}{\sigma-1} z_{ijo}$$

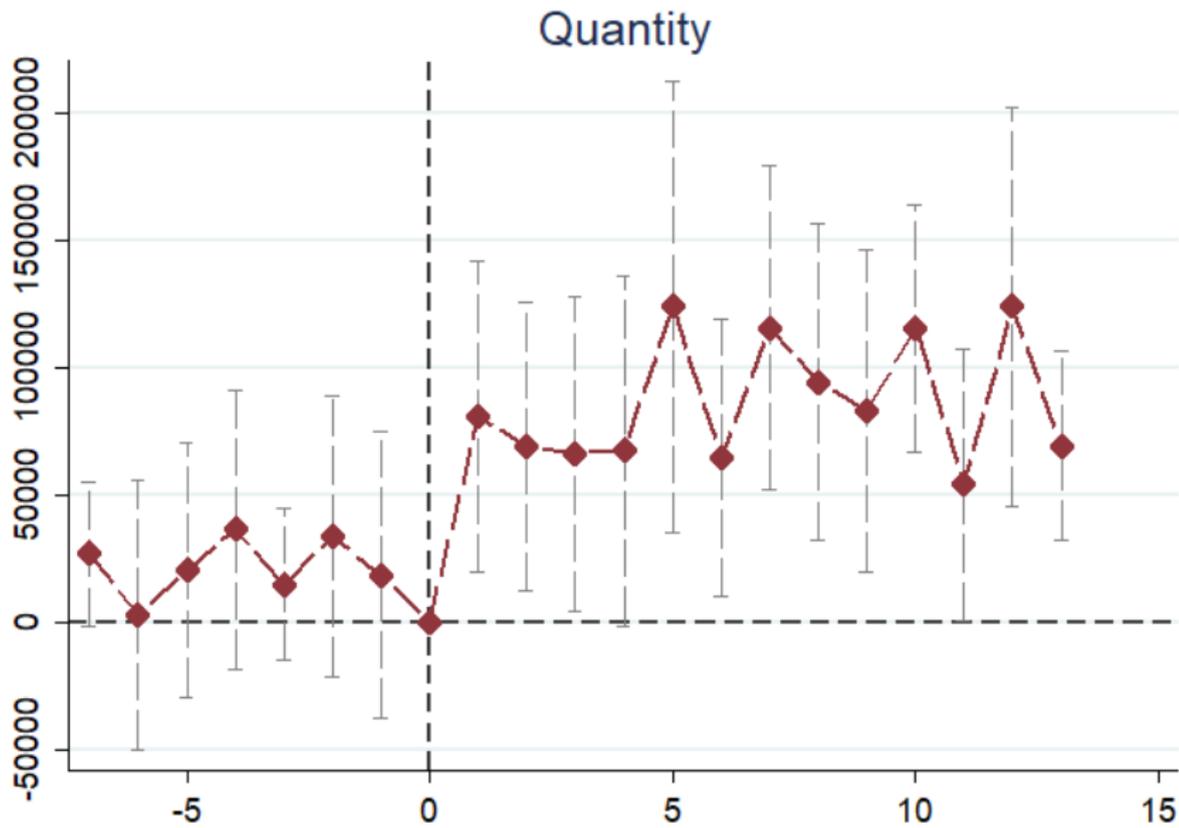
Differences in differences

$$\ln y_{g,ijo,t} = \delta_{g,ijo} + \gamma_{ijo,t} + \beta_1 Policy_{g,t} + \beta_2 Policy_{g,t} \times VarType_{ijo} + \varepsilon_{g,ijo,t}$$

$$\ln y_{g,ijo,t} = \delta_{g,ijo} + \gamma_{ijo,t} + \beta_1 D_{g,t} + \beta_2 D_{g,t} \times VarType_{ijo} + \varepsilon_{g,ijo,t}$$

	(1)	(2)
Policy	0.411*** (0.117)	
Policy*Type	0.345** (0.139)	
D		1.632*** (0.464)
D*Type		1.415** (0.548)
N	3210	3210
r2	0.8607	0.8612

Event study graph



Model's Assumptions

- Importing firms are matched with foreign suppliers and retail a final good in the domestic market
 - ▷ Matches are given. Matching process not modeled.
 - ▷ Consumers do not import. They purchase the imported final good from importers.
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 - ▷ Competition in the domestic market yield a constant-markup pricing behavior by importers.
- Varieties are differentiated by *importer* \times *supplier* \times *origin*.
 - ▷ Consumer is aware of all three margins \rightarrow Autoparts with safety standards
 - ▷ First importers, then suppliers \rightarrow importer retails, but also provides a service

Tiers of nesting :

- Bottom: $y_{ij} = \left(\sum_{o \in O_{ij}} a_{ij o}^{\frac{1}{\kappa}} y_{ij o}^{\frac{\kappa-1}{\kappa}} \right)^{\frac{\kappa}{\kappa-1}}$
 - ▷ y_{ij} nests all varieties with same importer and supplier
 - ▷ $y_{ij o}$ = Quantity consumed of variety indexed by importer i , supplier j and origin o
 - ▷ $a_{ij o}$ = Taste shock for variety $ij o$
 - ▷ O_{ij} = Set of origins within the match of importer i and supplier j

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- Middle: $y_i = \left(\sum_{j \in J_i} y_{ij}^{\frac{\rho-1}{\rho}} \right)^{\frac{\rho}{\rho-1}}$
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With the corresponding price indexes and prices, P , P_i , p_{ij} , $p_{ij o}$, the demand for variety $ij o$ is

$$y_{ij o} = a_{ij o} p_{ij o}^{-\kappa} p_{ij}^{\kappa-\rho} P_i^{\rho-\sigma} P^{\sigma-1} Y P$$

The main estimating equation derived from the model:

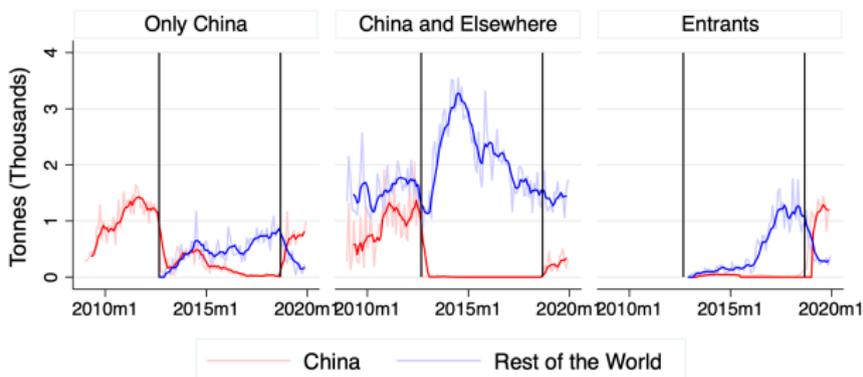
$$\Delta \ln y_{ij0} = (\sigma - 1)\Delta \ln P + (\rho - \sigma)\Delta \ln P_i + (\kappa - \rho)\Delta \ln p_{ij} - \kappa \Delta \ln p_{ij0} + \Delta \ln PY + \Delta \ln a_{ij0}$$

Least squares estimating equation:

$$\Delta \ln y_{ij0} = \alpha + \beta_1 \Delta \ln P_i + \beta_2 \Delta \ln p_{ij} + \beta_3 \Delta \ln p_{ij0} + \varepsilon_{ij0}$$

- ▷ Ideally one would use fixed effects and the instrument to estimate β_3
- ▷ Then recover κ and build $\Delta \ln p_{ij}$ to estimate β_2 and so on

$$\Delta \ln y_{ijo} = \alpha + \beta_1 \Delta \ln P_i + \beta_2 \Delta \ln p_{ij} + \beta_3 \Delta \ln p_{ijo} + \varepsilon_{ijo}$$



- Missing values for changes in Chinese varieties
- I want to use the changes in RoW quantities AND leverage the shock to Chinese tires
- GMM estimation for continuing varieties and constructing $\Delta \ln p_{ij}$ using Feenstra's correction

- Entry and exit of varieties accounted for using the variety correction from Feenstra (1994)

$$p_{ij} = \left[\sum_{o \in O_{ij}} a_{ijo} p_{ijo}^{1-\kappa} \right]^{\frac{1}{1-\kappa}}$$
$$= \left[\sum_{o \in C(O_{ij})} a_{ijo} p_{ijo}^{1-\kappa} \frac{1}{S(C(O_{ij}))} \right]^{\frac{1}{1-\kappa}}$$

where

- $C(O_{ij})$ is the set of continuing varieties within the match of importer i and supplier j
- $S(C(O_{ij}))$ is the share that continuing varieties represent in total imports from the match

I write the demand in changes using hat-algebra (i.e. $\hat{x} = dx/x$):

$$\hat{y}_{ijo} = (\sigma - 1)\hat{P} + (\rho - \sigma)\hat{P}_i + (\kappa - \rho)\hat{p}_{ij} - \kappa\hat{p}_{ijo} + \hat{P}U + \hat{a}_{ijo}$$

$$\hat{p}_{ijo} = \hat{z}_{ijo}$$

$$\hat{p}_{ij} = \sum_{o \in C(O_{ij})} s_{ijo}^* \hat{p}_{ijo} - \frac{1}{1 - \kappa} \hat{S}(C(O_{ij})) + \frac{1}{1 - \kappa} \sum_{o \in C(O_{ij})} s_{ijo}^* \hat{a}_{ijo}$$

$$\hat{P}_i = \sum_{j \in C(J_i)} S_{ij}^* \hat{p}_{ij} - \frac{1}{1 - \rho} \hat{S}(C(J_i))$$

$$\hat{P} = \sum_{i \in C(I)} S_i^* \hat{P}_i - \frac{1}{1 - \sigma} \hat{S}(C(I))$$

- \hat{z}_{ijo} is the import price
- S^* , S^* and s^* are shares within each nest

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$$\hat{P}_i = \sum_{j \in C(J_i)} S_{ij}^* \hat{p}_{ij} - \frac{1}{1 - \rho} \hat{S}(C(J_i))$$

- price change by continuing varieties in the nest

- change in market share of the continuing varieties in the nest

$$\hat{P} = \sum_{i \in C(I)} S_i^* \hat{P}_i - \frac{1}{1 - \sigma} \hat{S}(C(I))$$

- turned into units that account for "price change of non-continuing"

- \hat{z}_{ijo} is the import price
- S^* , S^* and s^* are shares within each nest

$$\Delta \ln y_{ij0} = \alpha + \beta_1 \Delta \ln P_i + \beta_2 \Delta \ln p_{ij} + \beta_3 \Delta \ln p_{ij0} + \varepsilon_{ij0}$$

- Consider the following example:

Variety	origin	importer	supplier	Status	Pre Price	Post Price	price floor
1	Korea	Serv. Leon	Michelin	Continuing	4.7	4.7	-
2	China	Serv. Leon	Michelin	Dropped	4.1	MISSING	5.3

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- The missing price precludes the computation of the regressors for the estimation

Variety	$\Delta \ln y$	$\Delta \ln p_{ij0}$	$\Delta \ln p_{ij}$	$\ln P_i$
1	0.7	0	MISSING	MISSING
2	MISSING	MISSING	MISSING	MISSING

- However, I can use the distance to the price floor instead of the missing price change

Instruments for prices and price indexes:

- Policy induces a price jump that at least reaches the price floor for chinese varieties.
- The gap between pre-policy prices and the floor introduces exogenous variation.

$$\hat{p}_{ij_o}^{IV} = \begin{cases} \ln(\text{floor}) - \ln(\text{price}_{pre}) & \text{if origin is China.} \\ 0 & \text{otherwise.} \end{cases}$$

$$\hat{p}_{ij}^{IV} = \sum_{o \in C(O_{ij})} s_{ij_o}^* \hat{p}_{ij_o}^{IV}$$

$$\hat{P}_i^{IV} = \sum_{j \in C(J_i)} S_{ij}^* \hat{p}_{ij}^{IV}$$

where

- $C(O_{ij})$ is the set of continuing origins within the GVC of importer i and supplier j
- $s_{ij_o}^*$ is the share of continuing origin o in the set $C(O_{ij})$
- $C(J_i)$ is the set of continuing suppliers that trade with importer i
- S_{ij}^* is the share of continuing supplier o in the set $C(J_i)$

Instruments for Entry/Exit corrections:

- Use distance to the price floor of chinese varieties in the same nest:
 - Strong within-nest substitution
 - Cheaper varieties take larger market share
 - Correction is larger when they exit

$$\hat{S}(C(O_{ij}))^{IV} = \sum_{o=china} s_{ij_o} (\ln(\text{floor}) - \ln(\text{price}_{ij_o}^{pre}))$$

$$\hat{S}(C(J_i))^{IV} = \sum_{j \in J_i} \sum_{o=china} s_{ij} s_{ij_o} (\ln(\text{floor}) - \ln(\text{price}_{ij_o}^{pre}))$$

where

- $C(O_{ij})$ is the set of continuing origins within the GVC of importer i and supplier j
- s_{ij_o} is the share of chinese variety o in the set O_{ij}
- $C(J_i)$ is the set of continuing suppliers that trade with importer i
- s_{ij} is the share of chinese supplier o in the set J_i

Results

$$\Delta \ln y_{ij0} = (\sigma - 1)\Delta \ln P + (\rho - \sigma)\Delta \ln P_i + (\kappa - \rho)\Delta \ln p_{ij} - \kappa \Delta \ln p_{ij0} + \Delta \ln PU + \Delta \ln a_{ij0}$$

	OLS	IV		IV	GMM	Elasticity governs substitution
$-\kappa$	-6.139*** (1.534)	-6.799*** (1.139)	κ	6.7	8	Varieties with same importer and supplier
$\kappa - \rho$	3.513*** (1.48)	4.521*** (1.51)	ρ	2.2	3.3	Varieties with the same importer
$\rho - \sigma$	1.587*** (0.743)	1.392 (0.773)	σ	0.88	1.9	All varieties

Transition

Analyzing the policy ending suggests:

- Trading with multinational suppliers is still a driver of rapid switching across origins
- After five years of price control, the organizational structure of the industry changed considerably, including:
 - Internationalization of Chinese suppliers
 - Importers engage in less multi-origin sourcing

Next step: Model that endogenizes such extensive margin.