

Quality checks on granular banking data: an experimental approach based on machine learning

Zambuto F., Buzzi M.R., Costanzo G., Di Lucido M., La Ganga B., Maddaloni P., Papale F., Svezia E.

Bank of Italy

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Outline

- Context and Motivations
- Data
- The Algorithm
- Results
- Conclusions and Future Work

Context and Motivations (1)

- Central Banks collect, process and disseminate a wide set of statistical data: Data Quality Management (DQM) is crucial to support decision making.
- <u>DQM in Bank of Italy</u>: automated checks to verify predetermined relationships in the data (e.g. accounting, logical and mathematical relationships).
- When deterministic relationships are weak DQM entails plausibility checks (trend-based) that rely on "acceptance regions" to isolate outliers.

Context and Motivations (2)

- Shortcomings of plausibility checks:
 - Calibration not straightforward,
 - Periodical revision and update needed,
 - Large number of acceptance thresholds.
- Complex and time-consuming system with highly granular data and heterogeneous reporting patterns.
- <u>Aim</u>: employ ML to improve plausibility checks in granular databases.
- Approach: a supervised learning algorithm (<u>Quantile Regression</u> <u>Forests</u>) employed to detect potential outliers.

Findings

- Application to payment services data reported by banks.
 Outliers cross-checked with reporting agents.
- Empirical findings:
 - **New outliers** detected (not identified by the current DQM system).
 - High accuracy (77% precision; reduced "false positives").
- Improvements:
 - Thresholds tailored to the characteristics of banks and to the degree of granularity of the data.
 - Dynamic thresholds that are automatically updated as new data are reported. Reduced involvement of analysts.

- Focus on debit cards issued:
 - <u>Unit of analysis</u> = n. of cards issued by bank (*i*), at the end of the semester (*t*), for a given province (*p*).
 - Data extracted from DWH. Period: Dec-2014 to Jun-2018.
- Additional data on bank features:
 - n. of customers by province of the counterparty,
 - type of customer accounts,
 - other payment services offered (business model).
- Final sample: 18,000 observations corresponding to 213 banks.

The Algorithm (1)

- Analysis of the empirical distribution of the n. of debit cards (Y) conditional on bank characteristics (Xs).
- Estimation of quantile functions $q_{\tau}(Y|X)$:

$$Prob(Y < q_{\tau}(X)) = F(q_{\tau}(X)) = \tau$$

 Quantile functions combined to form prediction intervals (acceptance thresholds) associated with a given probability (α):

$$PI(X) = [q_{\frac{\alpha}{2}}(X), q_{1-\frac{\alpha}{2}}(X)]$$

 <u>Outliers</u>: values outside the intervals; unlikely to occur (too high/too low) given the reporting context.

The Algorithm (2)

- Sampling:
 - **Train** set to estimate **quantile functions** $q_{\tau}(x)$ for different τ s.
 - Test set to compute intervals $[\hat{q}_{\tau 1}(x), \hat{q}_{\tau 2}(x)]$ and detect outliers.
- Training:
 - Algorithms: Quantile Regression Forest, Linear Quantile Model, Linear Quantile Model with Fixed-Effects.
 - Model selection with 10-folds cross validation.
- Testing:
 - Rolling window with two snapshots of data. Last two semesters in each snapshot as test set.
 - Outliers communicated to banks for cross-check.

The Algorithm (3)

Model:

 $\begin{aligned} q_{\tau}(x_{ipt}) &= \beta_0 + \beta_1 depositors_{ipt} + \beta_2 perc_ca_{ipt} + \beta_3 size_{it} + \beta_4 iss_acq_ratio_{it} \\ &+ \beta_5 trend + \beta_6 sem + \alpha_i + \mu_p \end{aligned}$

- Predictors:
 - *depositors_{ipt}* = N. of depositors (of a bank in a given province)
 - $perc_ca_{ipt}$ = % of depositors with current accounts
 - *size_{it}* = Total transacted amounts (as an issuer and as an acquirer)
 - *iss_acq_ratio_{it}* = Balance between issuing and acquiring services
 - *sem* = Semester dummy
 - t = N. of semesters starting from the first period in the dataset
 - α_i = Bank fixed effects
 - μ_p = Province fixed effects

The Algorithm (4)

Estimated acceptance thresholds:

 $PI_1(x) = [q_{0.01}(x), q_{0.99}(x)]$

 $PI_2(x) = [q_{0.025}(x), q_{0.975}(x)]$

 $PI_{3}(x) = [q_{0.25}(x) - 1.5 \cdot (q_{0.75}(x) - q_{0.25}(x)), q_{0.75}(x) + 1.5 \cdot (q_{0.75}(x) - q_{0.25}(x))]$

 Observations falling outside any of the intervals flagged as potential outliers.

Cross check of outliers with banks

	PI1	PI2	PI3
Prediction intervals:	$[q_{0.01}, q_{0.99}]$	[q _{0.025} , q _{0.975}]	Inter-quartile range
a-Total number of potential outliers	373	489	457
b-Anomalies detected and revised ("true positives")	289	312	292
c-Confirmed observations ("false positives")	84	177	165
d-Precision b/a (%)	77.5%	63.8%	63.9%

Concluding Remarks

- Potential to improve DQM: more precise quality checks to detect outliers at a fine grained level with reasonable level of accuracy.
- Maintanance of DQM system: dynamic thresholds and periodical training of the algorithm vs manual update of acceptance thresholds.
- Additional challanges:
 - New processes and IT solutions for the production phase.
 - Communication of anomalies to banks becomes more complex.

- Extensions:
 - Application to other payment services data (e.g. credit cards).
 - Analysis of data at the collection stage (i.e. before delivery to the DWH).
 - Classification algorithms (exploiting variations to reported data).
 - Unsupervised algorithms for outlier detection.
- <u>In perspective</u>: extend the ML approach to other granular data collections (in particular when current checks are weak).



Thank you for your attention!

fabio.zambuto@bancaditalia.it