(Working Papers)

Natural expectations and home equity extraction

by Roberto Pancrazi and Mario Pietrunti

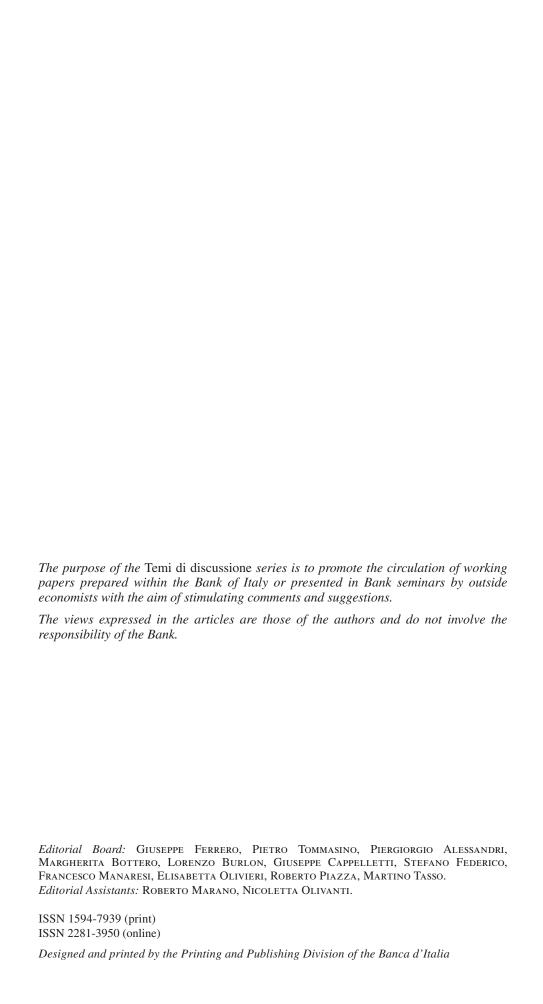


Temi di discussione

(Working papers)

Natural expectations and home equity extraction

by Roberto Pancrazi and Mario Pietrunti



NATURAL EXPECTATIONS AND HOME EQUITY EXTRACTION

by Roberto Pancrazi* and Mario Pietrunti**

Abstract

In this paper we show that long-run expectations about future housing prices of both households and, especially, financial intermediaries had a large impact on households' indebtedness during the recent boom in U.S. housing prices. We introduce the theory of *natural expectations* in a collateralized credit market model populated by households and banks and find: (1) that mild variations in long-run forecasts of housing prices result in large differences in the amount of home equity extracted during the boom; and (2) that the equilibrium level of debt and the interest rate are particularly sensitive to financial intermediaries' naturalness.

JEL Classification: E21, E32, E44, D84.

Keywords: natural expectations, home equity extraction, consumption/saving decision, housing price.

Contents

1. Introduction	5
2. Debt, Housing Prices, and Professional Forecasts	9
3. Natural House Price Expectations	13
4. A Model for Home Equity Loans and Natural Expectations	19
5. Calibration	23
6. Quantitative Effects of Natural Expectations	27
7. Conclusions	
References	33
8. Tables	36
9. Figures	39
Appendix	43

^{*} University of Warwick.

^{**} Bank of Italy, Financial Stability Directorate, DG Economics, Statistics and Research.

1 Introduction¹

From 1999 to the end of 2006, U.S. household debt relative to income grew sharply, from 64 percent to more than 100 percent.² The increase in debt was accompanied by a sharp appreciation in housing prices: the real house price Standard & Poor's Case-Shiller Home Price Index soared by 65 per cent in the same time span. Unlike previous episodes of heated housing markets, the recent housing price boom has been characterized by a surge in households' extraction of home equity, through cash-out refinancing of mortgages, second lien home equity loans, or home equity lines of credit (henceforth, HELOCs). In 1990, the value of these home equity extraction instruments recorded in the balance sheet of U.S. commercial banks was about \$58 billion; at the end of 1999, their value doubled to \$103 billion; and in 2006, when housing prices were at their peak, it had more than quadrupled.³ Also, Greenspan and Kennedy (2005) document that households' gross home equity extraction as a fraction of disposable income increased by 7 percentage points (from less than 3 percent to about 10 percent) between 1997 and 2005.

In this paper we propose a novel explanation for the increase in households' leverage during a housing price boom. We show that long-run expectations about future house prices of both households and, especially, financial intermediaries have a large impact on households' indebtedness. Our story relates to the work of Fuster et al. (2010) and Fuster et al. (2012) and the concept of natural expectations as follows. In their setting: (1) Fundamentals of the economy are truly hump-shaped, exhibiting momentum in the short run and partial mean reversion in the long run, which, however, is hard to identify in small samples. And (2) agents do not know that fundamentals are hump-shaped and, instead, base their beliefs on parsimonious models that fit the available data.⁴ Following a similar approach, we assume that our economy's homeowners, taking housing prices as given, have to forecast house price realizations to quantify their future housing wealth and to decide how much equity to extract. Similarly, financial intermediaries need to forecast future house prices to choose the supply of home equity loans. Which model do agents use to forecast housing prices? We consider a set of parsimonious models that replicate empirically observed patterns in housing prices.

 $^{^1\}mathrm{We}$ are grateful to Philippe Andrade, Paolo Angelini, Patrick Fève, Christian Hellwig, David Laibson, Eric Mengus. The research leading to this paper has received financial support from the European Research Council under the European Community's Seventh Framework Program FP7/2007-2013 grant agreement N°263790. The opinions expressed are those of the authors and do not necessarily reflect those of Banca d'Italia.

²Source: FRED, Federal Reserve Economic Data, Federal Reserve Bank of St. Louis and Federal Reserve System, Flow of Funds.

³Source: Federal Reserve System, Flow of Funds.

⁴These assumptions are able to generate empirically observed patterns in asset prices, such as asset price volatility, mean-reversion, and large equity premium.

Hence, these models are similar in terms of in-sample fit and short-run forecasts. However, they differ on their ability to capture the long-run hump-shaped dynamics that characterize housing prices. We are interested in assessing how the behavior of agents in the credit market is affected by natural expectations - that is, by using simplified models that fail to take into account the long-run mean reversion of house prices after a positive short-run momentum when making forecasts.⁵ After all, as shown by Fuster et al. (2010), long-run mean reversion is a property of a process that is hard to detect in small samples. Then, using a tractable model of a collateralized credit market populated by households and banks and calibrated to the most recent house price boom, we find that: (1) mild variations in long-run housing price forecasts result in quantitatively considerable differences in the amount of home equity extracted during a housing price boom; (2) the equilibrium level of debt and its interest rate are particularly sensitive to financial intermediaries' naturalness; (3) home equity extraction data are better matched by models in which agents are fairly natural. Our findings, hence, support the theory of Case et al. (2012), which highlights the role of future housing price expectations among other several explanations of market dynamics.⁶

The assumption that households behave in line with natural expectations when confronting house prices is largely supported by empirical work. For example, Goodman and Ittner (1992) surveys the early literature about the excessive optimism of homeowners in assessing the future values of their homes and documents that households overestimate home price by between 4 percent and 16 percent. More recently, Agarwal (2007) considers panel data from 2002 to 2005 and concludes that homeowners significantly overestimate their house value by on average 3.1 percent. Also, using questionnaire survey data in the period 2002-2012, Case et al. (2012) find that households' forecasts were accurate in the short-run (one year) but "abnormally high" in the long run (10 years). Nevertheless, households are only one side of the housing-related debt market. In fact, financial institutions supply credit to households and, if they did not share the same optimistic forecasts, they would be reluctant to provide home equity at low interest rates. One novelty of this paper is its insight in documenting that financial experts also fell victim to natural expectations when they made their housing

⁵As in Fuster et al. (2010), for tractability we abstract from learning and give agents a fixed, simple model estimated using available data.

⁶Other theories proposed in the literature focus on: growing complacency of lenders in the face of declining loan quality (Mian and Sufi, 2011, Demyanyk and Van Hemert, 2011); money illusion on the part of homebuyers that led to flawed comparisons of home purchase prices with rents (Brunnermeier and Julliard, 2008); an agency problem afflicting the credit rating agencies (Mathis et al., 2009); and government failure to regulate an emerging shadow banking system (Gorton, 2010).

⁷As the authors state: "it may be a general expectation about the vague and distant future that helps explain why people behaved in the 2000s as if they thought that home prices could never fall: perhaps they thought so only about the long run, as our 10-year expectations data seem to confirm".

price forecasts - in the sense that they, too, ignored any form of long-run mean reversion in housing prices after the positive and strong short-run momentum. In addition, using our model, we highlight that banks' natural expectations were particularly important for the recent home equity extraction boom. Specifically, the equilibrium level of debt in the economy owes more to the natural expectations of financial intermediaries than of households. The natural expectations of financial intermediaries seems a necessary component in any explanation of the reduction of the interest rate for home equity loans as observed during the housing price boom. Yet, surprisingly, investigations of the role of the supply side on the surge of housing-related debt is a relatively unexplored issue. An exception is Justiniano et al. (2014), who, however, focus on the loosening of lending constraints in the mortgage markets.

Thus, the first contribution of our paper is to document that financial experts also likely ignored hump-shaped dynamics of housing prices in their forecasts, and thus wound up being excessively optimistic about long-run housing price appreciation in the recent price boom. Specifically, we gather a unique dataset of out-of-sample housing price forecasts made by a professional forecasting company in the period 1995-2011 and show that these forecasts do not display any sort of adjustment after a period of short-run positive momentum: forecasts made prior to 2006 predict overall constant and large increases in long-run housing price until 2030. These findings are in line with other studies about the behavior of housing market experts during the boom phase. We argue, then, that financial experts can also be treated as natural agents and that their inability to account for hump-shaped housing price dynamics affected the supply of credit during the recent boom.

As a second contribution of the paper, we apply the theory of *natural* expectations to the housing market. Specifically, first we show that housing prices are characterized by humpshaped dynamics, which imply a large momentum in the short run and partial mean reversion in the long run. Then, we compare four models to estimate and forecast housing price dynamics. We consider two possible dimensions that lead to *natural* expectations: (1) an inner tendency of agents to incorporate a small set of explanatory variables when estimating a model, in line with the findings in Beshears et al. (2013); and (2) a limited ability of agents to consider a large set of data when estimating the model, in line with the assumption of extrapolative expectations applied to the housing market. We also consider two rigorous and more sophisticated statistical approaches to modeling and forecasting housing prices, which differ upon the information criterion used to select the most appropriate specification. We find

⁸See Gerardi et al. (2008) and Cheng et al. (2014).

⁹See Goetzmann et al. (2012), Abraham and Hendershott (1994), Muellbauer and Murphy (1997) and Piazzesi and Schneider (2009).

that models that incorporate hump-shaped dynamics are not preferred, in terms of in-sample fit, to more parsimonious models that ignore long-run mean reversion. As a result, the use of simple models leading to natural beliefs is fully justifiable in terms of in-sample performance. Finally, we demonstrate that models that have diverse degrees of ability to capture hump-shaped dynamics in housing price market may differ in their long-run forecasts, while leading to similar short-run predictions. Hence, agents that make use of simple models fail to take into account the partial mean reversion of housing prices in the long run.¹⁰

The third contribution of the paper is to link long-run housing price forecasts to the optimal behavior of agents in the credit market. We therefore introduce a tractable model of a collateralized credit market populated by a representative household and bank. The household can obtain credit from the financial institution (henceforth, bank) by pledging its house as collateral. In each period, the household decides how much to consume and how much to borrow and, given the realization of the stochastic exogenous housing price, whether to repay its debt or to default and lose the ownership of the house. The amount of debt demanded crucially depends on the expected realizations of the housing price. The bank borrows resources at a prime rate and lends them to the household charging a margin. The bank gains either from debt repayment, in the case of no default from the household, or from the sale of the housing stock, in the case of default. Hence, the bank faces a trade-off when offering a large amount of debt: on the one hand, it might increase its revenue in case of no-default; on the other, it provides incentives to the household to default. Obviously, the banks' expected future house price is a key determinant of its supply of credit.

In our quantitative assessment, we are mainly interested in examining the extent to which the equilibrium level of debt and its price vary with the ability of agents to take into account possible long run mean-reverting dynamics of housing prices. Hence, we select a housing price path in our model that matches the observed dynamics of the aggregate U.S. housing price in the period 2001-2010, and we vary the specification of the process the agents use to predict future house prices. We consider a large set of specifications (fifty) that are identical in terms of the short-run (one-year ahead) forecast, and in terms of magnitude of the unconditional variance of the housing price process, but that differ in terms of the long-run expectations. Hence, we can rank the different specifications according to their degree of naturalness: more natural processes ignore the long-run mean reversion of housing prices and predict a higher long-run price; less natural processes incorporate a certain degree of housing price adjustment

¹⁰As discussed in Fuster et al. (2010): "there are several reasons that justify the use of simple models: they are easy to understand, easy to explain, and easy to employ; simplicity also reduces the risks of over-fitting".

¹¹The model is related to Cocco (2005), Yao (2005), Li and Yao (2007), Campbell and Cocco (2011), and Brueckner et al. (2012).

after the short-run momentum and predict a lower long-run price. We find several interesting results. First, the model predicts a positive relationship between the average equilibrium level of debt in the economy in the boom phase and the degree of naturalness of agents. Intuitively, after observing an increase in the house price, a more natural agent expects a longer-lasting housing price appreciation, which gives stronger incentive to demand/supply debt. Second, long-run expectations play a large role from a quantitative point of view: when the economy is populated by more natural agents, the debt to income ratio during a boom phase is about 55 percent; when the economy is populated by less natural agents it falls to 35 percent. Recall that the difference in these quantities is solely due to the contrasting long-run expectations of housing prices, since by construction agents have the same short-run expectations in each of the fifty specifications. Third, we show the importance of supply-side naturalness for the increasing household debt leverage during the housing price boom and for the interest rate reduction of home equity loans, as documented by Justiniano et al. (2014). In fact, by conducting a simple experiment where only the bank or the household (or both) are natural, we highlight that banks' naturalness has a larger effect than households' naturalness in increasing the equilibrium level of debt in the economy, and that, consistent with economic theory, it is the outward shift of the debt-supply schedule driven by banks' naturalness that is able to generate lower interest rates in home-equity-related debt. Hence, whereas Justiniano et al. (2014) explain increased levels of household debt (at lower prices) with the relaxation of lending constraints, our paper proposes an alternative story for the outward shift in credit supply observed during the phase of rising housing price. As a last result, using data on Gross Home Equity Extraction as computed in Greenspan and Kennedy (2005), we show that the simulated process that better fits the observed debt dynamics during the 2000-2009 housing price boom is characterized by a rather high degree of *naturalness*.

The rest of the paper is organized as follows. In section 2 we document the tight relationship between housing prices and households' economic behavior in the United States, and we provide evidence that financial experts' forecasted future housing prices were not able to incorporate their long-run downward adjustment after a positive momentum. In section 3 we discuss the properties of *natural* expectations and their implications for long-run housing price forecasts. In section 4 we describe the theoretical model, and in section 5 we describe its calibration. In section 6 we discuss the quantitative results of the model. Section 7 concludes and summarizes the main findings.

2 Debt, Housing Prices, and Professional Forecasts

The goal of this paper is to analyze the interaction between housing price forecasts and private agents' economic behavior in the credit market. This link is not obvious if one considers housing an illiquid asset. However, recent innovations in financial markets and, in particular, the growing popularity of home equity loans have contributed to make housing a liquid asset, thus strengthening the relationship between housing prices (and housing wealth) and agents' consumption/saving decisions. To understand the rising popularity of such financial instruments in the last decades, in Figure 1 we plot the flow of home equity extracted by households (in billions of dollars, solid line), together with the Standard & Poor's Case-Shiller Home Price Index (dashed line). The positive trend starting from the beginning of the '90s, as well as the tight relationship between Home Equity Extraction (HEE) and housing prices, are striking: in 1992 the value of HEE was about \$41 billion (in 2006 dollars); at the end of 1999, HEE value more than doubled to about \$95 billion; and from 2000 to 2006, when housing price growth was at its peak, HEE almost tripled.

This evidence has been already examined in the literature. For example, Mian and Sufi (2011) estimate the aggregate impact of the home equity-based borrowing channel, finding that \$1.25 trillion (i.e. about 2 percent of GDP per year) of the rise in household debt from 2002 to 2006 is attributable to existing homeowners borrowing against the increased value of their homes. Disney and Gathergood (2011) present evidence for the relationship between housing price growth and household indebtedness among homeowners in the United States from 1999 to 2007, and find that rising housing prices explain roughly 20 percent of the growth in indebtedness among U.S. households. Brown et al. (2013) find that all homeowner types increased their housing and non-housing debt in response to the housing price boom.

One possible explanation for the over-exposure of households to home equity loans is their inability to correctly forecast future housing prices, as largely suggested and documented in the literature.¹³ Importantly, Case et al. (2012) present evidence, based on annual household surveys between 2003 and 2012, showing that while households have been rather accurate in predicting short-term housing price appreciation, their long-term forecasts have been largely

¹²Home equity loans allow households to borrow up to a maximum amount within a given term, pledging their home equity as a collateral.

¹³Goodman and Ittner (1992) states that households' housing price estimates are between 4 percent and 16 percent larger that the actual realization. Shiller (2007) states that a significant factor in the housing boom was the perception that housing is a profitable investment and that housing price appreciation generated expectations of future price appreciation. Using panel data from 2002 to 2005 Agarwal (2007) finds that homeowners significantly overestimate the value of their home by on average 3.1 percent. Benïtez-Silva et al. (2008) estimate a sale-price equation as a function of a self-reported housing wealth, concluding that homeowners in average over estimate the value of their home by 5 percent to 10 percent. In addition, data show that the overestimation was more likely after 1980.

upward biased until 2005, when a strong revision of long-term forecasts occurred. Though households' expectations about future housing prices are obviously important, they cannot be the sole ingredient for the high level of collateralized debt. In fact, if demand for debt increases (thanks to households' upwardly biased long-term housing price forecasts) but supply of debt does not shift, basic economic theory suggests that the economy should experience an increased level of debt at higher costs -namely, higher interest rates. Nevertheless, as Justiniano et al. (2014) document, this is counterfactual since the recent home equity loan boom has been associated with low interest rates. To reconcile this evidence, in this paper we highlight that the supply side's house price expectations were particularly important for the recent home equity extraction boom. Investigating the role of the supply side on the surge of housing-related debt is a relatively unexplored issue. An exception is Justiniano et al. (2014), who, however, focus on the loosening of lending constraints in the mortgage markets. In contrast, in the next subsection we provide evidence that financial experts behave as natural agents, in the sense that, when making forecasts, they did not take into account any sort of long-run mean reversion in housing prices after a large short-run momentum.

2.1 Financial Experts Forecasts

In this section we provide evidence that models used by financial experts to forecast future housing prices were not able to incorporate their long-run downward adjustment after a positive momentum, which led to too optimistic future housing price expectations. For this reason, it is not unreasonable to consider financial experts as *natural agents*, in the sense that, as Fuster et al. (2012) define, they have ignored the hump-shaped dynamics of the housing price process that indeed characterize the housing price data, as we document later in the paper.

Specifically, we analyze a unique data set that contains out-of-sample forecasts of quarterly housing prices up to a horizon of 30 years, produced by a professional forecasting company. ¹⁴ The model used for generating the forecasts is described as a rich demand-supply model that takes into account long-term influences on housing prices, such as income trends and demographics, and cyclical factors such as unemployment and changes in mortgage rates. These forecasts began in 1995 and were updated every quarter until the end of 2011. We take these forecasts as a proxy for the forecasts made by financial experts.

Figure 2 shows the professional forecasts of a nominal housing price index for the period

¹⁴This globally recognized professional forecasting company provided us with their nominal housing price out-of-sample forecasts generated by their models. Unfortunately, the company was willing to privately disclose to us point estimates only.

1998-2020. In this figure we consider four forecasts made in the period 1998-2006, before the bust of the housing bubble. The red dotted line represents the forecast made in 2000Q1, the green circled line represents the forecast made in 2002Q1, the purple dashed line represent the forecast made in 2004Q1, and the blue dash-dotted line is the forecast made in 2006Q1. As the figure displays, the forecast made in 2000, 2002, and 2004 looking one to two quarters ahead were relatively accurate since they are very close to the actual realization of the housing prices (solid tick line). Nevertheless, the forecasts computed in those three years were not able to capture the steep price appreciation that characterized the period 2000-2007. Furthermore, and most importantly, all the forecasts were completely unable to predict the large housing price bust experience in 2006. Notice that the forecasters expected overall constant and large increases in long-run housing prices for the period 2000-2030.

We argue that these forecasts are consistent with the assumption that professional forecasters also failed to take into account any sort of long-run mean reversion in housing prices. To support this point, in Table 1 we report the average annualized growth rate from the year of the forecast (each row) to the horizon year (each column). Three main features are worth noticing. First, notice that all the forecasted average annualized housing price growth rates from the six dates in which forecasts were made (1995, 1998, 2000, 2002, 2004, 2006) to 2010 were much larger than their actually realized counterparts (in parenthesis). For example, the predicted average appreciation of housing price for the 12-years period between 1998 and 2010 was 3.97 percent per year, whereas the realized average was only 2.2 percent per year. Second, notice that the forecaster does not predict an adjustment in long-run housing prices, following a period of appreciation. In fact, all the annualized housing price growth rates in Table 1 are large and range between than 3.1 percent and 4.1 percent. It is evident that periods of stagnation in housing prices are not expected. Finally, notice that the predicted average growth rate in the long run (2030) is very similar to the forecasted growth rate in the short run: this difference ranges from -0.66 percent (for the forecast made in 2006) to 0.07 percent (for the forecast made in 2000). This is further evidence that the model used to generate these forecasts does not take into account a high degree of mean reversion.

We can observe the stable dynamics of the forecasts by computing the x-quarters ahead forecasts for each year in which the forecast was made, as reported in Table 2. We consider both short-run forecasts (x=1,4,8) and long-run forecasts (x=20,40,80). We normalize the housing price in the quarter in which the forecast was made to be equal to 100, and we analyze the dynamics of the forecast in relation to that value. Three main properties of the forecasts emerge from Table 2. First, forecasts made throughout the period 1995-2006 expected housing prices to largely appreciate. Second, the dynamics of the forecasts as a

function of the horizon are roughly independent from the period in which the forecast was made. In fact, all of the forecasts imply increasingly large appreciations of housing prices over time: the one-year-ahead forecasts imply increases of 2 percent to almost 4 percent; the five-year-ahead forecasts imply increases of 15 percent to 22 percent; the 10-year-ahead forecasts imply increases of 34 percent to 47 percent; and the 20-year ahead forecasts imply increases of 79 percent to 113 percent. Although the magnitude of the forecasted appreciation varies, we argue that throughout the period 1995-2006 there is no evidence of an adjustment in terms of housing price forecasts.

All the evidence provided in this section should convey that it is not unreasonable to assume that financial experts might also have been exposed to some source of bias that led them to ignore the mean-reversion component of housing prices growth. These findings are in line with other studies on the behavior of housing market experts during the boom phase. Gerardi et al. (2008) show that analysts and experts attached a very low probability to a significant reduction in house prices, while Cheng et al. (2014) find that securitization agents were on average not aware of the overvaluation of the housing market.¹⁵

The main conclusion we draw from this section is that professional forecasters were most likely making use of models that were not able to capture any sort of mean reversion in long-run housing price dynamics. In this regard, we can state that financial experts displayed natural expectations, as we will formally define in the next section. Even though financial experts- unlike households - commonly make use of large and convoluted models to generate forecasts, it seems evident that the internal propagation mechanisms of these models are inadequate to the task of capturing the long-run mean reversion pattern that characterizes housing prices. In this sense, our evidence supports the hypothesis proposed by Barberis (2013) that financial experts used "bad models" for predicting future housing prices and that these models let them to be too optimistic about future values of collateral. This has likely affected the supply of credit, as we show in the next sections.

3 Natural House Price Expectations

The main goal of this paper is to link the inability of agents to take into account the long-run hump-shaped dynamics of housing prices when making forecasts, and the amount of housing-related debt demanded or supplied. In this section we show three import results that

¹⁵Interestingly, their study finds that "certain groups of agents - those living in bubblier areas, working on the sell side, or at firms with greater exposure to subprime mortgages - may have been particularly subject to potential sources of belief distortions, such as job environments that foster group think, cognitive dissonance, or other sources of over-optimism."

establish this linkage. First, it is, indeed, likely that housing prices are characterized by humpshaped dynamics, which imply a large momentum in the short run and partial mean reversion in the long run. Second, we document that models that incorporate hump-shaped dynamics are not preferred, in terms of in-sample fit, to more parsimonious models that ignore long-run mean reversion. As a result, the use of simple models leading to natural beliefs is perfectly justifiable in terms of in-sample performance. Third, we demonstrate that, nevertheless, models with diverse degrees of ability in capturing the hump-shaped dynamics of housing prices differ in their long-run forecasts, although they have similar short-run predictions. Hence, if agents use simple models (for a wide range of good reasons¹⁶), they fail to forecast the partial mean reversion in housing prices over the long run (this is in line with the pattern shown by the financial experts' forecasts documented in the previous section). Following Fuster et al. (2010), we call the resulting beliefs of these agents natural expectations.

3.1 Modeling Natural Expectations for Housing Prices

In this section we examine data for the aggregate real U.S. housing price index, and we analyze how different modeling approaches vary in their ability to capture hump-shaped long-run dynamics. The series of interest is the quarterly Standard & Poor's Case-Shiller Home Price Index for U.S. real housing prices in the sample 1951:1-2010:4. The logarithm of the raw series is plotted in the upper panel of Figure 3. The series displays at least four episodes of boom and bust: the first one in the early '70s, the second one later in the decade, the third one in the '80s, and, finally, the most recent and significant from 1997 to 2005.

The series is statistically characterized by the presence of a unit root.¹⁷ We therefore consider as a variable of interest its year-over-year growth rate, displayed in the bottom panel of Figure 3. Notice also that the growth rate of housing prices is characterized by relatively long periods of increase followed by abrupt declines, which indicate the presence of a rich autocorrelation structure.

¹⁶As Fuster et al. (2010) put: "simple models are easier to understand, easier to explain, and easier to employ; simplicity also reduces the risks of overfitting. Whatever the mix of reasons -pragmatic, behavioral, and statistical- economic agents usually do use simple models to understand economic dynamics".

¹⁷To formally test the null hypothesis of presence of a unit root, we run the Phillips and Perron (1988) unit root test. We allowed the regression to incorporate from one to 15 lags. For any of these specifications the test could not reject the null hypothesis of a presence of a unit root. To check whether the presence of a unit root is driven by the 1997-2007 price boom, we run the test for the shorter sample 1953:1-1996:4. Also in this case, the Phillips-Perron test could not reject the null hypothesis at a 5 percent significance level for any model specifications.

We then assume that the process for housing price growth rate, g_t is autoregressive 18, i.e.:

$$(1 - \Phi_p(L)) g_t = \mu + \varepsilon_t, \tag{1}$$

where $\Phi_p(L)$ is a lag polynomial of order p, μ is a constant, and ε_t are *iid* innovations.

We assume that an agent could estimate the model in equation (1) using four different criteria that gather a spectrum of different approaches to estimation and forecasting. Initially, we propose two simple models that capture natural expectations on housing prices. Recall that, as in Fuster et al. (2010), we define natural expectations as the beliefs of agents that fail to incorporate hump-shaped long-run dynamics of the fundamentals. We explore two possible dimensions that lead to natural expectations: (1) a limited ability of agents to incorporate a large set of explanatory variables when estimating a model; and (2) a limited ability of agents to consider a large set of data when estimating the model. Regarding the first model, we assume that an agent naively considers a first order polynomial, that is p=1 and $\Phi_p(L)=$ $1 - \phi_1 L$ when estimating equation (1). This assumption captures behavioral biases, such as a natural attitude to use over-simplified models, as reported in Beshears et al. (2013) and analyzed in Hommes and Zhu (2014). We refer to this model as intuitive expectations, consistently with Fuster et al. (2010). Regarding the second model, we assume that an agent has finite memory and accordingly forecasts the model in equation (1) by considering only the most recent observations. In particular, we assume that agents consider only the last $T^{lim} = 100$ observations when estimating the model.¹⁹ The underlying assumption is that agents using this model do not take into account the earlier historical housing price dynamics, either because they do not have access to those data, or because they ignore them, or simply because they assign much lower weight to older observations. We refer to this model as finite memory.²⁰ Notice that the finite memory model captures a source of bias that does not emerge because of a possible model mis-specification (as for the *intuitive expectations* model), but the bias depends upon the limited amount of information that is relevant for the agent when estimating the model.²¹

¹⁸Our modeling choice is justified by, Crawford and Fratantoni (2003) who show that linear (ARMA) models are preferred to non-linear housing price models for out-of-sample forecasts.

¹⁹We obtain similar results when varying T^{lim} in the range 80-120.

²⁰This approach can also capture the assumption of extrapolative expectations in the housing market employed by Goetzmann et al. (2012), Abraham and Hendershott (1994), Muellbauer and Murphy (1997)), Piazzesi and Schneider (2009), and it relates to the findings of Agarwal (2007) and Duca and Kumar (2014), which state that younger individuals have statistically significant more propensity to overestimate house prices and to withdraw housing equity, respectively.

²¹We assume that the agent with finite memory estimates the model by maximizing information criteria. Since the BIC and AIC select the same length for the lag-polynomial, the two approaches deliver the same results.

We then compare the implications of these natural expectations models with the ones produced by more rigorous and sophisticated statistical approaches. In fact, an agent could, to the contrary, make use of more sophisticated econometric techniques to estimate the more appropriate lag polynomial in equation (1). When choosing how many parameters to include, a modeler faces a trade-off between improving the fit of the model in-sample and the risk of overfitting the available data, which may result in poor out-of-sample forecasts. Two of the most popular criteria are the Akaike Information Criterion (AIC) and the Bayesian Information Criterion (BIC). It is not clear which criterion should be preferred by practitioners in small samples.²² Generally, the BIC imposes a larger penalty for increasing the number of parameters, and thus will tend to select models with fewer parameters than the AIC. As a result, as shown by Fuster et al. (2012), when the true model is characterized by hump-shape patterns, the BIC selects models that are not able to capture the true dynamics. Hence, these two approaches might lead to different specifications of the model in equation (1). Therefore, we consider as third and fourth models the specification of equation (1) obtained when an econometrician uses respectively the AIC criterion and the BIC criterion.

In Table 3 (left panel for the whole sample 1953:1-2010:4) we report point estimates (standard errors in brackets) for four models: p=1, estimated by an *intuitive* model; p=6, estimated by a *finite memory* model; p=5, estimated by the BIC model; p=16, estimated with the AIC model. Notice that there is a remarkable difference in the number of lags selected by the last two models: since the BIC criterion largely penalizes overfitting, it select much fewer lags than the AIC criterion. Furthermore, the large number of significant parameters for lags greater than one, in particular for the AIC model, confirms that the process of housing price growth has a relatively rich autoregressive structure. Consequently, an agent who makes use of a simpler autoregressive model is likely to ignore important dynamics of house price growth. The different long-run implications of the models are summarized by their resulting long-run persistence, as discussed in detail below. Notice that these findings are robust to considering only a more limited sample (1953:1-1996:4) that does not include a recent housing price boom, as reported on the right panel of Table 3.

3.2 In-sample Fit and Long-Run Predictions

In the previous section we have reported the estimates of four different specifications of a linear model for housing price growth. In this section we provide evidence that, although drastically contrasting in their underlying assumptions, these specifications have similar in-

²²See McQuarrie and Tsai (1998) and Neath and Cavanaugh (1997) for opposite arguments.

sample properties, and they are hardly distinguishable from a statistical point of view. Table 4 reports statistics about the goodness of fit of the four models. The Root Mean Squared Error (RMSE), the unadjusted coefficient of determination (R^2) , and the adjusted coefficient of determination (\bar{R}^2) are very similar across the models. Since the *intuitive* model, the BIC model, and the AIC model are all nested models, we can formally test whether the data can formally reject the null hypothesis that the three models are observationally similar by comparing the log-likelihood evaluated at the unrestricted model parameter estimates and the restricted model parameter estimates. As Table 4 displays, the resulting Likelihood Ratio (LR) test statistics when assuming that the restricted model corresponds to p=1 and the unrestricted model corresponds to p=5 and p=16, respectively, confirm that the models cannot be distinguished on the basis of goodness-of-fit alone. Since the *finite memory* model considers a different sample, it cannot be nested in the other three models. Hence, the LR test cannot be applied. Nevertheless, notice that its likelihood is very similar to the one of the other three models. Notice, too, that the one-quarter-ahead forecasts produced by these models are also similar.

Although the models imply a similar fit to the data and similar short-run predictions, their long-run out-of sample forecast implications are different. We can observe these features of the models by plotting the impulse response functions for a 1 percent positive shock in the housing price growth rate, as displayed in the top panel of Figure 4. The *intuitive* model (solid blue line) estimates a very persistent process, as indicated by the value of the parameter of the AR(1) process, equal to 0.96 as reported in Table 3. Consequently, it predicts a long-lasting positive effect of a shock on housing price growth. In contrast, the BIC model (dashed red line) and the AIC model (dotted green line) predict larger short-run responses of housing prices, but they estimate faster reversions after 10-15 quarters. Notice, also, that the practitioner who uses the AIC criterion estimates a negative medium-run response of price-growth after the large boom. Finally, the *finite memory* model (dotted purple line) has a very large short-run response and implies a persistence of the positive shock for about 30 quarters, without any sort of mean reversion.

We can obtain important insights about the different long-run predictions of the models by plotting the impulse responses of the level of the housing prices, as displayed in the lower panel of Figure 4. These responses are given by the cumulative sum of the impulse responses of the growth rate. An agent using the *finite memory* model (dotted purple line) predicts that, after a positive shock, the housing prices will largely increase for about 25-30 quarters and then stabilize at a high level. An agent using the *intuitive* model (solid blue line) expects a longer persistence of the housing price appreciation, which leads to a similar long-run forecasts as

with the *finite memory* model. The two more sophisticated models (BIC model, dashed red line, and AIC model, dotted green line) predict a much lower degree of persistence, which leads to lower expected long-run prices. In fact, they prove better in capturing the mean-reversion feature of housing prices than both the *intuitive* model and the *finite memory* model. Notice also, that an econometrician using the AIC criterion expects a depreciation following the initial boom. Furthermore, since the four models are hardly distinguishable in the sample, as pointed out above, it is legitimate to conjecture that these impulse responses are associated with a large degree of uncertainty. Not surprisingly, this is indeed the case, as described in Appendix A.

The long-run dynamics of housing prices are particularly important for the purpose of this paper. In fact, we conjecture that households' consumption-saving decisions are affected by the perceived long-run housing wealth. This presumption is motivated by the long durability of housing as an asset, and by the nature of home equity loans, which have repayment periods of up to 25 years. It is therefore reasonable to assume that long-run forecasts of housing prices matter for households' present decisions. A measure of the long-run price estimated after a shock is the long-run persistence of the price level, defined as the long run steady state level after a 1 percent shock. Given that the price level is assumed to follow an ARIMA(p,1,0) model, the long-run persistence (LRP) can be computed as:

$$LRP = \frac{1}{1 - \sum_{j=1}^{p} \phi_j} \tag{2}$$

where ϕ_j , j = 1, ..., p are the coefficients of the lag polynomial of order p, $\Phi_p(L)$. Table 4 reports the LRP of the processes estimated by the four models as well as their confidence band.

As Table 4 reports, the LRP estimated with an *intuitive* model is larger than the one estimated by agents using a more rigorous statistical approach. In particular, the AR(1) model delivers a long-run persistence that is 30 percent higher than the AR(5) model selected by the BIC, and 80 percent higher than the AR(16) model selected by the AIC.²³ Also, the LRP estimated by the *finite memory* model is similar to the one estimated by the *intuitive* model. This an important result since it shows that agents who use oversimplified models (because

 $[\]overline{}^{23}$ As a robustness check, we have alternatively assumed that the housing price growth rate g_t is an autoregressive-moving average process, as in $(1 - \Phi_p(L)) g_t = \mu + (1 + \Theta_q(L)) \varepsilon_t$, where $\Theta_q(L)$ is a lag polynomial of order q. The BIC estimates an ARMA(1,4), whereas the AIC estimates an ARMA(18,5). Since the Long Run Persistence (18.6 for ARMA(1,4) and 12.9 for the ARMA (18,5)) and the Impulse Response functions estimated with the ARMA processes are very similar to the one estimated with the AR processes we decided to present only the latter.

of behavioral biases or sample selection) tend to have more optimistic expectations about long-run housing price resulting after a positive shock than agents using more sophisticated models. In Table 9 in Appendix B we report similar results obtained when considering annual data, confirming that our findings are not an artifact of data frequencies.

This section shows that there is a spectrum of approaches to a linear model for house price growth that are fairly equivalent in terms of their capability of fitting the data. These approaches range from capturing behavioral biases to including sophisticated and more rigorous statistical perspective. Although these models are hardly distinguishable by their in-sample properties, their long-run forecasts implications are different. In fact, the more sophisticated approaches are more capable (although at different degrees) of incorporating mean reversion dynamics in their forecasts, whereas natural models (as *intuitive* model and the *finite memory* model) project larger forecasted long-run prices.

4 A Model for Home Equity Loans and Natural Expectations

In this section we propose a model in which a representative household and a representative bank interact in a credit market and in which the household may obtain credit by pledging its house as collateral. This feature captures the role of home equity loans in the economy. Importantly, we allow agents to have a range of expectations upon the evolution of the exogenous housing price. This range of expectations varies with the degree to which agents are able to incorporate long run mean reversion of house prices. Hence, the expectations vary from more *natural* (lower ability to incorporate long-run mean reversion) to less *natural* (greater ability to incorporate long-run mean reversion). Our theoretical model can be used as a laboratory to investigate the extent to which *naturalness* of households and banks has affected the level of debt in the economy during the housing price boom.

4.1 Household

The economy lasts $T < \infty$ periods. The economy is populated by two representative agents: a household and a bank. There are a non-storable consumption good and two assets: housing and debt claims. The household starts at t = 0 with an endowment of housing stock h worth p_0h , where p_t denotes the real housing price at time t, and the household is allowed to sell the house only in the final period, at a price p_T , unless it decides to default in any time t = 1, ..., T-1. In case of default, the household loses the ownership of the house and becomes

a renter. When the household decides to default, it is excluded from the debt market as it does not have any collateral to pledge. Because the household starts with an owned housing stock and with no previous debt, and because it does not engage in buying or selling of its housing stock, we can interpret the debt claims in the economy as home equity extraction.²⁴ We assume that the household is endowed in each period with a constant income $y_t = y > 0$. The housing price is an exogenous variable for the agents in our economy.²⁵

The household is allowed to borrow resources from the bank with the house serving as collateral. Subject to the repayment of debt accumulated in the past, in period t the household is allowed to borrow new debt d_t which it will eventually repay in the next period at an interest rate of r_t . The household has the option of defaulting from t = 1 onwards. Hence, the budget constraint of a household that repays its debt at time t is:

$$c_t + (1 + r_{t-1})d_{t-1} = y + d_t;$$

whereas, the budget constraint of a household that decides to default at time t is:

$$c_t + \gamma p_t h = y,$$

where $\gamma p_t h$ represents the renting cost, which is assumed, for simplicity, to be a fraction γ of the house's value.

The household, then, maximizes its intertemporal utility:

$$\mathbb{E}_0 \sum_{t=0}^T \beta^t u(c_t, h),$$

subject to the period-by-period budget constraint, which is conditional on the default decision. Later, we will discuss in depth how agents' expectations are formed. In each period the household's choice defines a debt demand schedule $d_t(r_t)$ and a related default decision.

We can rewrite the problem recursively. Since the economy lasts for a finite number of periods, the model can be solved by backward induction. Let us then start from period t = T: if the household has never defaulted in the past, in the last period it is entitled to sell its housing stock; hence the only decision variable is whether to default or not to default. Since the household sells the housing stock in the last period, there is no possibility of getting new

²⁴Though this interpretation is made simply to relate our model to the evidence reported in section 2, our results clearly extend more generally to any type of collateralized borrowing.

²⁵This simplifying assumption is justified by this paper's goal of understanding how different expectations about the evolution of housing prices affect agents' economic behavior. Moreover, this same assumption is used in several studies on the effects of housing on macroeconomic or financial decisions, as in Campbell and Cocco (2011) or Cocco (2005).

debt, and, thus, consumption is simply determined by the exogenous income and housing value.

In case of a good credit history (i.e. no past default), the problem in period T can be then written as:

$$V_T^*\left(r_{T-1}, d_{T-1}, p_T\right) = \max\left\{u\left(y - \gamma p_T h\right); u\left(y - (1 + r_{T-1})d_{T-1} + p_T h\right)\right\}. \tag{3}$$

Provided that the household did not default in the past, it has the option of defaulting in periods t = 1, ..., T - 1. Hence, for t = 1, ..., T - 1 the household has to compare two value functions: if it decides to default (or did so in the past), the value function writes:

$$V_t^D(p_t) = u(y - \gamma p_t h) + \beta \mathbb{E}_t V_{t+1}^D(p_{t+1}),$$
(4)

with $d_{\tau} = 0$ for $\tau \geq t$. In the event that the household did not default in the past and is not defaulting in the current period t, the value function writes instead:

$$V_{t}^{C}(r_{t-1}, d_{t-1}, p_{t}) = \max_{d_{t}} \left[u \left(y - (1 + r_{t-1}) d_{t-1} + d_{t} \right) + \beta \mathbb{E}_{t} \left\{ V_{t+1}^{*}(r_{t}, d_{t}, p_{t+1}) \right\} \right].$$
 (5)

Hence, in each period t = 1, ..., T - 1, the household compares the two value functions to pin down its default choice:

$$V_t^* (r_{t-1}, d_{t-1}, p_t) = \max \{ V_t^D (p_t); V_t^C (r_{t-1}, d_{t-1}, p_t) \}.$$
(6)

Finally, in period t = 0 there is no default choice, since the household is assumed to start with no debt; hence in t = 0 its value function reads:

$$V_0^* (p_0) = \max_{d_0} \left[u \left(y + d_0 \right) + \beta \mathbb{E}_t \left\{ V_1^* (r_0, d_0, p_1) \right\} \right], \tag{7}$$

with the initial stock of debt $d_{-1} = 0$ given.

4.2 Bank

The bank seeks to maximize its intertemporal stream of profits, taking into account the probability of the household's default. In other words, in each period the bank obtains loans from outside the model at a risk-free rate, i_t . The bank then supplies credit to the household, at a market interest rate r_t . In case of default, the bank obtains revenue from liquidating the household's housing stock. The bank's problem can also be expressed in recursive form. Let's

start from the last period, t = T. The profits for the bank write:

$$\pi_T \left(r_{T-1}, d_{T-1}, p_T \right) = \begin{cases} (1 + r_{T-1})d_{T-1} & \text{if the household does not default} \\ & (\text{and did not default in the past}) \end{cases}$$

$$\pi_T \left(r_{T-1}, d_{T-1}, p_T \right) = \begin{cases} \kappa p_T h - (1 + i_{T-1})d_{T-1} & \text{if the household defaults} \\ & (\text{but did not in the past}) \end{cases}$$

$$0 & \text{if the household defaulted}$$

$$\text{in the past}.$$

$$(8)$$

Here κ represents the fraction of the collateral that the bank can recover after the household's default.

For a given interest rate r_t , in periods t = 1, ..., T - 1 the bank sets d_t in such a way as to maximize its profits:

$$\max_{d_t} \pi_t \left(r_{t-1}, d_{t-1}, p_t \right) = \begin{cases}
(r_{t-1} - i_{t-1}) d_{t-1} + \delta \mathbb{E}_t \pi_{t+1} \left(r_t, d_t, p_{t+1} \right) & \text{if the household does not default} \\
& \text{(and did not default in the past)} \\
& \kappa p_t h - (1 + i_{t-1}) d_{t-1} & \text{if the household defaults} \\
& \text{(but did not in the past)} \\
0 & \text{if the household defaulted} \\
& \text{in the past.}
\end{cases}$$
(9)

By assumption, the bank cannot default on its obligations.²⁶ Finally, the profit function in t = 0 writes:

$$\pi_0(p_0) = \delta \mathbb{E}_0 \pi_1(r_0, d_0, p_1). \tag{10}$$

4.3 Recursive equilibrium

A recursive equilibrium in our economy can be defined as follows. In each period t = 0, ..., T - 1 and for each realization of the housing price p_t :

• given r_t , the household maximizes its utility under the budget constraint, choosing whether or not to default. In case of no default, indicating a debt demand schedule

²⁶To ensure limited liability, one can assume that the bank has access to a fixed amount of extra resources (equity) that allows it to repay the debt when revenues fall short of liabilities.

 $d_t^H(r_t)$

- given r_t and providing that no default has occurred up to period t, the bank maximizes its profits and offers a debt schedule $d_t^B(r_t)$
- markets for the consumption good and debt clear $(d_t^H(r_t) = d_t^B(r_t))$.
- in period t = T the household maximizes its utility under the budget constraint, choosing whether or not to default.

4.4 Expectation Formation

In our model we treat housing prices as exogenous and assume that the growth rate of the housing price follows a stochastic process. Accordingly, given a price of housing in the initial period, p_0 , the evolution of the house price is given by:

$$p_{t+1} = p_t \left(1 + r_{t+1}^h \right), \tag{11}$$

with:

$$r_{t+1}^h = \mu_t + \sigma \varepsilon_{t+1}. \tag{12}$$

Here, r_{t+1} denotes the growth rate of housing price, μ_t represents the conditional mean of r_{t+1} with respect to the information set known at time t, and ε_{t+1} is a mean-zero stochastic variable. We examine the predictions of the model when varying the form of expectation of households and banks, \mathbb{E}_t .

5 Calibration

By using the model described in the previous section, we now assess the quantitative effects of *natural* expectations in the consumption/saving decision. We are mainly interested in examining the extent to which the equilibrium level of housing-related debt and its price vary with the ability of agents to take into account possible long-run mean-reverting dynamics of house prices.

We consider an economy that last T=10 periods (years). The length of the simulation is a computationally restricted parameter, since in a non-stationary model the number of state-variables quickly explodes when increasing the number of periods in the model.²⁷ However, a

²⁷Campbell and Cocco (2011), one of the closest models to ours, is simulated over a 20-years span. However, in order to keep the state space confined, Campbell and Cocco (2011) consider a *iid* housing price growth

10-period time span is appealing for two reasons. First, it is long enough to fully capture a boom-bust episode such as the one observed in the U.S. housing market in the 2000s. Second, a large portion of HELOCs started during the boom years had a duration of around 10 years.²⁸

We conduct the following experiment. We feed the model with a given path of housing prices for 10 periods, which aims to replicate the boom-bust episode as experienced in the U.S. in the period 2001-2010. Then, we vary the agents' beliefs about the process generating the observed evolution of housing prices. Therefore, after observing the same initial housing price appreciation, different beliefs about the housing price data generating process affect the agents' optimal economic behavior.

The imposed evolution of housing price (solid line) is displayed in Figure 5. In the boom phase, from t = 1 up to t = 6, the housing price grows by 83 percent, whereas in the bust phase, from t = 7 up to t = 10, the housing price drops by 39 percent. This evolution of the housing price reflects the dynamics of the Shiller real house price index in the U.S. (dashed line in Figure 5) in the decade 2000-2009. Ultimately, we assume that agents in our model always observe the same evolution of housing prices and they rely on an autoregressive specification for the housing price growth rate in equation (12) of the form:

$$r_{t+1}^h = \Theta^p(L)r_t^h + \sigma \varepsilon_{t+1}, \tag{13}$$

where $\Theta^p(L)$ is a lag polynomial of order p > 1. To investigate the impact of different forms of expectations, we consider a large set of specifications of $\Theta^p(L)$ that generate forecasts that are similar in the short run but different in the long run. It is important to note that we are completely silent about the true process that generated the observed housing price series. This is outside the scope of our analysis. In fact, in the empirical sections above, we showed that a large set of theoretical processes are consistent with the observed historical housing price time series. In our theoretical experiment, we investigate how macroeconomic variables are affected by agents taking actions based on a diverse spectrum of plausible data generating processes.

process, approximated by a bimodal Markov process. By reducing the length of the simulation to 10 periods, we are able to consider richer housing price dynamics, allowing for an autoregressive process approximated by a tri-modal Markov process, whereas Campbell and Cocco (2011) consider only a bi-modal process.

²⁸From the Semiannual Risk Perspective From the National Risk Committee, U.S. Department of Treasury, 2012, it can be inferred that this portion was equal to at least 58 percent of loans outstanding in 2012.

5.1 Calibrating Expectations

We consider 50 specifications for the model in equation (13) to generate agents' expectations of future housing prices. For computational feasibility, we limit our investigation to processes of order two, i.e.:

$$r_{t+1}^{h} = \mu(1 - \theta_1 - \theta_2) + \theta_1 r_t^{h} + \theta_2 r_{t-1}^{h} + \sigma \varepsilon_{t+1}. \tag{14}$$

Even if parsimonious, this specification is flexible enough to capture features of the U.S. housing price index observed during the last boom-bust episode, and, above all, it allows us to incorporate different degrees of ability to embody hump-shaped dynamics. As a result, each specification is a function of four parameters: $\mu, \theta_1, \theta_2, \sigma$. We assume that the average growth rate of housing prices, μ , is known, and it is constant across each specification. In particular, we fix $\mu = 0$, which is consistent with the historical average growth rate of the real Shiller index between 1953 and 2000, which is equal to 0.00016. We make use of three criteria to pin down the remaining three parameters $(\theta_1, \theta_2, \sigma)$ for each specification. First, each specification should produce the same short-run (one-year-ahead) forecasts. This assumption is motivated by the evidence in Case et al. (2012), which find that, in the short run, homebuyers were generally well informed, that their short-run expectations were not largely different from the actual realized home prices, and that most of the root causes of the housing bubble can be reconnected to their long-term home price expectations. Also this assumption is motived by the fact that natural expectations are able to capture short-run momentum, but fail to predict more subtle long-run mean reversion. Second, each specification should imply the same unconditional variance. As a consequence, the different behavior implied by each specification does not depend upon the magnitude of the housing-price variance, but only upon its propagation. Third, and most important, each specification should be characterized by different long-run forecasts. As a result, each specification differs only for the degree by which it is able to capture some sort of long-run mean reversion, when keeping fixed the short-run predictions and the overall variance of the process. Specifically, we set the first order autoregressive parameter, θ_1 , to be equal to 0.6, which is the persistence of an AR(1) process estimated using the Case-Shiller index annual growth rate. Since the one-step-ahead forecasts of an AR(2) process is only a function of θ_1 , each specification implies the same one-year forecast. The long-run predictions of a model can be summarized by its long-run persistence (LRP). When considering annual data (see Table 9 in Appendix B), the LRP estimate range from the 1.5 (as estimated by the AIC model) to 2.8 (as estimated with the intuitive model). As Table 9 displays, there is a substantial degree of uncertainty around the estimated LRP. To capture this uncertainty, we consider specifications for process in (14) such that their LRP ranges between 1.4 and 4.5. Since the long-run persistence is given by $LRP = \frac{1}{1-\theta_1-\theta_2}$, the values of LRP in this range pin down the different values of θ_2 . Finally, the parameter σ is set to such that all specifications imply a constant standard deviation equal to the estimated value from Case-Shiller index annual growth rate, which is equal to 0.049.

Table 5 reports the resulting calibration for six specifications of the model in equation (13) among the 50 that we consider in our simulation, together with the implied long-run persistence. Notice that the degree of naturalness of an agent is driven by the second order autoregressive parameter, θ_2 : when this parameter is negative, agents are not natural since they expect a long-run mean reversion of housing prices after a positive short-run momentum; when θ_2 is positive, agents are natural since they expect the short-run momentum to persist in the long-run.

Figure 6 displays the impulse response functions and their cumulative values for three of the above-described processes. More precisely, we plot the IRFs and CIRFs of the AR(1) process (Specification 5, cross-line) along with the two "extreme" processes: process 1 (solid line) representing the process with the lowest degree of *naturalness* and which accordingly displays the strongest long-run mean reversion; process 50 (triangle-line) representing the process with highest degree of *naturalness*. Notice that the forecasted long-run price by process 50 is almost double the one implied by an AR(1) process.

5.2 Calibration of Structural Parameters

The calibrated structural parameters of the model and their values are reported in Table 6. We set the discount rate for both the household and the bank at 0.98, which is coherent with an annual risk-free rate of 2 percent. The housing stock, h, can be interpreted as the housing value in the initial period, since we set the initial housing price p equal to one. Hence, h relates to the housing value to income in 2000. This value is equal to 2.1 in the Survey of Consumer Finance data, whereas it is equal to 1.3 when considering national aggregate data. Hence, we set h to be equal to the intermediate value of 1.5. We assume a constant relative risk aversion (CRRA) utility function, i.e. $u(c) = \frac{c^{1-\eta}-1}{1-\eta}$, with coefficient of risk aversion η equal to 2, a value broadly in line with the literature. Annual income, y, is standardized at the level of 1. We assume that the rental rate, γ , is 5 percent of the current value of the housing stock, thus implying a price-to-rent ratio equal to 0.05, which is coherent with the setting in Garner and Verbrugge (2009) and in Hu (2005). Finally, we assume that when the

household defaults, the bank is able to recover only 20 percent of the value of the house. Such a value is in line with our interpretation of the asset in the economy as an HELOC.²⁹

6 Quantitative Effects of Natural Expectations

Given the calibration of the structural parameters, the 50 specifications of the housing price growth process used by agents to forecast future housing prices, and the realized evolution of housing price for the 10 periods, as shown in Figure 5, we can compute the equilibrium dynamics of the variables of the model. Specifically, we are interested in the debt-to-income ratio, $\frac{d}{y}$, the consumption-to-income ratio, $\frac{c}{y}$, the loan-to-value ratio, $\frac{d}{ph}$, and the interest rate associated with home equity loans, r_t . We now investigate how these variables vary with agents' naturalness in the housing price boom and bust, separately.

6.1 Equilibrium in a boom

Figure 7 reports the average values of debt (upper left panel), LTV ratio (upper right panel), consumption (lower left panel) and interest rate (lower right panel) for each of the 50 specifications of expected housing price growth (x-axis) across the boom phase (from period 1 to period 6 in our model, which corresponds to the period 2000-2005 in the data, blue solid line) and across the bust (from period 7 to period 9 in our model, which corresponds to the period 2007-2009 in the data, green dashed line). First, we consider the average values of our variables of interest during the boom phase. Four results are worth highlighting. First, the model predicts a positive relationship between the average equilibrium level of debt in the economy in the boom phase and the degree of naturalness of agents. Recall that the 50 specifications for the expectations range from higher ability of the model to incorporate long-run mean reversion (specification 1, low naturalness) to lower ability of the model to incorporate long-run mean reversion (specification 50, high naturalness). Intuitively, after observing an increase in the housing prices, a more natural agent expects a longer-lasting appreciation of housing prices, which gives higher incentive to demand/supply debt. On the contrary, a less natural agent expects a short-run momentum in housing prices followed by a mean reversion adjustment after some periods, as it can be visualized by the impulse response function for specification 1 in Figure 6. As a result, the household is less willing to demand debt and the bank is less willing to supply it. A second important result relates to the magnitude of the role of long-run expectations. Notice when agents in the economy are characterized by the lowest degree of

²⁹Since HELOCs are junior-liens, and the maximum loan-to-value ratio for a first-lien is 80 percent, we are then implicitly assuming that the bank is able to fully recover the value of the equity in the house sale.

naturalness, the equilibrium level of debt is roughly 35 percent of income. In contrast, when the agents ignore hump-shaped dynamics of housing prices, the equilibrium level of debt in the economy escalates to 55 percent of income. We obtain a similar pattern when considering the loan-to-value ratio, which increases from 18 percent for the least natural agents to 28 percent for the most natural agents. The pronounced differences in these quantities is solely due to the contrasting long-run expectations of housing prices, since by construction agents have the same short-run expectations in each of the 50 specifications. These results strongly support the argument in Case et al. (2012): the role of homebuyers' long-run housing price expectations is a crucial determinant of agents' behavior in terms of the consumption/saving choice. As a third result, notice that the accumulation of debt fuels consumption in the short-run, since there is positive correlation among average consumption in a boom phase and the degree of naturalness of agents in the economy. Intuitively, when expecting higher future appreciation of house's price, the resulting wealth effect provides incentives to consume in the current period. As a forth result, notice that debt is associated with a lower interest rate in economies where agents are more natural. Intuitively, since banks in the model share the same form of expectations of households, when banks expect both short-run and long-run momentum in housing prices, they are willing to lend at a lower equilibrium price.

The above findings can be summarized as follows: when housing prices start to increase, a natural agent (a household or a bank) overestimates the persistence of positive shocks and ignores the possible long-run mean reversion that follows a short-run momentum. As a consequence, the household or bank also overestimates the overall long-run appreciation of the housing stock. Given the availability of financial instruments to smooth future housing wealth, a natural household has, then, more incentive to extract a large portion of home equity to increase its consumption immediately. A natural bank will then be willing to provide loans to the household at lower price. As a result, natural expectations leads to large leverage during a housing price boom.

6.2 Equilibrium in a bust

The second set of results concerns the adjustment that the economy makes during the house price bust (periods from 6 to 9). These results reflect the predictions of our model for the behavior of agents in the period 2007-2009. Interestingly the relationships between debt, consumption and degree of *naturalness* described above for the boom period are reversed. More *natural* households deleverage their debt position and they drastically reduce their consumption. Specifically, in the economies with most *natural* agents (processes 47-50), the

amount of debt the household is able to extract is null.³⁰ Although quite drastic, this result is in line with evidence regarding the practice of HELOC freezes observed since 2008, when financial institutions realized the depth of the bust (WSJ, 2008). Notice that the adjustment for less *natural* households is less sharp: they reduce their consumption to a lower degree and they are still allowed to borrow to smooth consumption, since they have previously accumulated relatively low levels of debt during the boom phase.

6.3 Welfare Cost of Naturalness

What is the overall welfare cost of being natural? The answer is not obvious, because, as shown above, more natural agents that expect a long-lasting house price appreciation overborrow (and over-consume) during a housing price boom, but they need to reduce their consumption more sharply during a housing price bust. Hence, we consider the whole boom-bust episode (periods from 1 to 9) and compute the ex-post difference in utility (in consumption equivalent terms) between a household that uses any process in the range 2-50 for computing its housing price forecasts and the least natural household, which uses process 1 for forecasting. In other words, such a measure corresponds to the percentage of consumption that an agent in each period should sacrifice to equate the utility of the least natural agent. As Table 7 reports, the welfare cost (in percent) is monotonically increasing and large, since it reaches a value of about 40 percent when agents make use of the least natural process. Intuitively, although a more natural household enjoys higher consumption levels during the house price boom, fuelled by higher debt, its deleveraging process during the bust phase is very costly in utility terms.

6.4 The role of bank's expectations

In section 2.1 we documented that financial experts are likely to have held *natural* expectations during the housing price boom of the early 2000s, since their forecast do not show any long-run mean reversion after the short-run momentum. Since our theoretical model accounts for both the demand and supply of credit, we can now assess the impact of debt-supply *naturalness* on macroeconomic variables of interest. Specifically, we now perform some experiments to identify the contribution of banks' and households' expectations to the equilibrium outcome of debt and interest rate under the following four competing hypotheses: (a) both bank and household hold strong *natural* expectations; (b) bank and household do not

³⁰Such sharp dynamics in the deleveraging process may be due to the absence of frictions (e.g., adjustment costs) in lending: in case of an abrupt decline in collateral values, banks in our model suddenly cut-off lending. However, note that in the above calibration in equilibrium the household never reaches the default region.

hold natural expectations; (c) only the household is strongly natural, while the bank is not; (d) only the bank is strongly natural, while the household is not. In these experiments, for simplicity, we give the natural label to an agent that forecasts future housing prices using the most natural process (process 50), and we give the not-natural label to an agent that forecasts future housing prices using the least natural process (process 1). These extreme values are vehicles for understanding the role of expectations in regards to supply and demand. Table 8 displays the results. The most striking result of our experiment reflects the crucial importance of banks' expectations for the equilibrium level of debt. Let's analyze first the boom phase. When both agents are not natural, as in scenario (b), the equilibrium level of debt in the economy is relatively low (around 35 percent of income). If we assume that only the household is natural, as in scenario (c), the equilibrium level of debt increases by only 5 percent, whereas if only the bank is natural, as in scenario (d), the equilibrium level of debt increases up to 48 percent.

The importance of banks' expectations can also be observed in the effect on the price of debt, expressed as the interest rate. Consistent with standard economic theory, the scenario in which only households are *natural* leads to an increase in the interest rate, and the scenario in which only banks are *natural* leads to a decline in the interest rate. In fact, we can interpret households' increase in *naturalness* as an outward shift of the debt demand, since agents with more *natural* expectations overestimate their future housing wealth, and are more willing to obtain debt to smooth their consumption as a result. On the other hand, the scenario in which only banks are *natural* is consistent with an outward shift of the supply. This is reinforced by our result. When neither agent is *natural*, the equilibrium interest rate is 2.4 percent. When only households are *natural*, the equilibrium interest rate rises to 3 percent (an indication in a shift in demand for debt). When only banks are *natural*, the interest rate falls to 2 percent, (an indication in a shift of supply of debt). When both agents - banks and households - exhibit natural expectations, the equilibrium interest rate still falls, but to 2.1 percent.

Although data on banks' charges for HELOC instruments are unavailable (because that interest rate is usually privately agreed at subscription), Justiniano et al. (2014) document the decline of mortgage rates during the housing price boom as evidence for the decline of interest rate associated with home equity debt instruments. Whereas Justiniano et al. (2014) explain this phenomenon with the relaxation of the lending constraint. However, the evidence provided in section 2.1 and the results of our model propose an alternative story for the outward shift in credit supply observed during the phase of rising housing prices.

6.5 Estimating Naturalness from the Data

Finally, we perform a comparison of our simulations with the debt-dynamics observed in the data to pin down which degree of naturalness better fits the debt data. The first step is to obtain a series that is comparable to the debt-to-income ratio as simulated in our model. We first consider the annualized series of Gross Home Equity Extraction in the U.S., as in Greenspan and Kennedy (2005). The series is available only until to 2008Q4. We divide the series by nominal disposable personal income to compute the debt-to-income ratio. Because the series is not directly comparable to the outcome of our simulated model, we need to correct the former for the fraction of households effectively extracting home equity. Therefore, we make use of the Survey of Consumer Finance data to compute the fraction of households with an outstanding HELOC and interpolate via cubic splines for the years in which the survey is not available. Such a percentage smoothly varies from 2.7 per cent in 2001 to 4.6 per cent in 2008. We then compare the resulting debt-to-income series with the debt dynamics of the model (where both household and bank can be natural) across the 50 specifications and we select the process whose debt dynamics minimize the Euclidean distance with the data. Figure 8 plots the selected process (black dotted line) and the debt-to-income ratio in the data (blue solid line). The selected specification is the process 31, a fairly persistent and natural one, since its second order autoregressive parameter is positive, $\theta_2 = 0.08$, and its LRP is fairly large, equal to 3.15. Such an LRP is rather close to the one estimated on yearly data with the *intuitive* model (se Table 9 in Appendix B).

7 Conclusions

The recent financial crisis has served as a reminder of the potential danger caused by undisciplined collateralized debt markets. In this paper, we use home equity extraction as a case study to explore the distortions arising from *natural* expectations about future values of collateral. We show that *natural* expectations arose during the period of the recent housing price boom because of the failure of households and financial experts to take into account the complex structure of house prices. We show that agents may end up overestimating long-run prices if they make use of models that fail to capture the rich autocorrelation structure of housing prices and its mean-reverting component. While the notion that households are likely to misestimate house prices has been documented in the literature, in this paper we provide evidence that financial experts also were too optimistic about long-run prices before and during the recent house price boom. Specifically, out-of-sample forecasts gathered

from a professional forecaster largely overestimated long-run prices and did not capture any long-run mean reversion after the positive short-run momentum. We show the quantitative implications of natural expectations in a model where households and banks interact through a collateralized financial instrument. We feed the model with a set of expectations that differ in their ability to capture hump-shaped housing price dynamics. We document that after a positive shock on housing prices, less natural agents expect a lower persistence of the shock. On the contrary, natural agents overestimate the persistence of the process, thus leading to overly optimistic long-run forecasts. We then simulate the model by considering housing price dynamics as observed during the 2000s. Our models predict a positive relationship between the amount of home equity extracted in a boom phase and the degree of naturalness of the agents in the credit market, while at the same time stressing the prominence of banks' expectations in the equilibrium outcome. A version of the model in which agents hold natural expectations seems to captures the dynamics of U.S. home equity extraction during the recent boom and bust relatively well. Finally, we highlight that financial experts naturalness is a crucial component for observing a large accumulation of debt at low interest rates.

References

- ABRAHAM, J. M. AND P. H. HENDERSHOTT (1994): "Bubbles in Metropolitan Housing Markets," NBER Working Papers 4774, National Bureau of Economic Research, Inc.
- AGARWAL, S. (2007): "The Impact of Homeowners' Housing Wealth Misestimation on Consumption and Saving Decisions," *Real Estate Economics*, 35, 135–154.
- Barberis, N. (2013): "Psychology and the Financial Crisis of 2007-2008," Financial innovation: too much or too little, 15–28.
- Benïtez-Silva, H., S. Eren, F. Heiland, and S. Jimenez-Martín (2008): "How Well do Individuals Predict the Selling Prices of their Homes?" Working Papers 2008-10, FEDEA.
- Beshears, J., J. J. Choi, A. Fuster, D. Laibson, and B. C. Madrian (2013): "What Goes Up Must Come Down? Experimental Evidence on Intuitive Forecasting," *American Economic Review*, 103, 570–74.
- Brown, M., S. Stein, and B. Zafar (2013): "The impact of housing markets on consumer debt: credit report evidence from 1999 to 2012," Staff Reports 617, Federal Reserve Bank of New York.
- Brueckner, J. K., P. S. Calem, and L. I. Nakamura (2012): "Subprime mortgages and the housing bubble," *Journal of Urban Economics*, 71, 230–243.
- Brunnermeier, M. K. and C. Julliard (2008): "Money illusion and housing frenzies," *Review of Financial Studies*, 21, 135–180.
- CAMPBELL, J. Y. AND J. F. COCCO (2011): "A model of mortgage default," Tech. rep., National Bureau of Economic Research.
- Case, K. E., R. J. Shiller, and A. Thompson (2012): "What Have They Been Thinking? Home Buyer Behavior in Hot and Cold Markets," NBER Working Papers 18400, National Bureau of Economic Research, Inc.
- CHENG, I.-H., S. RAINA, AND W. XIONG (2014): "Wall Street and the Housing Bubble," American Economic Review, 104, 2797–2829.
- Cocco, J. F. (2005): "Portfolio Choice in the Presence of Housing," Review of Financial Studies, 18, 535–567.

- CRAWFORD, G. W. AND M. C. FRATANTONI (2003): "Assessing the Forecasting Performance of Regime-Switching, ARIMA and GARCH Models of House Prices," *Real Estate Economics*, 31, 223–243.
- Demyanyk, Y. and O. Van Hemert (2011): "Understanding the subprime mortgage crisis," *Review of Financial Studies*, 24, 1848–1880.
- DISNEY, R. AND J. GATHERGOOD (2011): "House Price Growth, Collateral Constraints and the Accumulation of Homeowner Debt in the United States," *The B.E. Journal of Macroeconomics*, 11, 1–30.
- Duca, J. V. and A. Kumar (2014): "Financial literacy and mortgage equity withdrawals," Journal of Urban Economics, 80, 62 – 75.
- Fuster, A., B. Hebert, and D. Laibson (2012): "Natural Expectations, Macroeconomic Dynamics, and Asset Pricing," *NBER Macroeconomics Annual*, 26, 1 48.
- Fuster, A., D. Laibson, and B. Mendel (2010): "Natural expectations and macroeconomic fluctuations," *The Journal of Economic Perspectives*, 24, 67–84.
- Garner, T. I. and R. Verbrugge (2009): "Reconciling user costs and rental equivalence: Evidence from the US consumer expenditure survey," *Journal of Housing Economics*, 18, 172–192.
- GERARDI, K., A. LEHNERT, S. M. SHERLUND, AND P. WILLEN (2008): "Making sense of the subprime crisis," *Brookings Papers on Economic Activity*, 2008, 69–159.
- GOETZMANN, W. N., L. PENG, AND J. YEN (2012): "The subprime crisis and house price appreciation," *The Journal of Real Estate Finance and Economics*, 44, 36–66.
- Goodman, J. J. and J. B. Ittner (1992): "The accuracy of home owners' estimates of house value," *Journal of Housing Economics*, 2, 339–357.
- GORTON, G. B. (2010): Slapped by the invisible hand: The panic of 2007, Oxford University Press.
- Greenspan, A. and J. Kennedy (2005): "Estimates of home mortgage originations, repayments, and debt on one-to-four-family residences," Finance and Economics Discussion Series 2005-41, Board of Governors of the Federal Reserve System (U.S.).
- Hommes, C. and M. Zhu (2014): "Behavioral learning equilibria," *Journal of Economic Theory*, 150, 778–814.

- Hu, X. (2005): "Portfolio choices for homeowners," Journal of Urban Economics, 58, 114–136.
- Justiniano, A., G. E. Primiceri, and A. Tambalotti (2014): "Credit Supply and the Housing Boom," *Manuscript*.
- LI, W. AND R. YAO (2007): "The Life-Cycle Effects of House Price Changes," Journal of Money, Credit and Banking, 39, 1375–1409.
- MATHIS, J., J. MCANDREWS, AND J.-C. ROCHET (2009): "Rating the raters: are reputation concerns powerful enough to discipline rating agencies?" *Journal of Monetary Economics*, 56, 657–674.
- McQuarrie, A. D. and C.-L. Tsai (1998): Regression and time series model selection, vol. 43, World Scientific Singapore.
- MIAN, A. AND A. SUFI (2011): "House Prices, Home Equity-Based Borrowing, and the US Household Leverage Crisis," *American Economic Review*, 101, 2132–56.
- MUELLBAUER, J. AND A. MURPHY (1997): "Booms and Busts in the UK Housing Market," The Economic Journal, 107, 1701–1727.
- NEATH, A. A. AND J. E. CAVANAUGH (1997): "Regression and time series model selection using variants of the Schwarz information criterion," *Communications in Statistics-Theory and Methods*, 26, 559–580.
- PHILLIPS, P. C. B. AND P. PERRON (1988): "Testing for a unit root in time series regression," *Biometrika*, 75, 335–346.
- PIAZZESI, M. AND M. SCHNEIDER (2009): "Momentum Traders in the Housing Market: Survey Evidence and a Search Model," *American Economic Review*, 99, 406–11.
- SHILLER, R. J. (2007): "Understanding recent trends in house prices and homeownership," *Proceedings*, 89–123.
- WSJ (2008): "In the Latest Chill for Homeowners, Banks Are Freezing Lines of Credit," Wall Street Journal, July, 1st 2008.
- YAO, R. (2005): "Optimal Consumption and Portfolio Choices with Risky Housing and Borrowing Constraints," *Review of Financial Studies*, 18, 197–239.

8 Tables

		Forecast Horizon						
	20	010	2015	2020	2030			
Date of Forecast								
1995	3.79	(3.3)	3.84	N.A.	N.A.			
1998	3.97	(2.2)	4.06	4.12	N.A.			
2000	3.89	(1.6)	3.93	3.94	3.96			
2002	4.16	(0.4)	4.10	4.07	4.04			
2004	3.28	(-1.7)	3.21	3.16	3.17			
2006	3.77	(-6.3)	3.40	3.22	3.11			

Table 1: Nominal Growth Forecasted House Price

Note: This table reports forecasted average housing price annualized growth rate by the professional forecaster company. The first column reports the year in which the forecasts were made. Numbers in parenthesis are actual realized values of the housing price growth rate.

	Forecasts $t+q$								
	q =	1	4	18	20	40	80		
t =									
1995		103.2	103.8	106.9	119.9	145.8	215.9		
1998		100.9	102.8	106.7	119.5	146.5	223.1		
2000		100.9	103.3	106.9	120.7	147.4	218.1		
2002		100.4	102.8	107.8	121.7	136.9	219.2		
2004		100.8	101.9	103.5	114.8	134.0	181.8		
2006		100.8	103.5	106.6	116.2	133.9	179.5		

Table 2: Nominal Growth Forecasted House Price

Note: This table reports q-quarters ahead normalized forecasts by the professional forecast company made in the first quarter of the year reported in the first column.

		Whole Sample:	1953:1-2010:4			Subsample: 19	53:1-1996:4	
	Intuitive	Finite memory	BIC	AIC	Intuitive	Finite memory	BIC	AIC
p	1	6	5	16	1	5	13	17
ϕ_1	0.958***	1.636*** [0.10]	1.330*** [0.06]	1.348*** [0.07]	0.914***	1.129*** [0.10]	1.052*** [0.08]	1.118*** [0.08]
ϕ_2		-0.581^{***} [0.19]	-0.221** [0.10]	-0.241^{***} [0.11]		-0.153 [0.14]	-0.024 [0.11]	-0.136 [0.13]
ϕ_3		0.100 [0.19]	0.090 [0.10]	0.122 [0.12]		0.219 [0.14]	0.113 [0.11]	0.194 [0.12]
ϕ_4		-0.789^{***} [0.18]	-0.614^{***} [0.10]	-0.841*** [0.12]		-0.540^{***}	-0.695*** [0.11]	-0.805*** [0.12]
ϕ_5		0.850*** [0.19]	0.355*** [0.06]	0.656*** [0.12]		-0.245^{***} [0.10]	-0.540*** [0.12]	0.652^{***} $[0.14]$
ϕ_6		-0.259^{**} [0.11]		$0.012 \\ [0.13]$			0.077 [0.13]	$\substack{0.004 \\ [0.14]}$
ϕ_7				-0.060 [0.13]			-0.073 [0.13]	-0.006 [0.14]
ϕ_8				-0.457^{***} [0.13]			-0.459*** [0.13]	-0.562*** [0.14]
ϕ_9				0.346***			0.425^{***} [0.12]	0.485^{***} [0.14]
ϕ_{10}				$0.055 \\ [0.13]$			0.049 [0.11]	$\underset{[0.14]}{0.013}$
ϕ_{11}				$0.121 \\ [0.14]$			$0.039 \\ [0.11]$	$\substack{0.148\\[0.14]}$
ϕ_{12}				-0.631^{***} [0.13]			-0.467^{***} [0.11]	-0.653^{***} [014]
ϕ_{13}				0.285^{**} [0.12]			$0.218^{***}_{[0.08]}$	$0.403^{**} \ [0.14]$
ϕ_{14}				$0.050 \\ [0.13]$				-0.118 [0.12]
ϕ_{15}				$0.136 \\ [0.13]$				$0.211^* \ [0.12]$
ϕ_{16}				-0.119 [0.08]				-0.291** [0.08]
ϕ_{17}								$0.105 \\ [0.08]$

Table 3: Estimation of House Price Growth

Note: In this table we report the estimates of the autoregressive process in equation (1) when considering four models. The *intuitive* expectations model assumes a first order autoregressive process. The *finite memory* assumes that the agents estimate the model by using only the most recent 100 observations and select the order of the lag polynomial by considering the Bayesian Information Criterion. The BIC and AIC models are estimated by maximizing the two different information criteria when using observation from the whole sample (1953:1-2010:4) (left panel) and in the subsample (1953:1-1996:4) (right panel). The real housing price is the annual growth rate of the Shiller index. Standard errors are in brackets. Significance at 1 percent is indicated by ***, at 5 percent by **, at 10 percent by *.

	Intuitive $(p=1)$	finite memory $(p=6)$	BIC $(p=5)$	AIC $(p = 16)$
RMSE	0.0148	0.0122	0.0122	0.0113
R^2	0.9130	0.9713	0.9417	0.9531
$\bar{R}^2 \text{ (adj.)}$	0.9126	0.9694	0.9404	0.9496
log-likelihood	636.58	682.90	681.14	700.72
p-value LR test (against AR1)			0.13	0.19
One period Ahead Forecast	1.96	2.63	2.33	2.34
Confidence Bands (95%)	[1.90; 1.97]	[2.31; 2.82]	[2.18; 2.44]	[2.18; 2.48]
Long-Run Persistence (LRP)	23.7	24.4	18.7	10.4
Confidence Bands (95%)	[10.3; 31.4]	[6.4; 59.5]	[8.6; 28.9]	[5.1; 17.7]

Table 4: In-Sample Fit and Forecasts

Note: The top panel of this table reports the in-sample fit statistics for the four models for model for housing prices (Intuitive expectations, finite memory model, and for the model selected by the BIC and by AIC). The bottom panel reports statistics regarding the properties of the models about the short-run forecasts and long-run forecasts.

Process	LRP	θ_1	θ_2	σ
1	1.4	0.6	-0.31	0.041
10	1.93	0.6	-0.12	0.041
20	2.51	0.6	0.002	0.039
30	3.10	0.6	0.08	0.037
40	3.73	0.6	0.13	0.035
50	4.48	0.6	0.18	0.033

Table 5: Calibration of some processes

Note: This table reports the long-run persistence (LRP), the two autoregressive parameters (θ_1 and θ_2) and the standard deviation (σ) for six out of the 50 specifications of model (13).

Parameter	Value	Description
$\beta = \delta$	0.98	Discount rate for household and banks
h	1.5	Housing stock
η	2	CRRA coefficient
y	1	Income per year
γ	0.05	Rental rate as a fraction of house value
κ	0.2	Collateral value for the bank as a fraction of house value

Table 6: Calibration of structural parameters

Process	1	10	20	30	40	50
Consumption equivalent $(\%)$	0	2.9	7.1	14.6	26.0	39.4

Table 7: Consumption Equivalent throughout the cycle

Note: This table reports the welfare cost in terms of consumption equivalent (in percent) of being natural. Specifically, we compute the percentage of consumption in every period that an agent that uses any process (2-50) to forecast future housing prices in the model is willing to give up to instead be endowed with beliefs described by the least natural process (process 1).

	Boom		Ві	ıst
	Debt Rate		Debt	Rate
a) Bank and Household natural	-54.5	2.2	0.0	
b) None natural	35.0	2.5	13.9	2.0
c) Only Household natural	36.2	2.8	9.2	2.1
d) Only Bank natural	42.2	2.1	5.1	ne2.0

Table 8: Debt dynamics under different assumptions

Note: This table reports the simulated average level of debt and interest rate across the boom phase (left panel, from period 1 to period 6 in our model, which correspond to the period 2000-2006) and bust phase (right panel, from period 1 to period 6 in our model, which correspond to the period 2000-2006 in the data) under the hypothesis that both the bank and household are natural (a), both bank and household are not natural (b), only the household is natural (c), and only the bank is natural (d). In this exercise, for simplicity, we assume that a natural agent uses process 50 to make forecasts, whereas a non natural agent uses process 1.

9 Figures

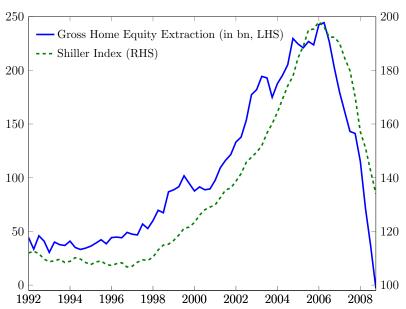


Figure 1: Home equity extraction and house prices in the U.S.

Note: This figure displays the flows of home equity extraction (solid blue line, left scale) in the U.S. in billion of dollars along with the Shiller' Real Home Price Index (dashed green line, right scale). Home equity extraction is computed as a four quarters moving average of Gross Equity Extraction divided by the Consumer Price Index. The series, computed according to the methodology in Greenspan and Kennedy (2005), is available at http://www.calculatedriskblog.com/2009/03/q4-mortgage-equity-extraction-strongly.html (retrieved 7 August 2014). The Real Home Price Index is available at the Robert Shiller's website (http://www.econ.yale.edu/~shiller/data.htm, retrieved 7 August 2014).

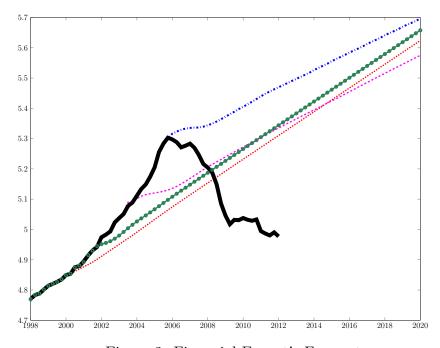


Figure 2: Financial Expert's Forecasts

Note: This figure displays the realized evolution of the house price index (solid black line) along with the financial expert forecasts made in different points in time. The four forecasts in the figure were made in 2000Q1 (red dotted line), in 2002Q1 (green circled line), in 2004Q1 (purple dashed line) and in 2006Q1 (blue dash-dotted line)

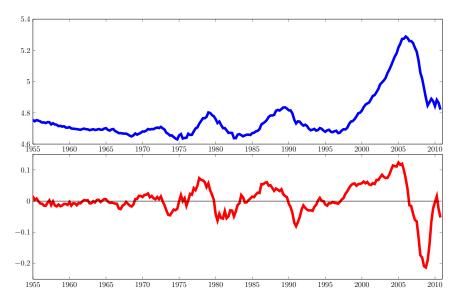


Figure 3: Real U.S. Shiller House Price index

Note: This figure plots the Standard & Poor's Case-Shiller Home Price Index U.S. real housing price index in its level (upper panel) and growth rate (lower panel).

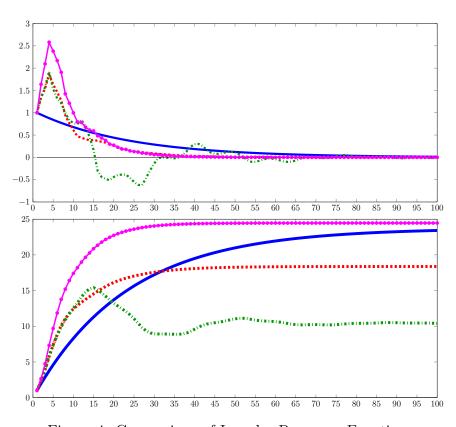


Figure 4: Comparison of Impulse Response Functions

Note: This figure reports the impulse response function (IRF) of housing price growth rate (upper panel) and housing price level (lower panel) to a positive unitary shock. The solid blue line represents the IRF implied by agents that estimate an AR(1) process for the housing price growth rate (intuitive model). The solid-dotted purple line represents the IRF implied by an agents that estimate a process for the housing price growth rate when using only the last 100 observations (finite memory model). The dotted red line represents the IRF for an agent that maximizes the Bayesian Information Criterion and, hence, estimates an AR(5) process for the housing price growth rate. The green dashed line represent the IRF for an agent that maximizes the Akaike Information Criterion and, hence, estimates an AR(16) process for the housing price growth rate.

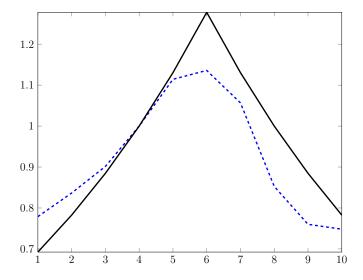


Figure 5: Simulated house price dynamics

Note: This figure plots the housing price series fed into the model (black solid line) along with the actual realization of the annualized Shiller index from 2001 to 2010 (dotted line). The Shiller index has been rescaled and set equal to 1 in 2004.

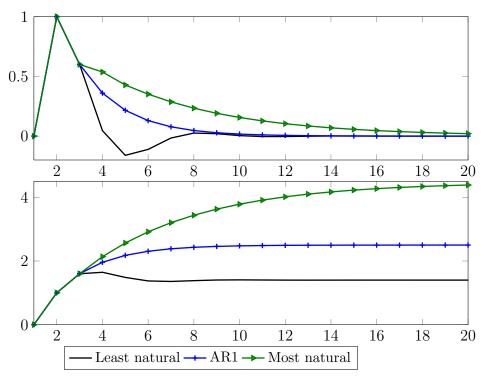


Figure 6: IRFs and CIRFs for selected processes

Note: This figure plots the impulse response functions for the housing price growth rate (top-panel) and level (bottom panel) for three different processes used to solve the model: the one characterizing the most natural agents (green-triangle line), the AR1 model (blue-star line), and the one characterizing the least natural agents (black-solid line).

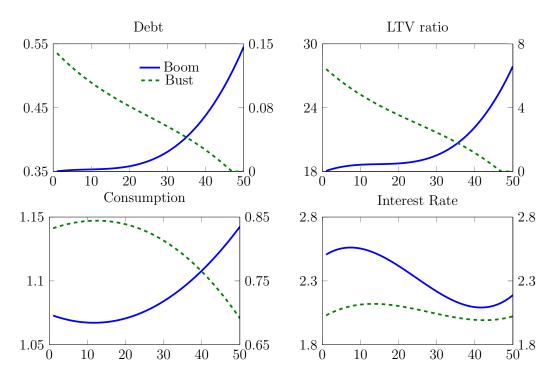


Figure 7: Boom and bust dynamics for selected processes

Note: This figure displays the average values of debt-to-income (upper left panel), LTV ratio (upper right panel), consumption-to-income (lower left panel) and interest rate (lower right panel) for each of the fifty specifications of expected house price growth. The values displayed in the figure have been interpolated by a 3rd degree polynomial. The x-axis reports the number of each process, from the least (process 1) to the most (process 50) natural. Average values are computed both across the boom phase (from period 1 to period 6 in our model, which correspond to the period 2000-2006 in the data, blue solid line) and across the bust (from period 7 to period 9 in our model, which corresponds to the period 2007-2009 in the data, green dashed line).

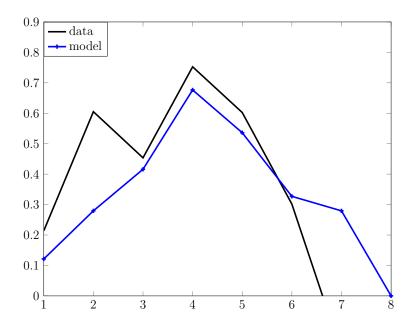


Figure 8: Actual v. simulated data

Note: The black solid line in this figure displays the ratio of gross Home Equity Extraction over Personal Disposable Income, weighted by the fraction of households with an active HELOC (source: Survey of Consumer Finance). The series is normalized at 0 in 2000. The blue crossed line is the simulated debt path arising from process 31, which is the process that minimize the Euclidian distance between the data and the dynamics of debt predicted by our model when varying the degree of naturalness of the agents (process 1 to 50). Sources: Greenspan and Kennedy (2005), FRED, Federal Reserve Economic Data, Federal Reserve Bank of St. Louis and SCF.

A Appendix: Confidence Band Impulse Response House Price

The top panel of Figure 9 plots together the level impulse response of the *intuitive* model (blue solid line) and the AIC model (green dotted line) and their 95 percent confidence band (shaded area); the central panel plots together the level impulse response of the *intuitive* model (blue solid line) and the BIC model (red dashed line) and their 95 percent confidence band; and the bottom panel plots together the level impulse response of the *intuitive* model (blue solid line) and the *finite memory* model (purple circled line) and their 95 percent confidence band. As expected, the uncertainty around the impulse responses is large and the confidence bands largely overlap.

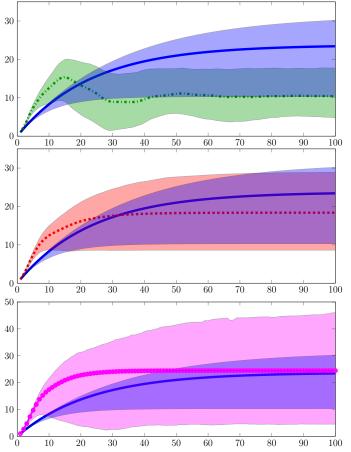


Figure 9: Impulse Response Functions with confidence bands

Note: This figure reports the cumulative impulse response function (CIRF) of house price growth rate to a positive unitary shock. Shaded areas represent the 95 per cent confidence intervals. Top panel: intuitive model (blue solid line) and AIC model (green dotted line). Central panel: intuitive model (blue solid line) and BIC model (red dashed line). Bottom panel: intuitive model (blue solid line) and finite memory model (purple circled line).

B Appendix: Long-Run Price for Annual Data

	Natural	BIC	AIC	Short Memory
p	1	6	7	2
Long-Run Persistence (LRP)	2.76	1.72	1.52	2.29
Confidence Bands (95%)	[2.17; 4.49]	[0.85; 3.05]	[0.67; 2.91]	[0.25; 5.17]

Table 9: LRP and Confidence Band

C Appendix: Numerical algorithm

The numerical algorithm for solving the model works as follows:

- 1. create a grid for debt and interest rate and assign values to parameters $(\beta, h, \eta, y, \gamma, \kappa, \{i_t\}_{t=0}^{T-1})$.
- 2. Define the true house price process $\{p_t\}_{t=0}^T$ and the ones perceived by the agents: $\{p_t^H\}_{t=0}^T$ for household and $\{p_t^B\}_{t=0}^T$ for bank. Use Tauchen (1986)'s method for discretizing the shock and create a grid for debt and interest rate.
- 3. Start from period T and compute terminal value for both bank and household. For each value of the housing shock compute value function for household $V_T^*(r_{T-1}, d_{T-1}, p_T)$ and bank $\pi_T(r_{T-1}, d_{T-1}, p_T)$. More precisely, in order to recover $V_T^*(r_{T-1}, d_{T-1}, p_T)$, we need to compute the default decision from the point of view of the household, while in order to recover $\pi_T(r_{T-1}, d_{T-1}, p_T)$ we need to compute the default decision from the point of view of the bank. This is obtained by inserting the expectations of the bank into the household problem and solving it. More concisely, for each r_{T-1}, d_{T-1} and p_T , the default decision is as follows:

default in
$$T = \begin{cases} 1 & \text{if } p_T^B \leq \frac{(1+r_{T-1})d_{T-1}}{\gamma h} \\ \\ 0 & \text{otherwise} \end{cases}$$

- 4. Go back to period T-1. From now on, the algorithm is valid for periods from t=T-1,...,1. Fix an interest rate \tilde{r}_t and for each value of the housing shock compute the value function $V_t^*(r_{t-1},d_{t-1},p_t)$ and the debt demand schedule $d_t^H(\tilde{r}_t)$.
- 5. Feed the bank's problem with the value of d_t^H and find the value of r_t^B that satisfies the value function of the bank.

- 6. If $r_t^B = r_t$ then stop and move to period t 1, otherwise, replace r_t with r_t^B and repeat the loop from 2 until convergence.
- 7. Given r_1, d_1 and expectations over the realization of p_1 , compute the equilibrium values of d_0 and r_0 .

RECENTLY PUBLISHED "TEMI" (*)

- N. 954 Two EGARCH models and one fat tail, by Michele Caivano and Andrew Harvey (March 2014).
- N. 955 *My parents taught me. Evidence on the family transmission of values*, by Giuseppe Albanese, Guido de Blasio and Paolo Sestito (March 2014).
- N. 956 Political selection in the skilled city, by Antonio Accetturo (March 2014).
- N. 957 Calibrating the Italian smile with time-varying volatility and heavy-tailed models, by Michele Leonardo Bianchi (April 2014).
- N. 958 *The intergenerational transmission of reading: is a good example the best sermon?*, by Anna Laura Mancini, Chiara Monfardini and Silvia Pasqua (April 2014).
- N. 959 A tale of an unwanted outcome: transfers and local endowments of trust and cooperation, by Antonio Accetturo, Guido de Blasio and Lorenzo Ricci (April 2014).
- N. 960 *The impact of R&D subsidies on firm innovation*, by Raffaello Bronzini and Paolo Piselli (April 2014).
- N. 961 *Public expenditure distribution, voting, and growth*, by Lorenzo Burlon (April 2014).
- N. 962 Cooperative R&D networks among firms and public research institutions, by Marco Marinucci (June 2014).
- N. 963 Technical progress, retraining cost and early retirement, by Lorenzo Burlon and Montserrat Vilalta-Bufí (June 2014).
- N. 964 Foreign exchange reserve diversification and the "exorbitant privilege", by Pietro Cova, Patrizio Pagano and Massimiliano Pisani (July 2014).
- N. 965 *Behind and beyond the (headcount) employment rate*, by Andrea Brandolini and Eliana Viviano (July 2014).
- N. 966 *Bank bonds: size, systemic relevance and the sovereign*, by Andrea Zaghini (July 2014).
- N. 967 Measuring spatial effects in presence of institutional constraints: the case of Italian Local Health Authority expenditure, by Vincenzo Atella, Federico Belotti, Domenico Depalo and Andrea Piano Mortari (July 2014).
- N. 968 *Price pressures in the UK index-linked market: an empirical investigation*, by Gabriele Zinna (July 2014).
- N. 969 *Stock market efficiency in China: evidence from the split-share reform*, by Andrea Beltratti, Bernardo Bortolotti and Marianna Caccavaio (September 2014).
- N. 970 *Academic performance and the Great Recession*, by Effrosyni Adamopoulou and Giulia Martina Tanzi (September 2014).
- N. 971 Random switching exponential smoothing and inventory forecasting, by Giacomo Sbrana and Andrea Silvestrini (September 2014).
- N. 972 *Are Sovereign Wealth Funds contrarian investors?*, by Alessio Ciarlone and Valeria Miceli (September 2014).
- N. 973 *Inequality and trust: new evidence from panel data*, by Guglielmo Barone and Sauro Mocetti (September 2014).
- N. 974 Identification and estimation of outcome response with heterogeneous treatment externalities, by Tiziano Arduini, Eleonora Patacchini and Edoardo Rainone (September 2014).
- N. 975 Hedonic value of Italian tourism supply: comparing environmental and cultural attractiveness, by Valter Di Giacinto and Giacinto Micucci (September 2014).
- N. 976 *Multidimensional poverty and inequality*, by Rolf Aaberge and Andrea Brandolini (September 2014).

^(*) Requests for copies should be sent to: Banca d'Italia – Servizio Struttura economica e finanziaria – Divisione Biblioteca e Archivio storico – Via Nazionale, 91 – 00184 Rome – (fax 0039 06 47922059). They are available on the Internet www.bancaditalia.it.

- S. DI ADDARIO, *Job search in thick markets*, Journal of Urban Economics, v. 69, 3, pp. 303-318, **TD No. 605 (December 2006).**
- F. SCHIVARDI and E. VIVIANO, *Entry barriers in retail trade*, Economic Journal, v. 121, 551, pp. 145-170, **TD No. 616 (February 2007).**
- G. FERRERO, A. NOBILI and P. PASSIGLIA, Assessing excess liquidity in the Euro Area: the role of sectoral distribution of money, Applied Economics, v. 43, 23, pp. 3213-3230, **TD No. 627 (April 2007).**
- P. E. MISTRULLI, Assessing financial contagion in the interbank market: maximun entropy versus observed interbank lending patterns, Journal of Banking & Finance, v. 35, 5, pp. 1114-1127, **TD No. 641** (September 2007).
- E. CIAPANNA, *Directed matching with endogenous markov probability: clients or competitors?*, The RAND Journal of Economics, v. 42, 1, pp. 92-120, **TD No. 665 (April 2008).**
- M. BUGAMELLI and F. PATERNÒ, *Output growth volatility and remittances*, Economica, v. 78, 311, pp. 480-500, **TD No. 673 (June 2008).**
- V. DI GIACINTO e M. PAGNINI, Local and global agglomeration patterns: two econometrics-based indicators, Regional Science and Urban Economics, v. 41, 3, pp. 266-280, **TD No. 674 (June 2008).**
- G. BARONE and F. CINGANO, Service regulation and growth: evidence from OECD countries, Economic Journal, v. 121, 555, pp. 931-957, **TD No. 675 (June 2008).**
- P. SESTITO and E. VIVIANO, *Reservation wages: explaining some puzzling regional patterns*, Labour, v. 25, 1, pp. 63-88, **TD No. 696 (December 2008).**
- R. GIORDANO and P. TOMMASINO, What determines debt intolerance? The role of political and monetary institutions, European Journal of Political Economy, v. 27, 3, pp. 471-484, **TD No. 700 (January 2009).**
- P. ANGELINI, A. NOBILI and C. PICILLO, *The interbank market after August 2007: What has changed, and why?*, Journal of Money, Credit and Banking, v. 43, 5, pp. 923-958, **TD No. 731 (October 2009).**
- G. BARONE and S. MOCETTI, *Tax morale and public spending inefficiency*, International Tax and Public Finance, v. 18, 6, pp. 724-49, **TD No. 732 (November 2009).**
- L. FORNI, A. GERALI and M. PISANI, *The Macroeconomics of Fiscal Consolidation in a Monetary Union:* the Case of Italy, in Luigi Paganetto (ed.), Recovery after the crisis. Perspectives and policies, VDM Verlag Dr. Muller, **TD No. 747 (March 2010).**
- A. DI CESARE and G. GUAZZAROTTI, An analysis of the determinants of credit default swap changes before and during the subprime financial turmoil, in Barbara L. Campos and Janet P. Wilkins (eds.), The Financial Crisis: Issues in Business, Finance and Global Economics, New York, Nova Science Publishers, Inc., TD No. 749 (March 2010).
- A. LEVY and A. ZAGHINI, *The pricing of government guaranteed bank bonds,* Banks and Bank Systems, v. 6, 3, pp. 16-24, **TD No. 753 (March 2010).**
- G. BARONE, R. FELICI and M. PAGNINI, *Switching costs in local credit markets*, International Journal of Industrial Organization, v. 29, 6, pp. 694-704, **TD No. 760 (June 2010).**
- G. BARBIERI, C. ROSSETTI e P. SESTITO, *The determinants of teacher mobility: evidence using Italian teachers' transfer applications*, Economics of Education Review, v. 30, 6, pp. 1430-1444, **TD No. 761 (marzo 2010).**
- G. GRANDE and I. VISCO, A public guarantee of a minimum return to defined contribution pension scheme members, The Journal of Risk, v. 13, 3, pp. 3-43, **TD No. 762 (June 2010).**
- P. DEL GIOVANE, G. ERAMO and A. NOBILI, *Disentangling demand and supply in credit developments: a survey-based analysis for Italy,* Journal of Banking and Finance, v. 35, 10, pp. 2719-2732, **TD No. 764 (June 2010).**
- G. BARONE and S. MOCETTI, With a little help from abroad: the effect of low-skilled immigration on the female labour supply, Labour Economics, v. 18, 5, pp. 664-675, **TD No. 766 (July 2010).**
- S. FEDERICO and A. FELETTIGH, *Measuring the price elasticity of import demand in the destination markets of italian exports*, Economia e Politica Industriale, v. 38, 1, pp. 127-162, **TD No. 776 (October 2010).**
- S. MAGRI and R. PICO, *The rise of risk-based pricing of mortgage interest rates in Italy*, Journal of Banking and Finance, v. 35, 5, pp. 1277-1290, **TD No. 778 (October 2010).**

- M. TABOGA, *Under/over-valuation of the stock market and cyclically adjusted earnings*, International Finance, v. 14, 1, pp. 135-164, **TD No. 780 (December 2010).**
- S. NERI, *Housing, consumption and monetary policy: how different are the U.S. and the Euro area?*, Journal of Banking and Finance, v.35, 11, pp. 3019-3041, **TD No. 807 (April 2011).**
- V. CUCINIELLO, *The welfare effect of foreign monetary conservatism with non-atomistic wage setters*, Journal of Money, Credit and Banking, v. 43, 8, pp. 1719-1734, **TD No. 810 (June 2011).**
- A. CALZA and A. ZAGHINI, welfare costs of inflation and the circulation of US currency abroad, The B.E. Journal of Macroeconomics, v. 11, 1, Art. 12, **TD No. 812 (June 2011).**
- I. FAIELLA, *La spesa energetica delle famiglie italiane*, Energia, v. 32, 4, pp. 40-46, **TD No. 822 (September 2011).**
- D. DEPALO and R. GIORDANO, *The public-private pay gap: a robust quantile approach*, Giornale degli Economisti e Annali di Economia, v. 70, 1, pp. 25-64, **TD No. 824 (September 2011).**
- R. DE BONIS and A. SILVESTRINI, *The effects of financial and real wealth on consumption: new evidence from OECD countries*, Applied Financial Economics, v. 21, 5, pp. 409–425, **TD No. 837 (November 2011).**
- F. CAPRIOLI, P. RIZZA and P. TOMMASINO, *Optimal fiscal policy when agents fear government default*, Revue Economique, v. 62, 6, pp. 1031-1043, **TD No. 859 (March 2012).**

2012

- F. CINGANO and A. ROSOLIA, *People I know: job search and social networks*, Journal of Labor Economics, v. 30, 2, pp. 291-332, **TD No. 600 (September 2006).**
- G. GOBBI and R. ZIZZA, *Does the underground economy hold back financial deepening? Evidence from the italian credit market*, Economia Marche, Review of Regional Studies, v. 31, 1, pp. 1-29, **TD No. 646** (November 2006).
- S. MOCETTI, *Educational choices and the selection process before and after compulsory school*, Education Economics, v. 20, 2, pp. 189-209, **TD No. 691 (September 2008).**
- P. PINOTTI, M. BIANCHI and P. BUONANNO, *Do immigrants cause crime?*, Journal of the European Economic Association, v. 10, 6, pp. 1318–1347, **TD No. 698 (December 2008).**
- M. PERICOLI and M. TABOGA, *Bond risk premia, macroeconomic fundamentals and the exchange rate*, International Review of Economics and Finance, v. 22, 1, pp. 42-65, **TD No. 699 (January 2009).**
- F. LIPPI and A. NOBILI, *Oil and the macroeconomy: a quantitative structural analysis,* Journal of European Economic Association, v. 10, 5, pp. 1059-1083, **TD No. 704 (March 2009).**
- G. ASCARI and T. ROPELE, Disinflation in a DSGE perspective: sacrifice ratio or welfare gain ratio?, Journal of Economic Dynamics and Control, v. 36, 2, pp. 169-182, **TD No. 736 (January 2010).**
- S. FEDERICO, *Headquarter intensity and the choice between outsourcing versus integration at home or abroad*, Industrial and Corporate Chang, v. 21, 6, pp. 1337-1358, **TD No. 742 (February 2010).**
- I. BUONO and G. LALANNE, *The effect of the Uruguay Round on the intensive and extensive margins of trade*, Journal of International Economics, v. 86, 2, pp. 269-283, **TD No. 743 (February 2010).**
- A. BRANDOLINI, S. MAGRI and T. M SMEEDING, Asset-based measurement of poverty, In D. J. Besharov and K. A. Couch (eds), Counting the Poor: New Thinking About European Poverty Measures and Lessons for the United States, Oxford and New York: Oxford University Press, **TD No. 755** (March 2010).
- S. GOMES, P. JACQUINOT and M. PISANI, *The EAGLE. A model for policy analysis of macroeconomic interdependence in the euro area*, Economic Modelling, v. 29, 5, pp. 1686-1714, **TD No. 770** (July 2010).
- A. ACCETTURO and G. DE BLASIO, *Policies for local development: an evaluation of Italy's "Patti Territoriali"*, Regional Science and Urban Economics, v. 42, 1-2, pp. 15-26, **TD No. 789** (January 2006).
- F. BUSETTI and S. DI SANZO, *Bootstrap LR tests of stationarity, common trends and cointegration, Journal of Statistical Computation and Simulation*, v. 82, 9, pp. 1343-1355, **TD No. 799 (March 2006).**
- S. NERI and T. ROPELE, *Imperfect information, real-time data and monetary policy in the Euro area*, The Economic Journal, v. 122, 561, pp. 651-674, **TD No. 802 (March 2011).**
- A. ANZUINI and F. FORNARI, *Macroeconomic determinants of carry trade activity*, Review of International Economics, v. 20, 3, pp. 468-488, **TD No. 817 (September 2011).**
- M. AFFINITO, Do interbank customer relationships exist? And how did they function in the crisis? Learning from Italy, Journal of Banking and Finance, v. 36, 12, pp. 3163-3184, **TD No. 826 (October 2011).**

- P. GUERRIERI and F. VERGARA CAFFARELLI, *Trade Openness and International Fragmentation of Production in the European Union: The New Divide?*, Review of International Economics, v. 20, 3, pp. 535-551, **TD No. 855 (February 2012).**
- V. DI GIACINTO, G. MICUCCI and P. MONTANARO, Network effects of public transposrt infrastructure: evidence on Italian regions, Papers in Regional Science, v. 91, 3, pp. 515-541, **TD No. 869 (July 2012).**
- A. FILIPPIN and M. PACCAGNELLA, Family background, self-confidence and economic outcomes, Economics of Education Review, v. 31, 5, pp. 824-834, **TD No. 875 (July 2012).**

2013

- A. MERCATANTI, A likelihood-based analysis for relaxing the exclusion restriction in randomized experiments with imperfect compliance, Australian and New Zealand Journal of Statistics, v. 55, 2, pp. 129-153, **TD No. 683 (August 2008).**
- F. CINGANO and P. PINOTTI, *Politicians at work. The private returns and social costs of political connections*, Journal of the European Economic Association, v. 11, 2, pp. 433-465, **TD No. 709 (May 2009).**
- F. BUSETTI and J. MARCUCCI, *Comparing forecast accuracy: a Monte Carlo investigation*, International Journal of Forecasting, v. 29, 1, pp. 13-27, **TD No. 723 (September 2009).**
- D. DOTTORI, S. I-LING and F. ESTEVAN, *Reshaping the schooling system: The role of immigration*, Journal of Economic Theory, v. 148, 5, pp. 2124-2149, **TD No. 726 (October 2009).**
- A. FINICELLI, P. PAGANO and M. SBRACIA, *Ricardian Selection*, Journal of International Economics, v. 89, 1, pp. 96-109, **TD No. 728 (October 2009).**
- L. Monteforte and G. Moretti, *Real-time forecasts of inflation: the role of financial variables*, Journal of Forecasting, v. 32, 1, pp. 51-61, **TD No. 767 (July 2010).**
- R. GIORDANO and P. TOMMASINO, *Public-sector efficiency and political culture*, FinanzArchiv, v. 69, 3, pp. 289-316, **TD No. 786 (January 2011).**
- E. GAIOTTI, *Credit availablility and investment: lessons from the "Great Recession"*, European Economic Review, v. 59, pp. 212-227, **TD No. 793 (February 2011).**
- F. NUCCI and M. RIGGI, *Performance pay and changes in U.S. labor market dynamics*, Journal of Economic Dynamics and Control, v. 37, 12, pp. 2796-2813, **TD No. 800 (March 2011).**
- G. CAPPELLETTI, G. GUAZZAROTTI and P. TOMMASINO, *What determines annuity demand at retirement?*, The Geneva Papers on Risk and Insurance Issues and Practice, pp. 1-26, **TD No. 805 (April 2011).**
- A. ACCETTURO e L. INFANTE, Skills or Culture? An analysis of the decision to work by immigrant women in Italy, IZA Journal of Migration, v. 2, 2, pp. 1-21, **TD No. 815 (July 2011).**
- A. DE SOCIO, Squeezing liquidity in a "lemons market" or asking liquidity "on tap", Journal of Banking and Finance, v. 27, 5, pp. 1340-1358, **TD No. 819 (September 2011).**
- S. GOMES, P. JACQUINOT, M. MOHR and M. PISANI, Structural reforms and macroeconomic performance in the euro area countries: a model-based assessment, International Finance, v. 16, 1, pp. 23-44, TD No. 830 (October 2011).
- G. BARONE and G. DE BLASIO, *Electoral rules and voter turnout*, International Review of Law and Economics, v. 36, 1, pp. 25-35, **TD No. 833 (November 2011).**
- O. BLANCHARD and M. RIGGI, Why are the 2000s so different from the 1970s? A structural interpretation of changes in the macroeconomic effects of oil prices, Journal of the European Economic Association, v. 11, 5, pp. 1032-1052, **TD No. 835 (November 2011).**
- R. CRISTADORO and D. MARCONI, *Household savings in China*, in G. Gomel, D. Marconi, I. Musu, B. Quintieri (eds), The Chinese Economy: Recent Trends and Policy Issues, Springer-Verlag, Berlin, **TD No. 838 (November 2011).**
- E. GENNARI and G. MESSINA, How sticky are local expenditures in Italy? Assessing the relevance of the flypaper effect through municipal data, International Tax and Public Finance (DOI: 10.1007/s10797-013-9269-9), **TD No. 844 (January 2012).**
- A. ANZUINI, M. J. LOMBARDI and P. PAGANO, *The impact of monetary policy shocks on commodity prices*, International Journal of Central Banking, v. 9, 3, pp. 119-144, **TD No. 851 (February 2012).**
- R. GAMBACORTA and M. IANNARIO, *Measuring job satisfaction with CUB models*, Labour, v. 27, 2, pp. 198-224, **TD No. 852 (February 2012).**

- G. ASCARI and T. ROPELE, Disinflation effects in a medium-scale new keynesian model: money supply rule versus interest rate rule, European Economic Review, v. 61, pp. 77-100, **TD No. 867 (April 2012).**
- E. BERETTA and S. DEL PRETE, Banking consolidation and bank-firm credit relationships: the role of geographical features and relationship characteristics, Review of Economics and Institutions, v. 4, 3, pp. 1-46, **TD No. 901 (February 2013).**
- M. Andini, G. de Blasio, G. Duranton and W. Strange, *Marshallian labor market pooling: evidence from Italy*, Regional Science and Urban Economics, v. 43, 6, pp.1008-1022, **TD No. 922 (July 2013).**
- G. SBRANA and A. SILVESTRINI, Forecasting aggregate demand: analytical comparison of top-down and bottom-up approaches in a multivariate exponential smoothing framework, International Journal of Production Economics, v. 146, 1, pp. 185-98, **TD No. 929 (September 2013).**
- A. FILIPPIN, C. V, FIORIO and E. VIVIANO, *The effect of tax enforcement on tax morale*, European Journal of Political Economy, v. 32, pp. 320-331, **TD No. 937 (October 2013).**

2014

- M. TABOGA, *The riskiness of corporate bonds*, Journal of Money, Credit and Banking, v.46, 4, pp. 693-713, **TD No. 730 (October 2009).**
- G. MICUCCI and P. ROSSI, *Il ruolo delle tecnologie di prestito nella ristrutturazione dei debiti delle imprese in crisi*, in A. Zazzaro (a cura di), Le banche e il credito alle imprese durante la crisi, Bologna, Il Mulino, **TD No. 763 (June 2010).**
- P. ANGELINI, S. NERI and F. PANETTA, *The interaction between capital requirements and monetary policy*, Journal of Money, Credit and Banking, v. 46, 6, pp. 1073-1112, **TD No. 801 (March 2011).**
- M. Francese and R. Marzia, *Is there Room for containing healthcare costs? An analysis of regional spending differentials in Italy,* The European Journal of Health Economics, v. 15, 2, pp. 117-132, **TD No. 828 (October 2011).**
- L. GAMBACORTA and P. E. MISTRULLI, *Bank heterogeneity and interest rate setting: what lessons have we learned since Lehman Brothers?*, Journal of Money, Credit and Banking, v. 46, 4, pp. 753-778, **TD No. 829 (October 2011).**
- M. PERICOLI, *Real term structure and inflation compensation in the euro area*, International Journal of Central Banking, v. 10, 1, pp. 1-42, **TD No. 841 (January 2012).**
- V. DI GACINTO, M. GOMELLINI, G. MICUCCI and M. PAGNINI, *Mapping local productivity advantages in Italy: industrial districts, cities or both?*, Journal of Economic Geography, v. 14, pp. 365–394, **TD No. 850** (January 2012).
- A. ACCETTURO, F. MANARESI, S. MOCETTI and E. OLIVIERI, *Don't Stand so close to me: the urban impact of immigration*, Regional Science and Urban Economics, v. 45, pp. 45-56, **TD No. 866 (April 2012).**
- S. FEDERICO, *Industry dynamics and competition from low-wage countries: evidence on Italy*, Oxford Bulletin of Economics and Statistics, v. 76, 3, pp. 389-410, **TD No. 879 (September 2012).**
- F. D'AMURI and G. PERI, *Immigration, jobs and employment protection: evidence from Europe before and during the Great Recession,* Journal of the European Economic Association, v. 12, 2, pp. 432-464, **TD No. 886 (October 2012).**
- M. TABOGA, What is a prime bank? A euribor-OIS spread perspective, International Finance, v. 17, 1, pp. 51-75, **TD No. 895 (January 2013).**
- L. GAMBACORTA and F. M. SIGNORETTI, Should monetary policy lean against the wind? An analysis based on a DSGE model with banking, Journal of Economic Dynamics and Control, v. 43, pp. 146-74, TD No. 921 (July 2013).
- U. Albertazzi and M. Bottero, *Foreign bank lending: evidence from the global financial crisis,* Journal of International Economics, v. 92, 1, pp. 22-35, **TD No. 926 (July 2013).**
- R. DE BONIS and A. SILVESTRINI, *The Italian financial cycle: 1861-2011*, Cliometrica, v.8, 3, pp. 301-334, **TD No. 936 (October 2013).**
- D. PIANESELLI and A. ZAGHINI, *The cost of firms' debt financing and the global financial crisis,* Finance Research Letters, v. 11, 2, pp. 74-83, **TD No. 950 (February 2014).**
- A. ZAGHINI, *Bank bonds: size, systemic relevance and the sovereign,* International Finance, v. 17, 2, pp. 161-183, **TD No. 966 (July 2014).**

- M. BUGAMELLI, S. FABIANI and E. SETTE, *The age of the dragon: the effect of imports from China on firm-level prices*, Journal of Money, Credit and Banking, **TD No. 737 (January 2010).**
- F. D'AMURI, Gli effetti della legge 133/2008 sulle assenze per malattia nel settore pubblico, Rivista di Politica Economica, TD No. 787 (January 2011).
- E. COCOZZA and P. PISELLI, *Testing for east-west contagion in the European banking sector during the financial crisis,* in R. Matoušek; D. Stavárek (eds.), Financial Integration in the European Union, Taylor & Francis, **TD No. 790 (February 2011).**
- R. BRONZINI and E. IACHINI, Are incentives for R&D effective? Evidence from a regression discontinuity approach, American Economic Journal: Economic Policy, TD No. 791 (February 2011).
- G. DE BLASIO, D. FANTINO and G. PELLEGRINI, Evaluating the impact of innovation incentives: evidence from an unexpected shortage of funds, Industrial and Corporate Change, **TD No. 792 (February 2011).**
- A. DI CESARE, A. P. STORK and C. DE VRIES, *Risk measures for autocorrelated hedge fund returns*, Journal of Financial Econometrics, **TD No. 831 (October 2011).**
- D. FANTINO, A. MORI and D. SCALISE, Collaboration between firms and universities in Italy: the role of a firm's proximity to top-rated departments, Rivista Italiana degli economisti, **TD No. 884 (October 2012).**
- G. BARONE and S. MOCETTI, *Natural disasters, growth and institutions: a tale of two earthquakes,* Journal of Urban Economics, **TD No. 949 (January 2014).**