



Forecasting the US unemployment rate with a Google job search index

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Outline

- Introduction and Motivations
- Data and Leading indicators for the US unemployment rate
 - Initial jobless claims (traditional!)
 - Google job web search index (New!)
- Forecasting models
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 - Tests Equal forecast accuracy and forecast encompassing
 - Reality Check test for superior predictive ability
- Some Robustness
 - Results from aggregation of States' forecasts
 - Comparison with Survey of Professional Forecasters
- Discussion and Conclusion

Introduction

- Having *reliable* and *updated* **unemployment forecasts** has become increasingly important, in particular during economic downturns
- The literature on US unemployment forecasting has primarily dealt either with simple **linear** models or with **non-linear** models
 - For example Montgomery, Zarnowitz, Tsay and Tiao (JASA, 1998), Proietti (CSDA, 2003) or Rothman (RESTAT, 1998)
- These linear models have been augmented with some **leading indicators**: in particular the **Initial jobless Claim** (IC) seem to be the best indicator for the US unemployment, so far...

Motivation

Google 'job' web search weekly index from Google Insights

Google Insights for Search beta

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| Compare by | Search terms | Filter |
|---|--|---|
| <input checked="" type="radio"/> Search terms <input type="radio"/> Locations <input type="radio"/> Time Ranges | Tip: Use the plus sign to indicate OR. (tennis + squash) <input type="text" value="All search terms"/> + Add search term | <input type="text" value="Web Search"/> <input type="text" value="Worldwide"/> <input type="text" value="2004 - present"/> <input type="text" value="All Categories"/> |
| | | <input type="button" value="Search"/> |

See what the world is searching for.

With Google Insights for Search, you can compare search volume patterns across specific regions, categories, time frames and properties. See [examples](#) of how you can use Google Insights for Search.



Categories

Narrow data to specific categories, like finance, health, and sports.

Examples: [The top vehicle brands in France \(last 30 days\)](#) | [Top Newspapers in the UK](#)



Seasonality

Anticipate demand for your business so you can budget and plan accordingly.

Examples: [tour de france in 2008, 2007....](#) | [soccer in 2006 vs. 2007](#)



Geographic distribution

Know where to find your customers. See how search volume is distributed across regions and cities.

Examples: [recipes in different US metro areas](#) | [soccer in Brazil, Italy, Germany, UK](#)



Properties

See search patterns in other Google properties.

Examples: [News highlights from the last 7 days \(USA\)](#) | [puppies vs. kittens, in the USA \(image search\)](#)

More examples

[comic books, graphic novels](#)
[rudy giuliani, john mccain, mitt romney](#)
[dr seuss, dr martin luther king, dr dre](#)
[livejournal, blogger](#)
[boxers underwear, briefs underwear](#)
[turkey, gifts, diet](#)
[roland garros, us open](#)
[doctor who, battlestar galactica](#)
[wifi, broadband](#)
[perl, python, ruby, php](#)
[ecards](#)
[yelp, insider pages](#)

Our Contribution

- In this paper we suggest an *alternative leading indicator* to forecast the US unemployment rate
⇒ a **Google job web search index**
- To the best of our knowledge, this indicator has only been used by:
 - Askitas & Zimmermann (2009) to forecast German unemployment
 - D'Amuri (2009) to forecast Italian unemployment
 - Suhoy (2009) to forecast unemployment in Israel
 - Choi and Varian (2009) to predict the US initial claims
- Running an extensive out-of-sample forecasting *horse-race*, we compare the predictive power of linear forecasting models using the Google Index (GI) with those using the Initial Claims or combinations of both.
- Our interest is on *short-term forecasting*, i.e. in forecasting the US monthly unemployment rate from 1- to 3-months ahead

Our results

- Our results show that the **Google index really helps** in predicting the monthly US unemployment rate, even after controlling for the effects of data-snooping.
 - Linear models with GI **outperform** all the other models using IC as a leading indicator, both in terms of **equal forecast accuracy** and **superior predictive ability**
- Moreover, linear *models augmented with the GI outperform* also at the **state level** (to predict the unemployment rate in each state) and in comparison to the *Survey of Professional Forecasters*.
- Our preferred models with *GI* also **outperform** standard *non-linear* models

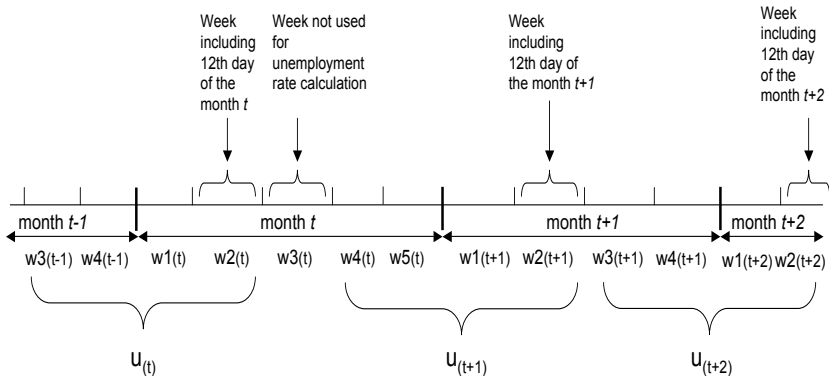
Data

1) Unemployment rate (US and state level)

- **Monthly unemployment rate** (u_t) seasonally adjusted from BLS
 - Current Unemployment Statistics (national level)
 - Sample: **1948.1-2009.6** (738 obs.)
 - Local Area Unemployment Statistics (state level)
 - Sample: **1976.1-2009.6** (402 obs.)
- u_t for month t refers to:
 - people who **don't have a job**, but are **available for work**, in the week including the 12th of month t ...
 - ...and who **have looked for a job** in the previous 4 weeks (*reference week* included)

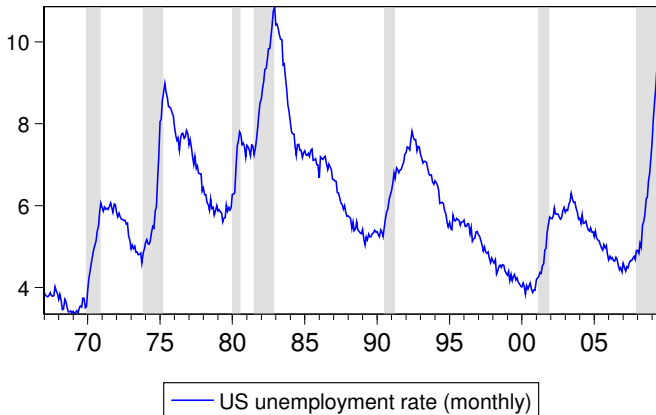
Data (Cont.)

1) Unemployment rate: Exact timing of US monthly unemployment rate



Data (Cont.)

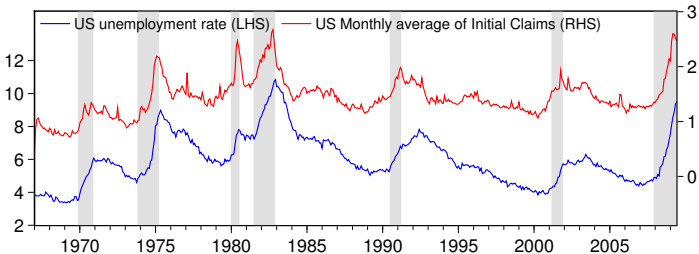
1) Unemployment rate (US) - Sample: 1967.1-2009.6 (NBER recessions - shaded areas)



Data (Cont.)

2) Initial Jobless Claims (US and state level)

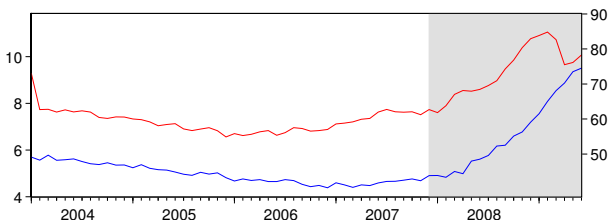
- Weekly **Initial Jobless Claims** (*IC*) seasonally adjusted from the US Department of Labor
 - ⇒ well-known **Leading Indicator** (Montgomery et al., 1998)
 - National level
 - Sample: **1967.1-2009.6** (510 obs.)
 - State level (SA w/ Tramo-Seats)
 - Sample: **1987.1-2009.6** (271 obs.)



Data (Cont.)

3) Google 'job' web search index from Google Insights (US and state level)

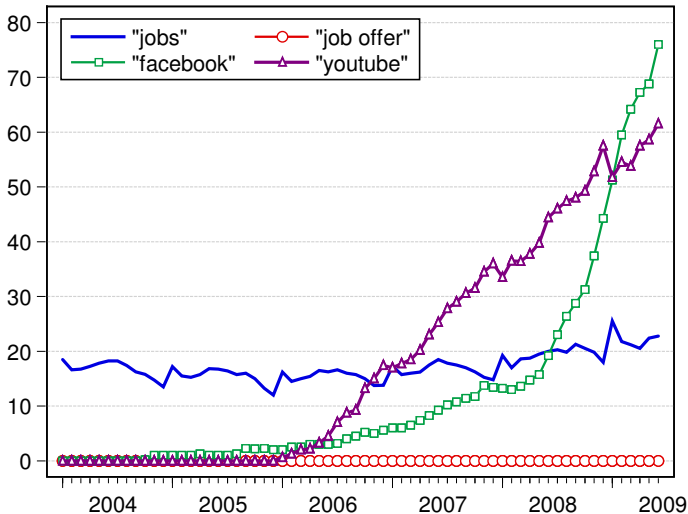
- **Weekly Google Index (GI)** seasonally adjusted from Google Insights (available almost in real time)
 - ⇒ suggested **Leading Indicator**
 - (Incidence of “*jobs*” queries on total web queries in relevant week)
 - National level
 - Sample: **2004.1-2009.6** (66 obs.)
 - State level
 - Sample: **2004.1-2009.6** (66 obs.)



— US unemployment rate (LHS) — US Monthly average of Google job searches (RHS)

Data (Cont.)

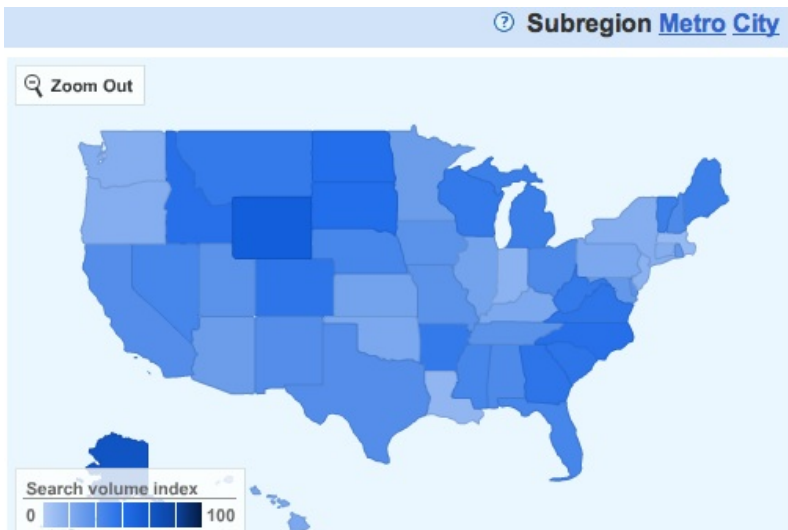
3) Incidence of keyword "jobs" vs other popular keywords



Data (Cont.)

3) Google 'job' web search index from Google Insights

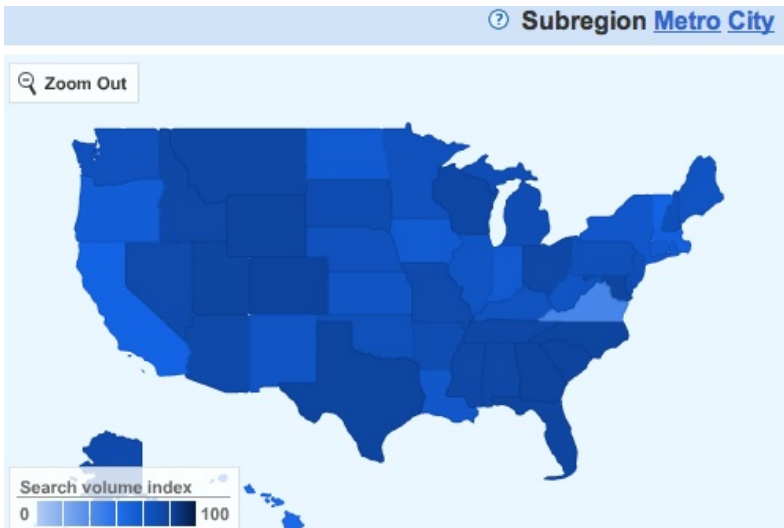
Pre-crisis period: Jan.-Apr. 2007



Data (Cont.)

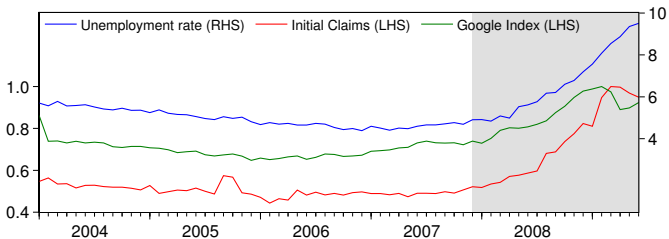
3) Google 'job' web search index from Google Insights

During the crisis: Jan.-Apr. 2009



Data (Cont.)

Unemployment rate (US), Initial Claims and Google index - Sample: 2004.1-2009.6



Data (Cont.)

ADF-GLS Unit Root tests by Elliott et al. (1996). Short and Full Sample

| Sample: 1967:1-2009:6 | | | Sample: 2004:1-2009:6 | | |
|-----------------------|-----------------|------------|-----------------------|-----------------|------------|
| Variable | Test | Test stat. | Variable | Test | Test stat. |
| u_t | $DF - GLS^\mu$ | -1.054 | u_t | $DF - GLS^\mu$ | -2.881*** |
| | $DF - GLS^\tau$ | -2.282 | | $DF - GLS^\tau$ | -2.902* |
| $\log(u_t)$ | $DF - GLS^\mu$ | -0.901 | $\log(u_t)$ | $DF - GLS^\mu$ | -2.792*** |
| | $DF - GLS^\tau$ | -2.190 | | $DF - GLS^\tau$ | -2.797 |
| u_t^{logit} | $DF - GLS^\mu$ | -0.912 | u_t^{logit} | $DF - GLS^\mu$ | -2.801*** |
| | $DF - GLS^\tau$ | -2.203 | | $DF - GLS^\tau$ | -2.804 |
| u_t^{HPlog} | $DF - GLS^\mu$ | -3.752*** | u_t^{HPlog} | $DF - GLS^\mu$ | -2.659*** |
| | $DF - GLS^\tau$ | -4.414*** | | $DF - GLS^\tau$ | -2.523 |
| u_t^{LLD} | $DF - GLS^\mu$ | -1.344 | u_t^{LLD} | $DF - GLS^\mu$ | -2.823*** |
| | $DF - GLS^\tau$ | -2.190 | | $DF - GLS^\tau$ | -2.797 |

The setup of the forecasting horse-race

- **Timing:** $T = R + P$ observations.
 - In the '**full-sample**' (1967.1-2009.6) we have $T = 510$
 - In the '**short-sample**' (2004.1-2009.6) we have $T = 66$
- The first R are used to estimate the models (**in-sample**) while the last P are used for **out-of-sample** evaluation.
- Want to predict u_t (or transformations) using linear ARMA models w/ and w/o exogenous leading indicators x_t :
 - $x_t = \{IC_t, \dots, IC_{t-k}\}$
 - $x_t = \{IC_{wj,t}, \dots, IC_{wj,t-k}\}, j = 1, \dots, 4, k = 1, 2$
 - $x_t = \{G_t, \dots, G_{t-k}\}$
 - $x_t = \{G_{wj,t}, \dots, G_{wj,t-k}\}, j = 1, \dots, 4, k = 1, 2$
 - combinations IC and G

The setup of the forecasting horse-race (Cont.)

Forecasting Models: $\phi(L)y_t = \mu + x'_t\beta + \theta(L)\varepsilon_t$

| | Full Sample: 1967.1-2007.2 | | | | | | | | Short Sample: 2004.1-2007.2 | | | | | | | |
|------------------------------------|----------------------------|---------|-------------|-------------|------------------------------|---------|------------------------------|-------------|-----------------------------|---------|-------------|-------------|------------------------------|---------|------------------------------|-------------|
| | AR(1) # | AR(2) # | ARMA(1,1) # | ARMA(2,2) # | AR(1) # | AR(2) # | ARMA(1,1) # | ARMA(2,2) # | AR(1) # | AR(2) # | ARMA(1,1) # | ARMA(2,2) # | AR(1) # | AR(2) # | ARMA(1,1) # | ARMA(2,2) # |
| w/o LI | u_{t-1} | 1 | u_{t-k} | 1 | $u_{t-1}, \varepsilon_{t-1}$ | 1 | $u_{t-k}, \varepsilon_{t-k}$ | 1 | u_{t-1} | 1 | u_{t-k} | 1 | $u_{t-1}, \varepsilon_{t-1}$ | 1 | $u_{t-k}, \varepsilon_{t-k}$ | 1 |
| w/ LI x_t | | | | | | | | | | | | | | | | |
| | (t) | | | | | | | | | | | | | | | |
| IC | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| G _{wj} | - | - | - | - | - | - | - | - | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| IC, G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} , G _{wj} | - | - | - | - | - | - | - | - | ✓ | 5 | ✓ | 5 | ✓ | 5 | ✓ | 5 |
| | (t-1) | | | | | | | | | | | | | | | |
| IC | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| G _{wj} | - | - | - | - | - | - | - | - | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| IC, G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} , G _{wj} | - | - | - | - | - | - | - | - | ✓ | 5 | ✓ | 5 | ✓ | 5 | ✓ | 5 |
| | (t-2) | | | | | | | | | | | | | | | |
| IC | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| G _{wj} | - | - | - | - | - | - | - | - | ✓ | 4 | ✓ | 4 | ✓ | 4 | ✓ | 4 |
| IC, G | - | - | - | - | - | - | - | - | ✓ | 1 | ✓ | 1 | ✓ | 1 | ✓ | 1 |
| IC _{wj} , G _{wj} | - | - | - | - | - | - | - | - | ✓ | 5 | ✓ | 5 | ✓ | 5 | ✓ | 5 |

$j = 1, \dots, 4; k = 1, 2$ - w/ or w/o SAR/SMA

The setup of the forecasting horse-race (Cont.)

- Forecasting scheme: we use a **rolling** scheme.
 - 'Short-sample': $T = 66$ with $R = 38$ and $P = 28$.
 - In-sample: 2004.1-2007.2, 2004.2-2007.3, etc.
 - 'Full-sample': $T = 510$ with $R = 482$ and $P = 28$.
 - In-sample: 1967.1-2007.2, 1967.2-2007.3, etc.
- We use **only** the information available **at month** t when we make the prediction.
 - Thus at t we need to forecast future values of our exogenous LI's
 - To predict them, we use different auxiliary ARMA-like models (we present results only for the $AR(1)$ case).

Out-of-sample Results

- For u_t and $u_t - u_{t-1}$ (and all the other transformations) the **best models** out of sample in terms of the lowest MSE are **those including GI** as the leading indicator
- The **best 15 models** at all forecast horizons (1- to 3-months-ahead) **always include GI** as the exogenous variable
- However, the best 3, 5 and 11 models at respectively 1-, 2- and 3-months ahead include **GI only** as the LI
- We test for
 - **Equal Forecast Accuracy** (EFA) using the Diebold & Mariano (1995) test
 - **Forecast Encompassing** (FE) using the Harvey, Leybourne & Newbold (1998) (HLN) test

Out-of-sample Results (Cont.)

- DM test and HLN test **always reject** the null at 10% at 1-month horizon and mostly reject at 2-month horizon.
- This means that **our best model with GI outperforms** all those models that use the *longest* available time series of u_t and IC , even though our best model is estimated over a rolling sample of 38 obs.
- Our best models with GI outperforms also those models not using GI over the short sample.

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Out-of-sample Results (Cont.)

Best Forecasting Models: 1-month ahead

| 1-step ahead | | | | | |
|--------------------------------------|------------------------------------|--------|------|---------|----------|
| n. | Model | MSE | Rank | DM | HLN |
| Panel A1: Best models | | | | | |
| 261 | $ARX(1) - G_t$ | 0.0166 | 1 | - | - |
| 398 | $ARMAX(1, 1) - G_t - SA$ | 0.0167 | 2 | 0.060 | 2.145** |
| 327 | $ARX(2) - G_t$ | 0.0172 | 3 | 0.448 | 1.063 |
| 491 | $ARMAX(2, 2) - IC_{t-1} - G_{t-1}$ | 0.0177 | 4 | 0.328 | 1.912* |
| 305 | $ARX(1) - G_{t-2}$ | 0.0179 | 5 | 0.616 | 1.289 |
| 464 | $ARMAX(2, 2) - G_t - SA$ | 0.0179 | 6 | 0.312 | 1.370 |
| 371 | $ARX(2) - G_{t-2}$ | 0.0181 | 7 | 0.614 | 1.642 |
| 283 | $ARX(1) - G_{t-1}$ | 0.0182 | 8 | 1.516 | 1.701* |
| 463 | $ARMAX(2, 2) - G_{w4,t} - SA$ | 0.0184 | 9 | 0.442 | 2.116** |
| 277 | $ARX(1) - IC_t - G_t - SA$ | 0.0186 | 10 | 0.852 | 1.326 |
| 271 | $ARX(1) - IC_t - G_t$ | 0.0186 | 11 | 0.709 | 1.605 |
| 266 | $ARX(1) - G_t - SA$ | 0.0188 | 12 | 0.998 | 1.122 |
| 337 | $ARX(2) - IC_t - G_t$ | 0.0191 | 13 | 0.799 | 1.875* |
| 343 | $ARX(2) - IC_t - G_t - SA$ | 0.0192 | 14 | 0.870 | 1.550 |
| 270 | $ARX(1) - IC_{w4,t} - G_{w4,t}$ | 0.0192 | 15 | 0.778 | 1.807* |
| Panel B1: Best models without Google | | | | | |
| 122 | $ARMAX(2, 2) - IC_{w4,t-2}$ | 0.0234 | 73 | 2.491** | 3.074*** |
| 133 | $ARMA(1, 1)$ | 0.0301 | 197 | 2.152** | 2.485** |
| Panel C1: Non-linear models | | | | | |
| 521 | $SETAR(2)$ | 0.0332 | 258 | 2.434** | 2.925*** |
| 522 | $LSTAR(2)$ | 0.0368 | 362 | 2.497** | 3.015*** |
| 523 | $AAR(2)$ | 0.0342 | 276 | 2.337** | 2.903*** |

Out-of-sample Results (Cont.)

Best Forecasting Models: 2-month ahead

| | | 2-step ahead | | | |
|--------------------------------------|------------------------------------|--------------|------|---------|---------|
| n. | Model | MSE | Rank | DM | HLN |
| Panel A2: Best models | | | | | |
| 261 | $ARX(1) - G_t$ | 0.0157 | 1 | - | - |
| 464 | $ARMAX(2, 2) - G_t - SA$ | 0.0163 | 2 | 0.136 | 1.291 |
| 398 | $ARMAX(1, 1) - G_t - SA$ | 0.0166 | 3 | 0.177 | 1.219 |
| 327 | $ARX(2) - G_t$ | 0.0172 | 4 | 0.633 | 0.864 |
| 266 | $ARX(1) - G_t - SA$ | 0.0175 | 5 | 0.700 | 0.869 |
| 277 | $ARX(1) - IC_t - G_t - SA$ | 0.0186 | 6 | 0.952 | 1.142 |
| 332 | $ARX(2) - G_t - SA$ | 0.0194 | 7 | 0.955 | 1.192 |
| 343 | $ARX(2) - IC_t - G_t - SA$ | 0.0206 | 8 | 1.150 | 1.285 |
| 283 | $ARX(1) - G_{t-1}$ | 0.0208 | 9 | 1.514 | 1.543 |
| 420 | $ARMAX(1, 1) - G_{t-1} - SA$ | 0.0217 | 10 | 0.981 | 1.373 |
| 288 | $ARX(1) - G_{t-1} - SA$ | 0.0220 | 11 | 1.402 | 1.551 |
| 305 | $ARX(1) - G_{t-2}$ | 0.0220 | 12 | 1.551 | 1.718* |
| 349 | $ARX(2) - G_{t-1}$ | 0.0222 | 13 | 1.915* | 2.024** |
| 293 | $ARX(1) - IC_{t-1} - G_{t-1}$ | 0.0233 | 14 | 1.989** | 1.994** |
| 299 | $ARX(1) - IC_{t-1} - G_{t-1} - SA$ | 0.0234 | 15 | 1.392 | 1.468 |
| Panel B2: Best models without Google | | | | | |
| 122 | $ARMAX(2, 2) - IC_{w4,t-2}$ | 0.0514 | 180 | 1.814* | 1.618 |
| 234 | $ARMAX(2, 2) - IC_{w3,t} - SA$ | 0.0565 | 191 | 1.389 | 1.131 |
| Panel C2: Non-linear models | | | | | |
| 521 | $SETAR(2)$ | 0.0388 | 97 | 1.053 | 1.720* |
| 522 | $LSTAR(2)$ | 0.0447 | 140 | 1.190 | 1.779* |
| 523 | $AAR(2)$ | 0.0436 | 134 | 1.183 | 1.721* |

Out-of-sample Results (Cont.)

Best Forecasting Models: 3-month ahead

| 3-step ahead | | | | | |
|--------------------------------------|------------------------------------|--------|------|--------|--------|
| n. | Model | MSE | Rank | DM | HLN |
| Panel A3: Best models | | | | | |
| 398 | $ARMAX(1, 1) - G_t - SA$ | 0.0350 | 1 | - | - |
| 327 | $ARX(2) - G_t$ | 0.0372 | 2 | 0.230 | 0.793 |
| 332 | $ARX(2) - G_t - SA$ | 0.0379 | 3 | 0.244 | 0.671 |
| 261 | $ARX(1) - G_t$ | 0.0382 | 4 | 0.308 | 0.852 |
| 464 | $ARMAX(2, 2) - G_t - SA$ | 0.0382 | 5 | 0.295 | 0.579 |
| 266 | $ARX(1) - G_t - SA$ | 0.0383 | 6 | 0.299 | 0.777 |
| 349 | $ARX(2) - G_{t-1}$ | 0.0488 | 7 | 1.164 | 1.300 |
| 354 | $ARX(2) - G_{t-1} - SA$ | 0.0495 | 8 | 1.115 | 1.440 |
| 393 | $ARMAX(1, 1) - G_t$ | 0.0508 | 9 | 0.722 | 1.060 |
| 288 | $ARX(1) - G_{t-1} - SA$ | 0.0510 | 10 | 1.142 | 1.501 |
| 283 | $ARX(1) - G_{t-1}$ | 0.0513 | 11 | 1.217 | 1.383 |
| 343 | $ARX(2) - IC_t - G_t - SA$ | 0.0528 | 12 | 0.659 | 0.811 |
| 277 | $ARX(1) - IC_t - G_t - SA$ | 0.0531 | 13 | 0.681 | 0.852 |
| 365 | $ARX(2) - IC_{t-1} - G_{t-1} - SA$ | 0.0548 | 14 | 1.275 | 1.658* |
| 265 | $ARX(1) - G_{w4,t} - SA$ | 0.0555 | 15 | 0.938 | 1.219 |
| Panel B3: Best models without Google | | | | | |
| 122 | $ARMAX(2, 2) - IC_{w4,t-2}$ | 0.1406 | 191 | 1.309 | 1.249 |
| 215 | $ARMAX(1, 1) - IC_{w4,t-1} - SA$ | 0.1294 | 173 | 1.748* | 1.752* |
| Panel C3: Non-linear models | | | | | |
| 521 | $SETAR(2)$ | 0.0589 | 24 | 0.758 | 1.447 |
| 522 | $LSTAR(2)$ | 0.0620 | 30 | 0.790 | 1.411 |
| 523 | $AAR(2)$ | 0.0652 | 35 | 0.814 | 1.389 |

Out-of-sample test of Superior Predictive Ability

White's (2000) Reality Check (RC) test

- The RC is a test for **superior unconditional predictive ability** that also accounts for the *dependence* among forecasting models (*data-snooping*).
- The **null** hypothesis is that *all the competing models are no better than the benchmark* model, i.e.

$$H_0 : \max_{1 \leq k \leq L} E(f_k) \leq 0, \text{ where } f_k = e_{0,t}^2 - e_{k,t}^2$$
- The *alternative* is that H_0 is false, that is, *there exists a best model which is superior to the benchmark*.
- White's (2000) RC test statistic for H_0 is formed as

$$\bar{V} = \max_{1 \leq k \leq L} \sqrt{P} \bar{f}_k, \text{ where } \bar{f}_k = P^{-1/2} \sum_{t=R+1}^T \hat{f}_{k,t}$$
- Using the stationary bootstrap of Politis and Romano (1994), the empirical distribution of $\bar{V}^* = \max_{1 \leq k \leq L} \sqrt{P} (\bar{f}_k^* - \bar{f}_k)$ is used to compute the RC p -value

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Out-of-sample test of Superior Predictive Ability (Cont.)

Reality Check p -values (in **bold** p -values $\geq 5\%$ \Rightarrow fail to reject H_0)

| B=2000 | | B=5000 | | B=2000 | | B=5000 | |
|----------------|---------------|--------------|--------|-----------------|--------------|--------|--|
| u_t | | | | u_t^{LLD} | | | |
| 1-step | Benchmark=403 | | 1-step | Benchmark=327 | | | |
| q=0.50 | 0.073 | 0.070 | q=0.50 | 0.076 | 0.076 | | |
| q=0.10 | 0.053 | 0.057 | q=0.10 | 0.053 | 0.060 | | |
| 2-step | Benchmark=332 | | 2-step | Benchmark=327 | | | |
| q=0.50 | 0.037 | 0.039 | q=0.50 | 0.043 | 0.040 | | |
| q=0.10 | 0.053 | 0.052 | q=0.10 | 0.061 | 0.057 | | |
| 3-step | Benchmark=332 | | 3-step | Benchmark=266 | | | |
| q=0.50 | 0.037 | 0.045 | q=0.50 | 0.029 | 0.025 | | |
| q=0.10 | 0.046 | 0.052 | q=0.10 | 0.050 | 0.052 | | |
| $\log(u_t)$ | | | | $u_t - u_{t-1}$ | | | |
| 1-step | Benchmark=327 | | 1-step | Benchmark=261 | | | |
| q=0.50 | 0.099 | 0.100 | q=0.50 | 0.107 | 0.098 | | |
| q=0.10 | 0.050 | 0.045 | q=0.10 | 0.055 | 0.057 | | |
| 2-step | Benchmark=327 | | 2-step | Benchmark=261 | | | |
| q=0.50 | 0.080 | 0.080 | q=0.50 | 0.098 | 0.097 | | |
| q=0.10 | 0.058 | 0.058 | q=0.10 | 0.053 | 0.045 | | |
| 3-step | Benchmark=266 | | 3-step | Benchmark=398 | | | |
| q=0.50 | 0.114 | 0.114 | q=0.50 | 0.073 | 0.073 | | |
| q=0.10 | 0.058 | 0.066 | q=0.10 | 0.048 | 0.048 | | |
| u_t^{\logit} | | | | u_t^{HPLog} | | | |
| 1-step | Benchmark=327 | | 1-step | Benchmark=327 | | | |
| q=0.50 | 0.083 | 0.083 | q=0.50 | 0.073 | 0.083 | | |
| q=0.10 | 0.073 | 0.068 | q=0.10 | 0.057 | 0.060 | | |
| 2-step | Benchmark=327 | | 2-step | Benchmark=327 | | | |
| q=0.50 | 0.027 | 0.033 | q=0.50 | 0.065 | 0.062 | | |
| q=0.10 | 0.054 | 0.056 | q=0.10 | 0.057 | 0.057 | | |
| 3-step | Benchmark=266 | | 3-step | Benchmark=266 | | | |
| q=0.50 | 0.028 | 0.027 | q=0.50 | 0.041 | 0.038 | | |
| q=0.10 | 0.052 | 0.054 | q=0.10 | 0.061 | 0.052 | | |

Further robustness checks out-of-sample

- Also **recursive** scheme with similar results (unreported).
- Different **auxiliary** models to predict the LI's: $AR(2)$, $ARMA(1, 1)$, $ARMA(2, 2)$ with similar (unreported) results.
- Comparison of our best models (overall and without Google indicator) with the **Survey of Professional Forecasters** for the quarterly unemployment rate
- **State-level** forecasts with different aggregation schemes
- Some **non-linear models** typically adopted in the literature
- We also ran the horse-race for different **transformation** of u_t typically used in the literature, such as

- $\log(u_t)$
- $u_t^{LLD} = \log(u_t) - \hat{\alpha} - \hat{\beta}t$
- $u_t^{logit} = \log[u_t/(1 - u_t)]$
- $u_t^{HPlog} = \log(u_t) - [\log(u_t)]^{HP}$.

A further out-of-sample check: comparison with the SPF

Sample: 2007:Q1-2009:Q2

- We also compared our forecasting models with the Survey of Professional Forecasters (SPF) (mean, median and best)
- At the 'middle' of $Q(J)$ (around Feb, May, Aug and Nov 15) SPF issues forecasts for $Q(J + 1)$ to $Q(J + 5)$ (true deadline for forecasters is around 10th of same month)
- We compare SPF^{best} , SPF^{median} and SPF^{mean} with 3 different forecasts of quarterly US unemployment from the following models (for u_t)
 - Best model overall, i.e. model with Google (# 403)
 - Best model overall without Google, i.e. model with Initial Claims (# 128)
 - Best model in the short sample without Google (# 205)

A further check: comparison with the SPF (Cont.)

Sample: 2007:Q1-2009:Q2

- For each model we compute 3 sets of quarterly forecasts
 - 1 At the end of $Q(J)$, e.g. 2007.3: forecast **1-month** ahead

$$\hat{u}_{t+1|t} \Rightarrow \mathbf{x}^{\text{1st-month}}$$

is our forecast for $Q(J+1)$ (conservative)

- 2 At the end of $Q(J)$, e.g. 2007.3: forecast **2-month** ahead

$$\hat{u}_{t+2|t} \Rightarrow \mathbf{x}^{\text{2nd-month}}$$

is our forecast for $Q(J+1)$ (conservative)

- 3 Around the 10th of the second month of $Q(J)$, e.g. 2007.5: forecast 1- and 2-month ahead

$$[u_t + \hat{u}_{t+1|t} + \hat{u}_{t+2|t}]/3 \Rightarrow \mathbf{x}^{\text{Comb}}$$

is our forecast for $Q(J+1)$ (less conservative and similar timing to SPF)

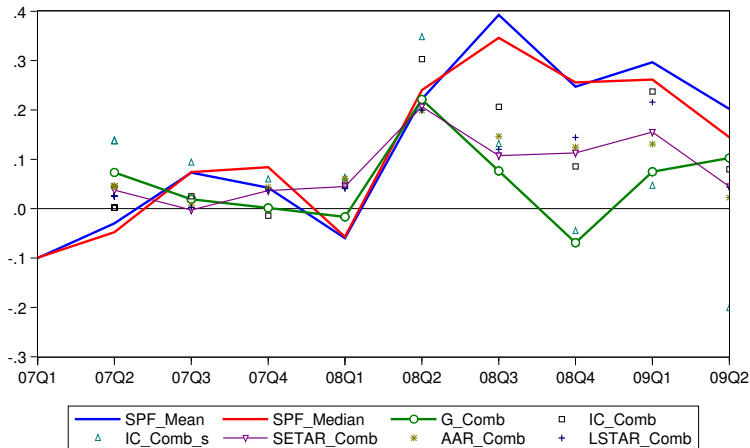
A further check: comparison with the SPF (Cont.)

Sample: 2007:Q1-2009:Q2. Benchmark: G^{Comb}

| | MSE | Rank | DM | HLN |
|---------------------|--------------|------|----------|----------|
| SPF^{best} | 1.373 | 21 | 1.911* | 2.177** |
| SPF^{mean} | 0.415 | 11 | 1.545 | 2.784*** |
| SPF^{med} | 0.360 | 7 | 1.317 | 2.892*** |
| $G^{1st-month}$ | 0.530 | 15 | -1.522 | 2.401** |
| $G^{2nd-month}$ | 0.419 | 12 | 1.724* | 1.925* |
| G^{Comb} | 0.082 | 1 | - | - |
| $IC^{1st-month}$ | 0.893 | 17 | -0.337 | 2.621*** |
| $IC^{2nd-month}$ | 0.361 | 8 | -0.919 | 1.457 |
| IC^{Comb} | 0.208 | 5 | -2.012** | -1.875* |
| $IC_s^{1st-month}$ | 0.612 | 16 | 0.048 | 2.386** |
| $IC_s^{2nd-month}$ | 0.413 | 10 | 1.810* | 1.759* |
| IC_s^{Comb} | 0.218 | 6 | 1.306 | 1.239 |
| $SETAR^{1st-month}$ | 1.123 | 19 | 2.881*** | 2.596*** |
| $SETAR^{2nd-month}$ | 0.373 | 9 | 1.098 | 2.902*** |
| $SETAR^{Comb}$ | 0.098 | 2 | -1.401 | 2.587*** |
| $LSTAR^{1st-month}$ | 1.228 | 20 | 2.558** | 2.407** |
| $LSTAR^{2nd-month}$ | 0.433 | 14 | 1.550 | 2.723*** |
| $LSTAR^{Comb}$ | 0.127 | 4 | -1.265 | 2.315** |
| $AAR^{1st-month}$ | 1.060 | 18 | 2.630*** | 2.418** |
| $AAR^{2nd-month}$ | 0.432 | 13 | 1.768* | 2.900*** |
| AAR^{Comb} | 0.102 | 3 | -1.37 | 2.662*** |

A further check: comparison with the SPF (Cont.)

Forecast errors of 'best' models - Sample: 2007:Q1-2009:Q2



A further check: aggregation of State-level forecasts

- For each 51 states (including District of Columbia) we ran the same horse-race with the same 520 forecasting models.
- For $u_t - u_{t-1}$ the percentage of best models for each state using the Google indicator as a LI ranges between 75% and 84% for 1-, 2- and 3-month-ahead forecasts.
- For u_t such percentage ranges between 69 and 82%.
- We test whether the **aggregation** of the 51 best state models could improve the forecasting performance over the federal benchmark. We use the following weights:
 - equal weight
 - % or share of labor force w.r.t. US total
 - % of labor force \times share of internet use among labor force
 - % of labor force \times share of internet use among active
 - % of labor force \times share of internet use among unemployed
 - % of unemployed w.r.t. US total \times share of internet use among unemployed

A further check: aggregation of State-level forecasts (Cont.)

| Variable: $d(u_t)$ | 1-Step | | | | | 2-Step | | | | | 3-Step | | | | |
|-----------------------------------|--------|-----|-----|-------------------|-------------------|--------|-----|-----|-------------------|-------------------|--------|----------|----------|-------------------|-------------------|
| | MSE | Rk1 | Rk2 | DM | HLN | MSE | Rk1 | Rk2 | DM | HLN | MSE | Rk1 | Rk2 | DM | HLN |
| Model | | | | | | | | | | | | | | | |
| best | 0.0166 | 1 | 1 | - | - | 0.0157 | 1 | 1 | - | - | 0.0350 | 1 | 4 | - | - |
| simple avg | 0.2845 | 7 | 525 | 5.30 ^a | 4.92 ^a | 0.3391 | 7 | 524 | 2.77 ^a | 2.31 ^b | 0.3966 | 7 | 510 | 1.99 ^b | 2.31 ^b |
| labor force (LF) | 0.0292 | 2 | 181 | -0.13 | 2.68 ^a | 0.0310 | 2 | 48 | -0.30 | 1.31 | 0.0411 | 2 | 7 | -1.17 | 1.31 |
| IU all × LF | 0.0299 | 5 | 196 | -0.06 | 2.75 ^a | 0.0314 | 3 | 51 | -0.28 | 1.32 | 0.0413 | 3 | 8 | -1.16 | 1.32 |
| IU active × LF | 0.0296 | 3 | 190 | -0.09 | 2.69 ^a | 0.0318 | 4 | 56 | -0.26 | 1.30 | 0.0423 | 4 | 9 | -1.14 | 1.30 |
| IU UN × LF | 0.0298 | 4 | 194 | -0.07 | 2.71 ^a | 0.0322 | 5 | 57 | -0.25 | 1.31 | 0.0425 | 5 | 10 | -1.13 | 1.31 |
| IU UN × UN | 0.0917 | 6 | 519 | 2.33 ^b | 3.33 ^a | 0.0690 | 6 | 239 | 0.65 | 1.66 ^c | 0.0618 | 6 | 32 | -0.53 | 1.66 ^c |
| Variable: u_t | | | | | | | | | | | | | | | |
| | MSE | Rk1 | Rk2 | DM | HLN | MSE | Rk1 | Rk2 | DM | HLN | MSE | Rk1 | Rk2 | DM | HLN |
| Model | | | | | | | | | | | | | | | |
| best | 0.0167 | 1 | 1 | - | - | 0.0169 | 1 | 7 | - | - | 0.0482 | 6 | 15 | - | - |
| simple avg | 0.3000 | 7 | 526 | 5.29 ^a | 4.70 ^a | 0.3700 | 7 | 522 | 2.48 ^b | 2.15 ^b | 0.4560 | 7 | 514 | 1.83 ^c | 1.73 ^c |
| labor force (LF) | 0.0280 | 2 | 120 | 0.24 | 2.95 ^a | 0.0293 | 2 | 29 | -1.23 | 0.37 | 0.0459 | 3 | 3 | -1.06 | 0.54 |
| IU all × LF | 0.0283 | 3 | 131 | 0.26 | 2.98 ^a | 0.0294 | 3 | 30 | -1.24 | 0.36 | 0.0454 | 2 | 2 | -1.07 | 0.54 |
| IU active × LF | 0.0286 | 4 | 137 | 0.29 | 2.94 ^a | 0.0303 | 5 | 33 | -1.21 | 0.38 | 0.0474 | 5 | 5 | -1.04 | 0.55 |
| IU UN × LF | 0.0287 | 5 | 140 | 0.30 | 2.96 ^a | 0.0302 | 4 | 32 | -1.21 | 0.38 | 0.0469 | 4 | 4 | -1.05 | 0.56 |
| IU UN × UN | 0.0709 | 6 | 513 | 2.06 ^b | 3.31 ^a | 0.0519 | 6 | 152 | -0.65 | 1.41 | 0.0373 | 1 | 1 | -1.16 | 0.70 |

^a, ^b, and ^c significant at 1, 5 & 10%

Conclusion and discussion

- In this paper we have suggested **a new leading indicator** based on **Google job web search index** (GI) to forecast the monthly US unemployment rate
- We have tested the **predictive power** of different models using the Google index running an out-of-sample horse-race for 1- to 3-month-ahead forecasts
- Our results show that **simple time series models augmented with GI outperform** similar models using IC even when estimated over *longer* samples

Conclusion and discussion (Cont.)

- We assess the out-of-sample predictive ability of our best model (with GI) using DM and HLN test of EFA and FE, finding that **our best model is more accurate**
- We also assess the **superior predictive ability** of our best models with the Reality Check, thus controlling for *data-snooping* biases.
- Our results are robust to **different transformations** of u_t , to **state-level** data and aggregation, and our models also **outperform the SPF**
- Some **caveats** remain: we have a *very short* sample but our results seem very *promising*.