

# Discussion of Forecasting in the presence of recent and recurring structural breaks, by J. Eklund, S.Price and G.Kapetanios

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# Plan of the discussion

- Quick summary of the paper (aim and relevance)
- First environment (small frequent breaks)
  - 1 I suggest some exercises to further motivate the use of *naive* estimators
  - 2 I have a look at what happens if also the variance changes
- Second environment (large infrequent breaks)
  - 1 Raise a question on why Pesaran Timmermann (2007) does not apply here
- Some general comments
- Conclusions

# What the paper is about

- It compares two approaches to breaks:
  - ① Relaxed Guy: no need to be nervous, breaks happen all the time, I use simple strategies to discount past data.
    - ① Rolling mean
    - ② Pooled mean (Average of means over a shrinking window)
    - ③ EWMA
  - ② Nervous Guy: large breaks might occur, I cannot relax, let me monitor all the time and if something happens I am ready to combine data...
- Issues particularly relevant if you update your forecasts frequently (Central Banks and alike)

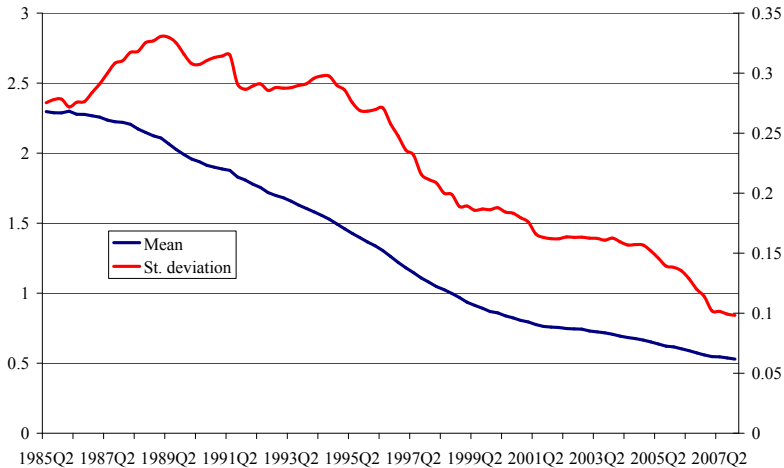
## Builds on Pesaran and Timmermann (2007)

- Intuition of PT (2007)
- You have a break that it is not too recent
- Does it pay off to use pre-break data?
- It might, especially if after the break the variable you want to forecast becomes noisier
- You have a bias from the slopes because you're using data from before the break (when the slopes were different)
- But you have a gain from the variance because you're mixing recent noisy data with old less noisy data
- In real life this might be of little use
  - 1 Break tests are worse than Alitalia flights: they're always late
  - 2 Small continuous breaks might never be caught by break tests (Benati, Drifts and breaks)

# In real life we observe both small smooth breaks...

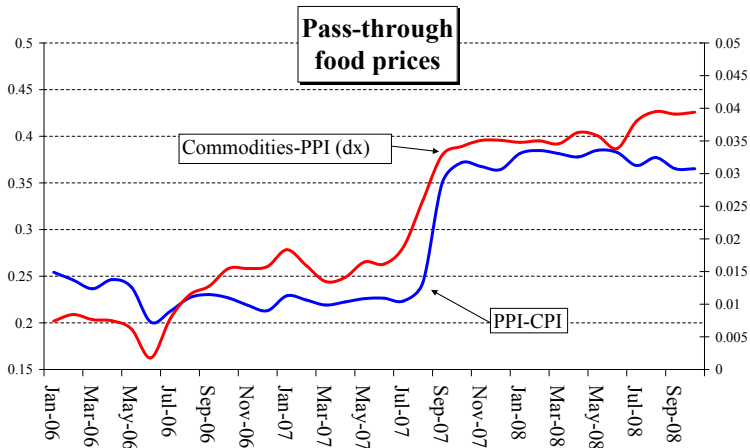
## Inflation mean and volatility

(Euro area GDP deflator - q/q growth rates 15 years rolling window)



## ... and sudden large breaks

Recent spike in food prices pass-through in the euro area



# First environment: small frequent structural breaks 1

- If breaks are small and frequent (i) tests don't catch them (ii) you're forced to use data across breaks due to data constraints
- Consensus emerged in the literature: this environment is well captured by slow moving drifting coefficients (SLOW-RW).

$$y_t = \mu_t + \epsilon_t$$
$$\mu_t = \mu_{t-1} + u_t$$

- If  $\sigma_u/\sigma_e$  is small: pile up problem (MUE, Bayesian methods etc...)

## First environment: small frequent structural breaks 2

- Relaxed guy doesn't buy this view + he doesn't like sophisticated methods
- He lives in a world in which :

$$y_t = \mu_t + \epsilon_t$$

$$\mu_t = \mu_{t-1} \quad \text{with probability } 1-p$$

$$\mu_t = \eta_t \quad \text{with probability } p$$

where  $\eta_t$  is a random uniform shock that can have large or small variance.

- Problem 1: are his estimators really robust?
- If the world were to be a SLOW-RW how would they perform?
- I would like to see some robustness checks
- Change the DGP and see how naive estimators perform compared to more sophisticated ones (TVP, MS and so on)

## An aside

- I have a problem with the formula for EWMA in the paper
- The weights for observation  $j$  are written like:  $1 / T\lambda(1 - \lambda)^{T-j}$
- Yet they should be:  $\lambda(1 - \lambda)^{T-j}$
- EWMA errors look far too large to me
- In my simulations EWMA actually performs quite well

Simulate a random walk plus noise model

High Signal/Noise			Low Signal/Noise		
ROLL	POOL	EWMA	ROLL	POOL	EWMA
0.92	1.04	0.93	0.96	1.02	0.98

## First environment: small frequent structural breaks 3

- Problem 2: the noise variance never changes in this paper
- Even if you had enough data (and you don't in this environment as breaks are frequent) you could never exploit any trade off by using pre-break data
- What if the world became less or more noisy at some point?
- Would naive estimators perform well compared to the full sample?  
Simulate the model in the paper:

$$y_t = \mu_t + \epsilon_t \quad (1)$$

$$\mu_t = \mu_{t-1} \quad \text{with probability } 1-p \quad (2)$$

$$\mu_t = \eta_t \quad \text{with probability } p \quad (3)$$

- Now I let  $\sigma_e$  (noise variance) switch **only once** randomly within the sample with probability  $1/T$
- $\sigma_e$  can double (from low to high volatility environments)
- $\sigma_e$  can halve (from high to low volatility environments)

From High to Low variance

	High Signal/Noise			Low Signal/Noise		
	ROLL	POOL	EWMA	ROLL	POOL	EWMA
$p=.1$	0.98	0.98	0.80	1.01	1.00	1.02
$p=.01$	0.86	1.01	0.80	1.00	1.00	1.03

From Low to High variance

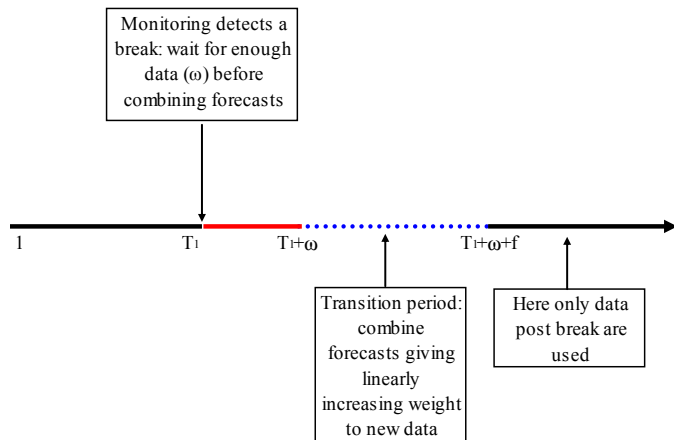
	High Signal/Noise			Low Signal/Noise		
	ROLL	POOL	EWMA	ROLL	POOL	EWMA
$p=.1$	0.99	0.99	0.90	1.01	1.00	1.04
$p=.01$	0.93	1.00	0.93	1.01	1.00	1.04

## Summary on this

- The rationale for using naive estimators seems rather weak
- Relaxed guy risks to be confused for Lazy guy
- Some robustness checks could 'sell' the story that he's using models that are robust to misspecification of the underlying DGP

## Second environment: rare large breaks

- After  $T_1 + \omega$  you have enough data to combine: PT (2007) here becomes relevant
- Why doesn't Nervous guy combine data even after  $T_1 + \omega + f$ ?
- The issue of the constant variance is even more important



## More general points

- The theoretical part is not very informative: you still have to simulate even for the simple local level model
- As a reader I'd prefer to have a small paragraph on monitoring
- The paper tries to tackle a lot of points, maybe too many
- Small frequent breaks: with robustness checks and comparisons with more sophisticated models could be a paper on its own

# Conclusions

- Issue very relevant for people that actually forecast frequently
- The choice not to model time variation with some unobserved components model raises eyebrows
- Robustness to misspecification of the underlying process could be a way to go
- Playing around with the variance could give further insights
- I learned a lot from reading this paper, which is always good!

Thanks for listening