

What does the strange crisis in Russia indicate  
about labor supply?  
by Herrala and Kuosmanen

discussed by  
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# Overview of the Paper

- They study the recent crisis period in Russia to assess its effect on labor supply.
  - → how does a tightening of the borrowing constraint affect labor supply?
- Motivated by the fact that labor market reaction during the crisis was negligible (employment and unemployment rates hardly moved).
- Build an incentive model of the household sector, quantified using survey data.
- **Main Findings:** labor supply decreased in response of a tightening of the borrowing constraint.
- Interesting topic: relevant research question + micro-based model with macro implications.

# Model

- Households choose consumption and labor supply:

$$\max_{L_i, C_i} U_i = -\frac{1}{2}L_i^2 + C_{1i} + C_{2i} - \frac{\beta}{2}(C_{1i}^2 + C_{2i}^2)$$

s.t.

$$C_{1i} + \frac{C_{2i}}{r} \leq L_i \left( Y\epsilon_i + \frac{Y}{r}(1 - \epsilon_i) \right), \quad (1)$$

$$C_{1i} \leq L_i \left( Y\epsilon_i + \frac{1 - \gamma}{r} Y(1 - \epsilon_i) \right), \quad (2)$$

$$C_{1i}, C_{2i}, L_i \geq 0. \quad (3)$$

- Loan market cleared by interest rate  $r$  (heterogeneity in  $\epsilon_i$  determines differences in consumption/saving behavior).
- $\gamma$  is the key parameter for borrowing constraints.

## Comments on Model (1/2)

- **Time discounting:** agents are indifferent between consuming today or tomorrow.
  - But degree of impatience seems very relevant for quantitative impact of  $\gamma$ .
- **Intertemporal labor supply:** agents cannot separately choose  $L_1$  and  $L_2$ .
  - But a tighter constraint would put pressure on  $L_1$  only.
- **Interdependence of wages over time:** a change in  $\epsilon$  reshuffles resources from a period to another.
  - A temporary drop in wage would be accomplished by a combination of changes in  $\epsilon$  and  $Y$ : why not allow for  $w_1$  and  $w_2$ ? → also, aggregate implications are likely to differ.

## Comments on Model (2/2)

- **Heterogeneity:** households only differ in  $\epsilon$ .
  - What about other relevant dimensions of heterogeneity? (wage levels, or wealth).
- **Labor demand:** agents can pick any amount of  $L$  at the prevailing rate  $Y$  (perfectly elastic demand).
  - This allows to interpret changes in equilibrium quantities as changes in supply... but what is really the case?

## Comments on Estimation (1/2)

- Estimating equation:

$$\log(C_{1i} - L_i Y \epsilon_i) - \log(L_i Y \epsilon_i) = \log\left(\frac{1 - \gamma}{r}\right) + \log\left(\frac{1 - \epsilon_i}{\epsilon_i}\right) - u_i.$$

- $Y =$  labor income?
- Why not take into account also capital income? But then one should add this to the model.
- $(C_{1i} - L_i Y \epsilon_i)$  represents debt only because there are no assets  
→ introducing a bias?

## Comments on Estimation (2/2)

- Proxy future vs. current income:

$$\frac{1 - \epsilon_j}{\epsilon_j} = \delta_1 \left( \frac{rY_{ref}}{Y} \right)^{\delta_2}$$

- Why not heterogeneity also on the denominator?
- Ideally,  $\epsilon$  should be mapped to life-cycle wage profiles. Any evidence they changed?
- Most of the credit constrained HH's (90%) are identified through the survey questions → How can one guarantee that the estimates of the borrowing constraint are consistent with the whole sample?

# Comments on Calibration and Quantitative Analysis

- $\beta$  (curvature of utility) is a determinant of risk aversion, but it is set to match labor supply.
  - Why not introduce a parameter on disutility from work?
- $\gamma$  (borr. constraint) is set to match labor supply dynamics.
  - In this way, labor supply is matched by design  $\rightarrow$  what's the counterfactual evolution of LS, absent any change in  $\gamma$ ?
  - Variation in  $\gamma$  is (too?) large: from 0.1 to 0.8 in 3 years.

## Intuition on Main Result?

- They find a negative relationship between labor supply and borrowing constraint... but why?

$$C_{1i} \leq L_i \left( Y \epsilon_i + \frac{1 - \gamma}{r} Y (1 - \epsilon_i) \right).$$

- An increase in  $\gamma$  restricts the feasible set for  $C_{1i}$ .
- Increasing  $L_i$  can (at least partially) undo this effect, for constrained agents.
- Nothing changes for unconstrained agents.
- What else is going on? What about  $r$ ?